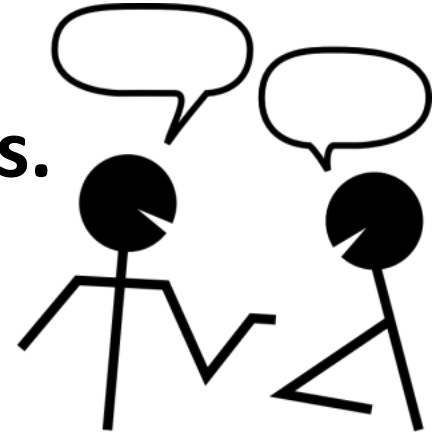


# Engineering Graphics

- **Universal language for engineers.**



- **A drawing that contains all information of an object**

**Drawing is important for all branches of engineering.**

# Roll of engineering graphics

## Visualization

Ability to mentally picture things that do not exist.

## Communication

The design solution should be communicated without ambiguity.

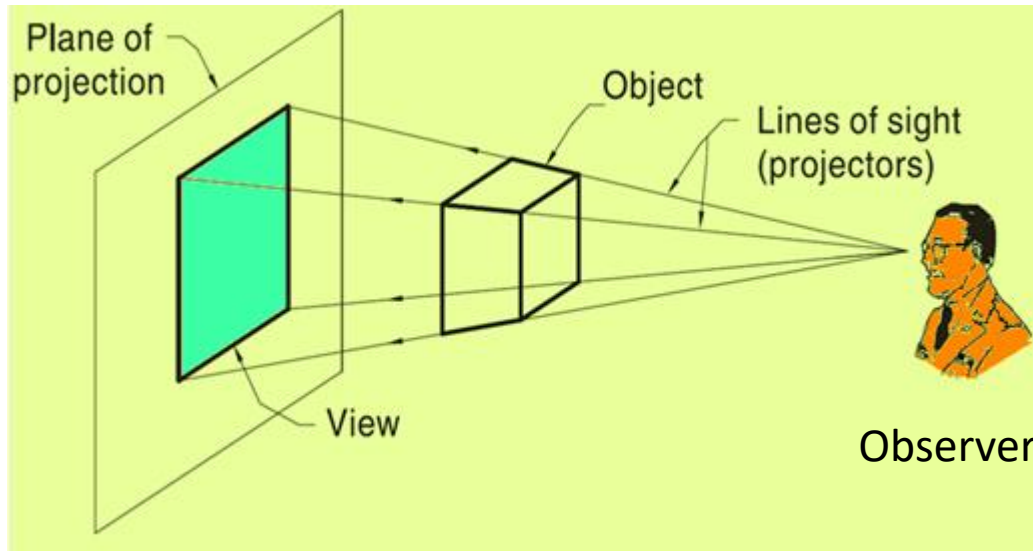
## Documentation

Permanent record of the solution.

# Projection theory

- ❑ 3-D objects are represented on a 2-D media.
- ❑ The act of obtaining the image of an object is termed “**projection**”.
- ❑ The image obtained by projection is known as a “**view**”.

# A simple Projection system



**Observer at finite distance from the object**

# Orthographic Projection

Lines of sight (LoS) are perpendicular to the plane of projection.

[ Observer at infinite distance from the object.]

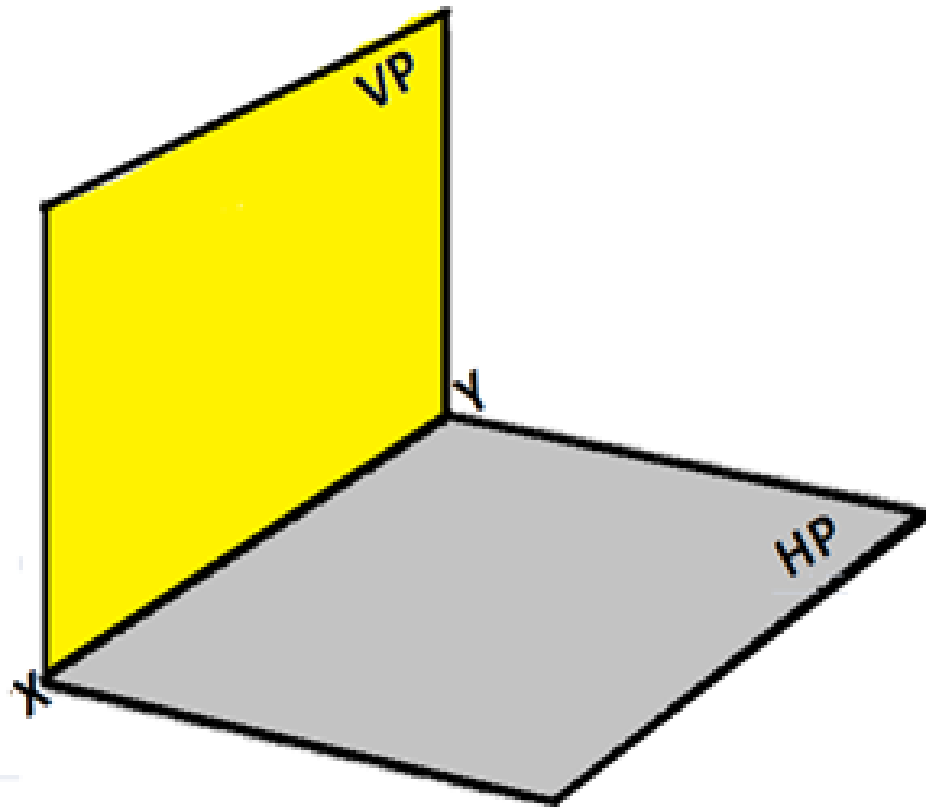
REFERENCE PLANES

1. HORIZONTAL PLANE (HP)

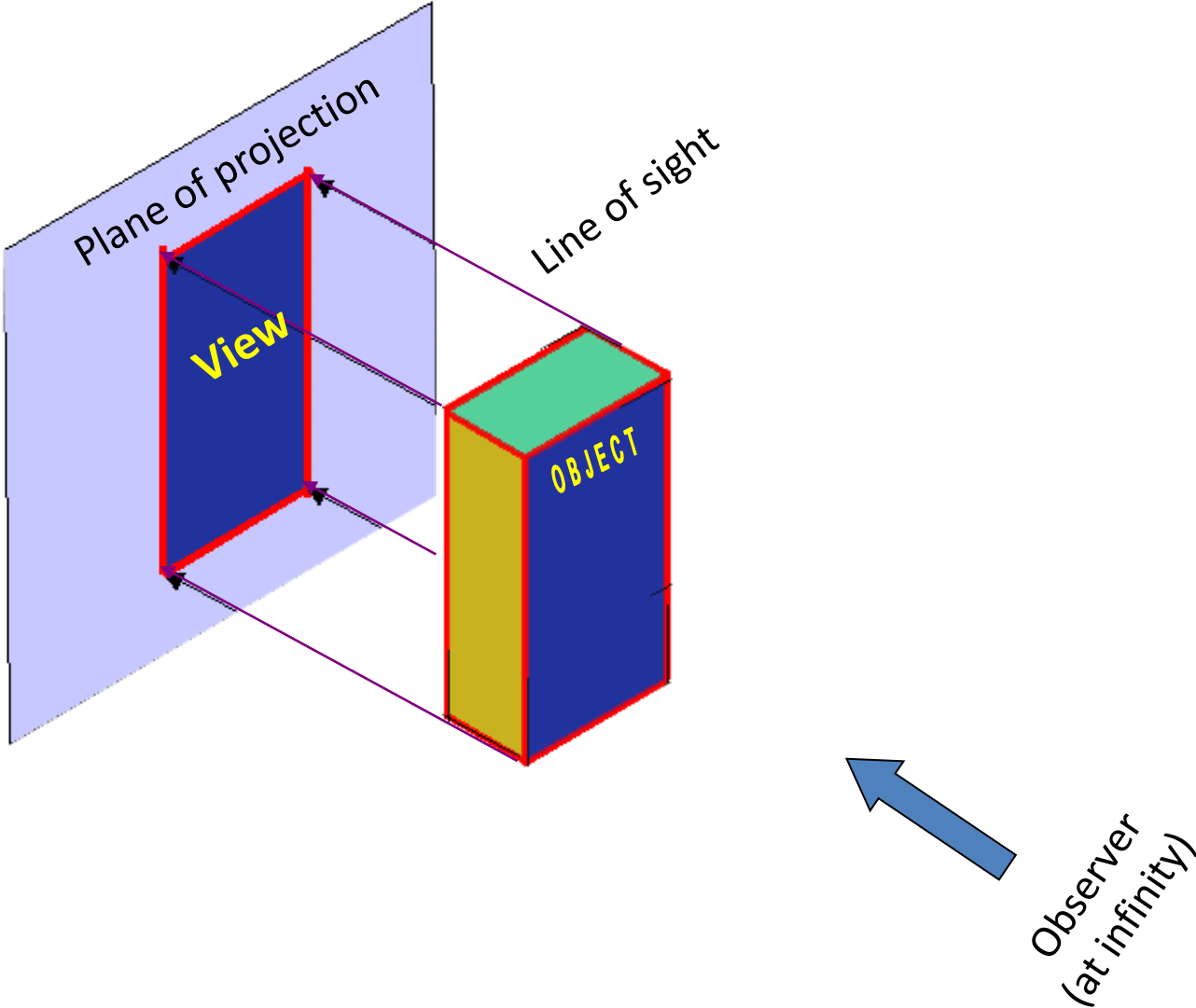
2. VERTICAL PLANE (VP)

REFERENCE LINE

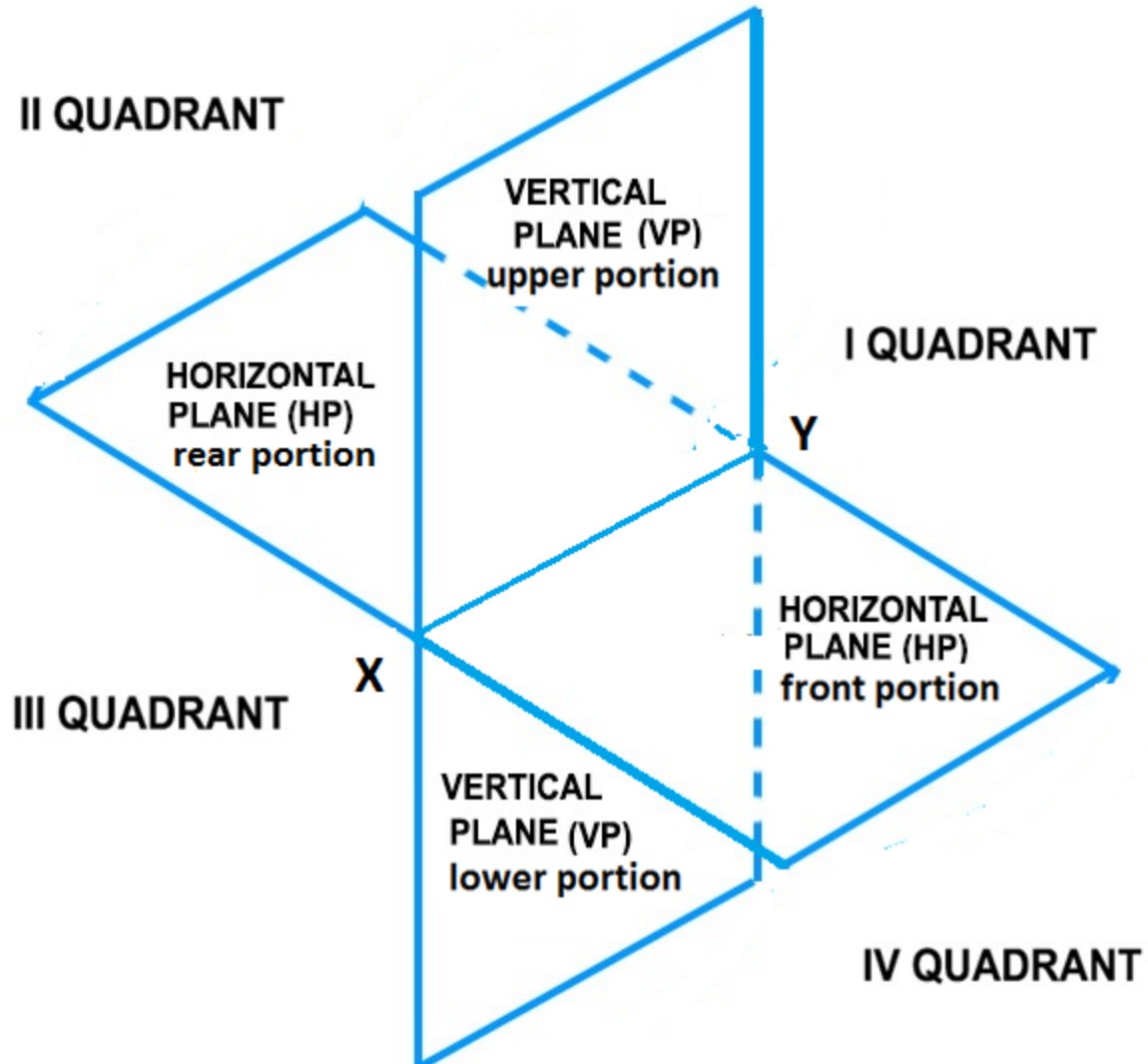
X Y LINE / GROUND LINE



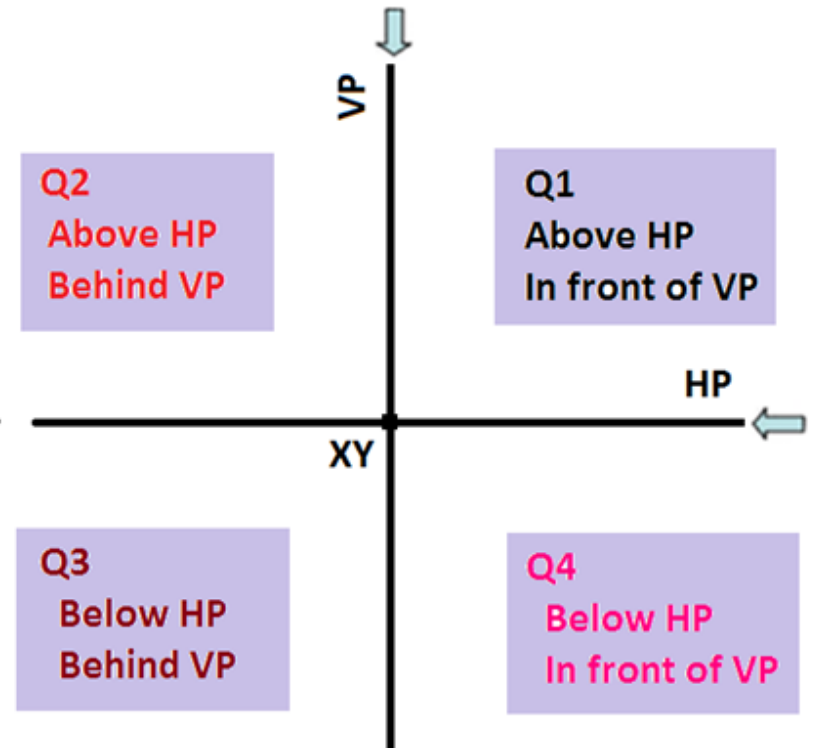
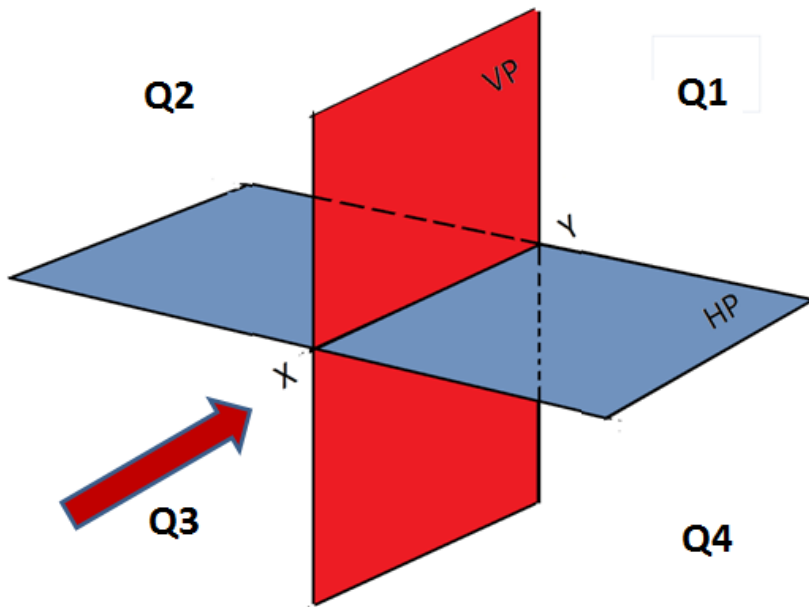
# ORTHOGRAPHIC PROJECTION



# THE QUADRANTS

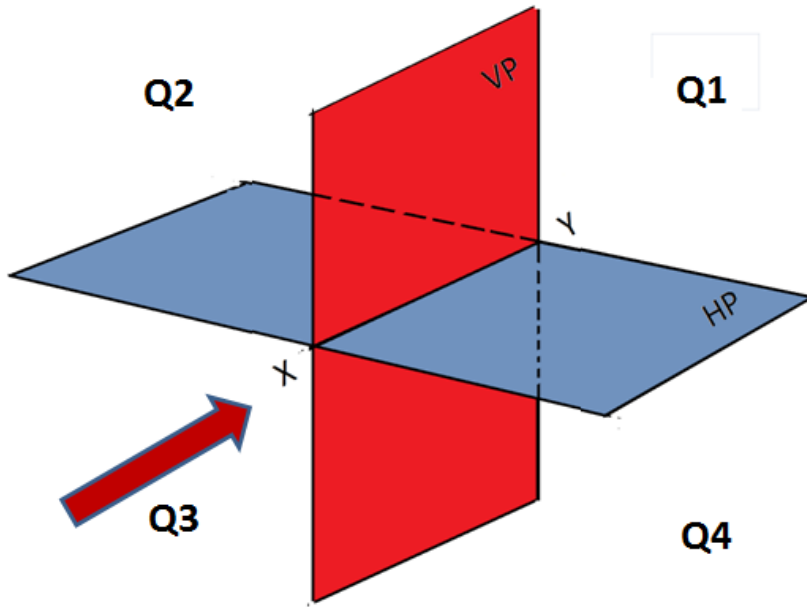


# Quadrant pattern observed along XY



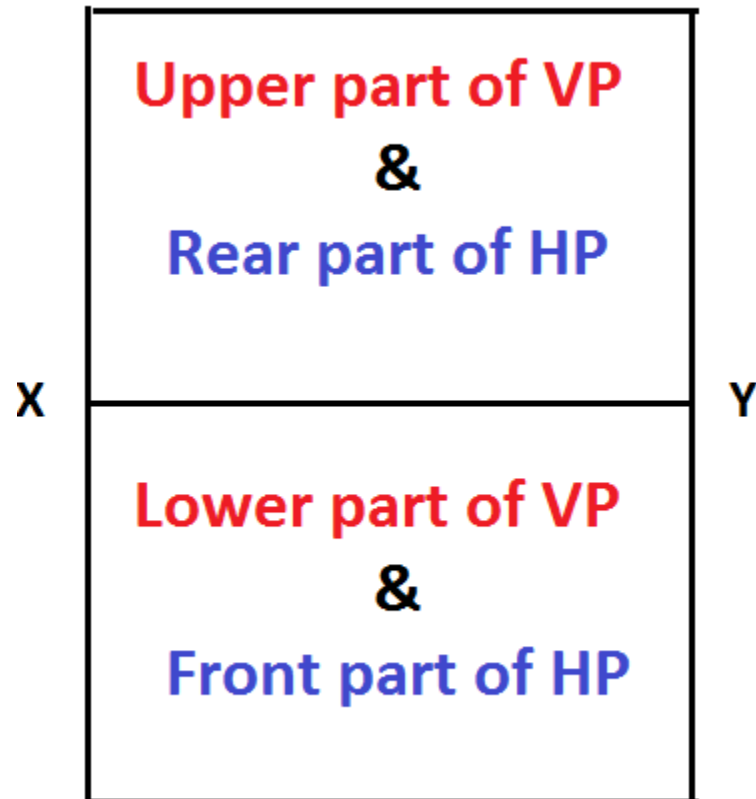


# Opening the quadrants



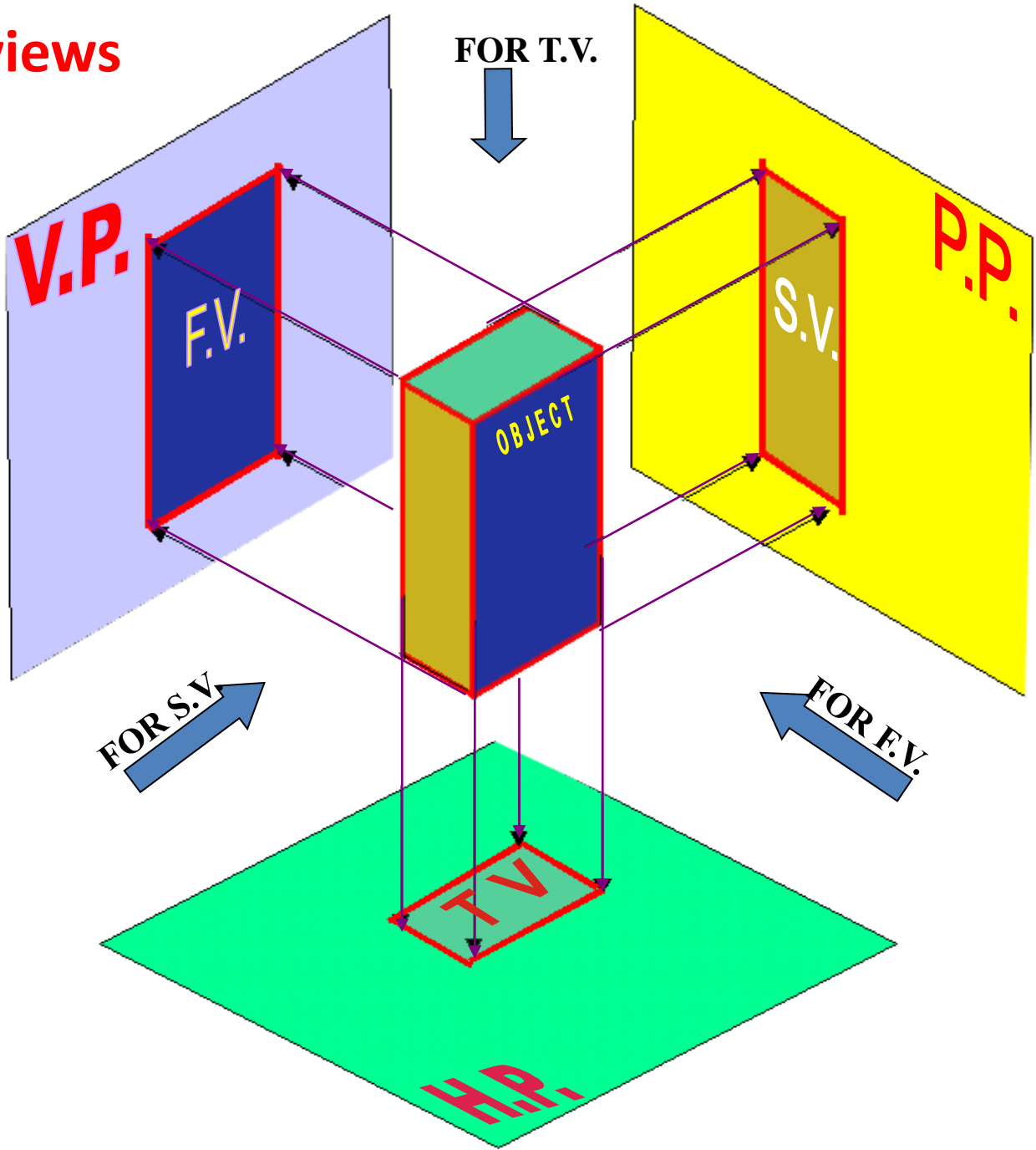
HP is rotated clockwise and brought in the plane of VP

After rotation

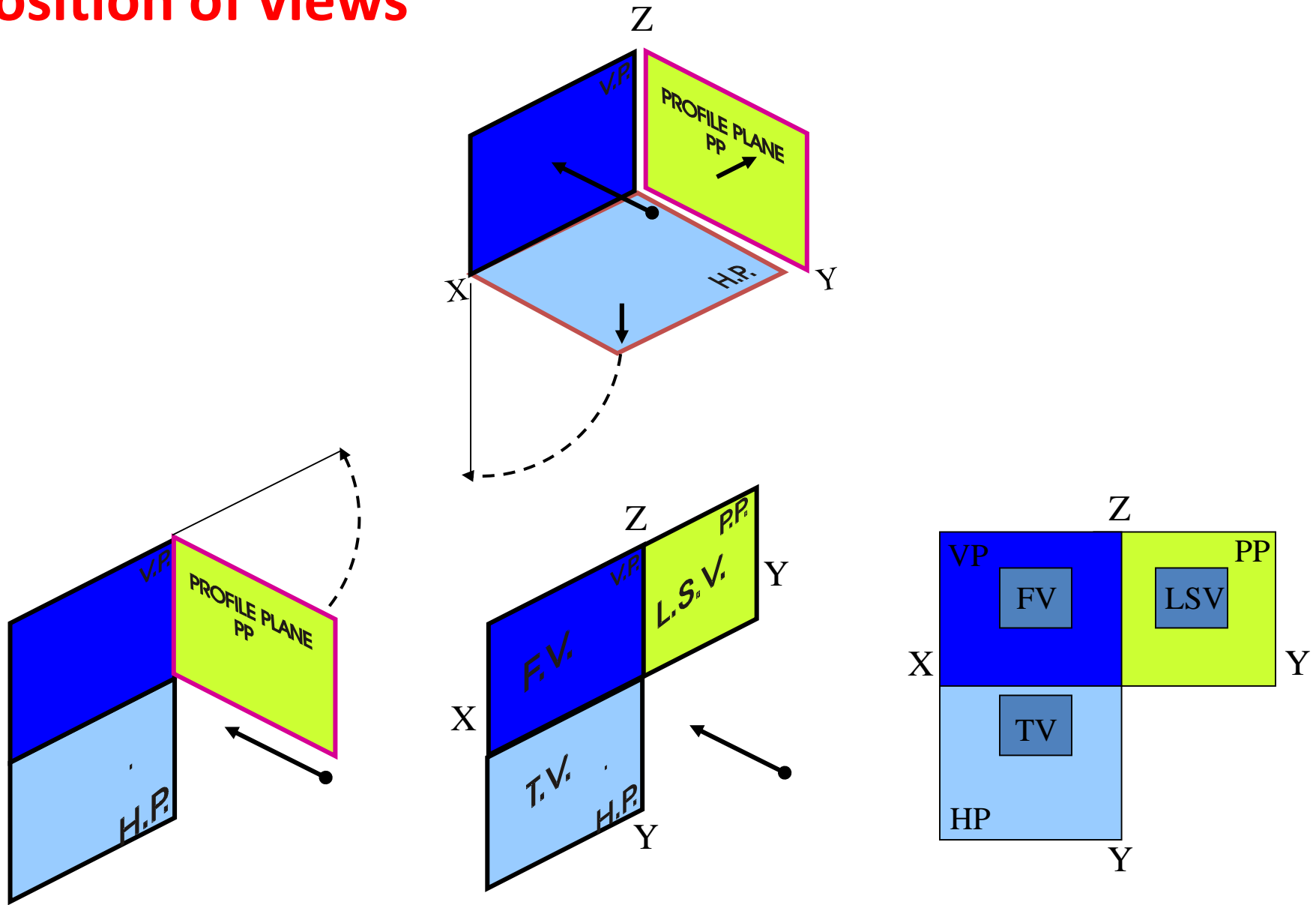


- Q1 and Q3 open outward
- Q2 and Q4 open inward

# Different views

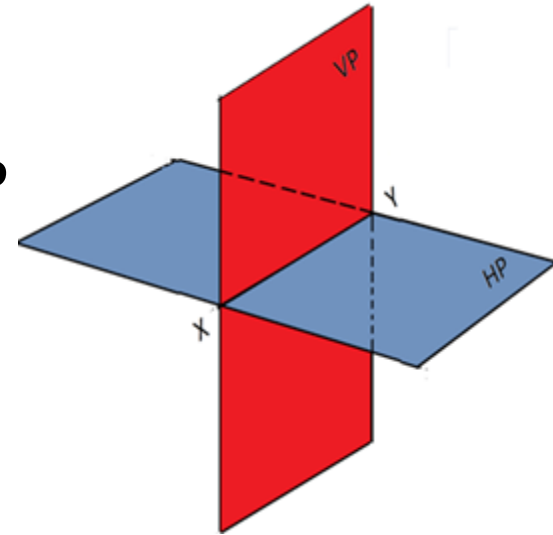


# Position of views



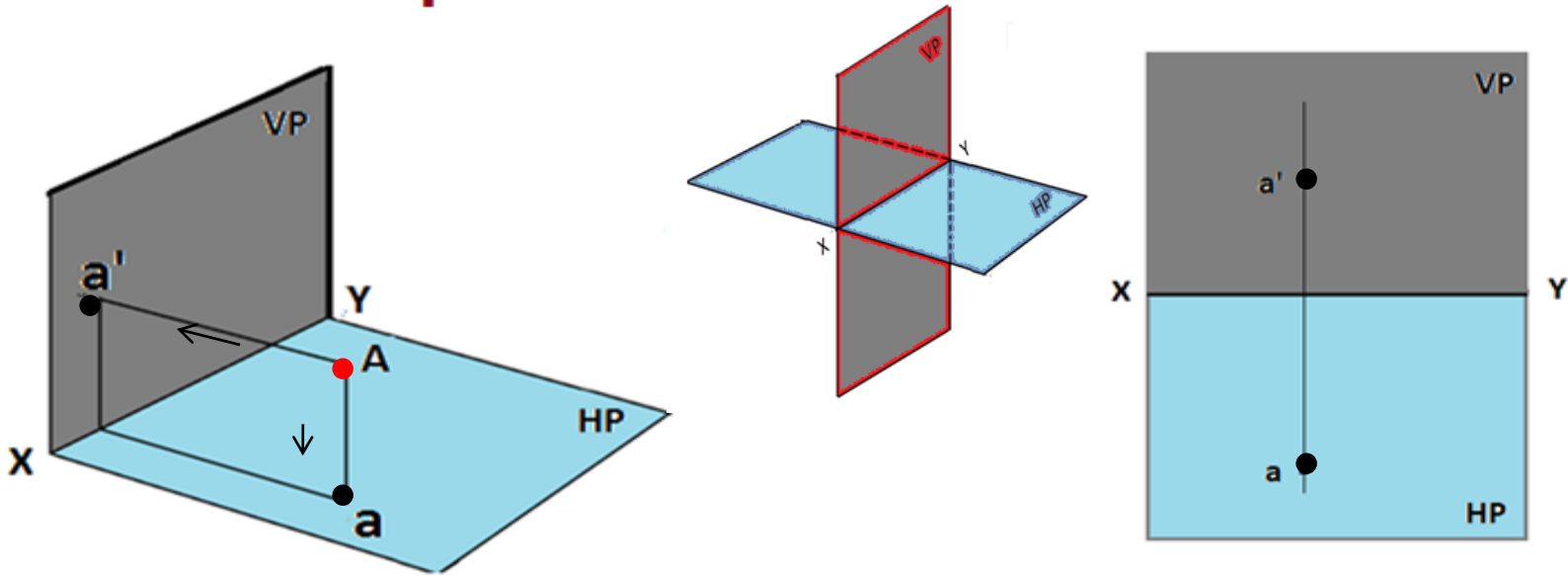
# Possible positions of an object

1. In 1<sup>st</sup> quadrant: above HP & in front of VP
2. In 2<sup>nd</sup> quadrant: above HP & behind VP
3. In 3<sup>rd</sup> quadrant: below HP & behind VP
4. In 4<sup>th</sup> quadrant: below HP & in front of VP
5. In plane: on HP & in front of VP
6. In plane: on HP & behind VP
7. In plane: on VP & above HP
8. In plane: on VP & below HP
9. In planes: on HP & on VP



# PROJECTION OF POINTS

## A - in First quadrant



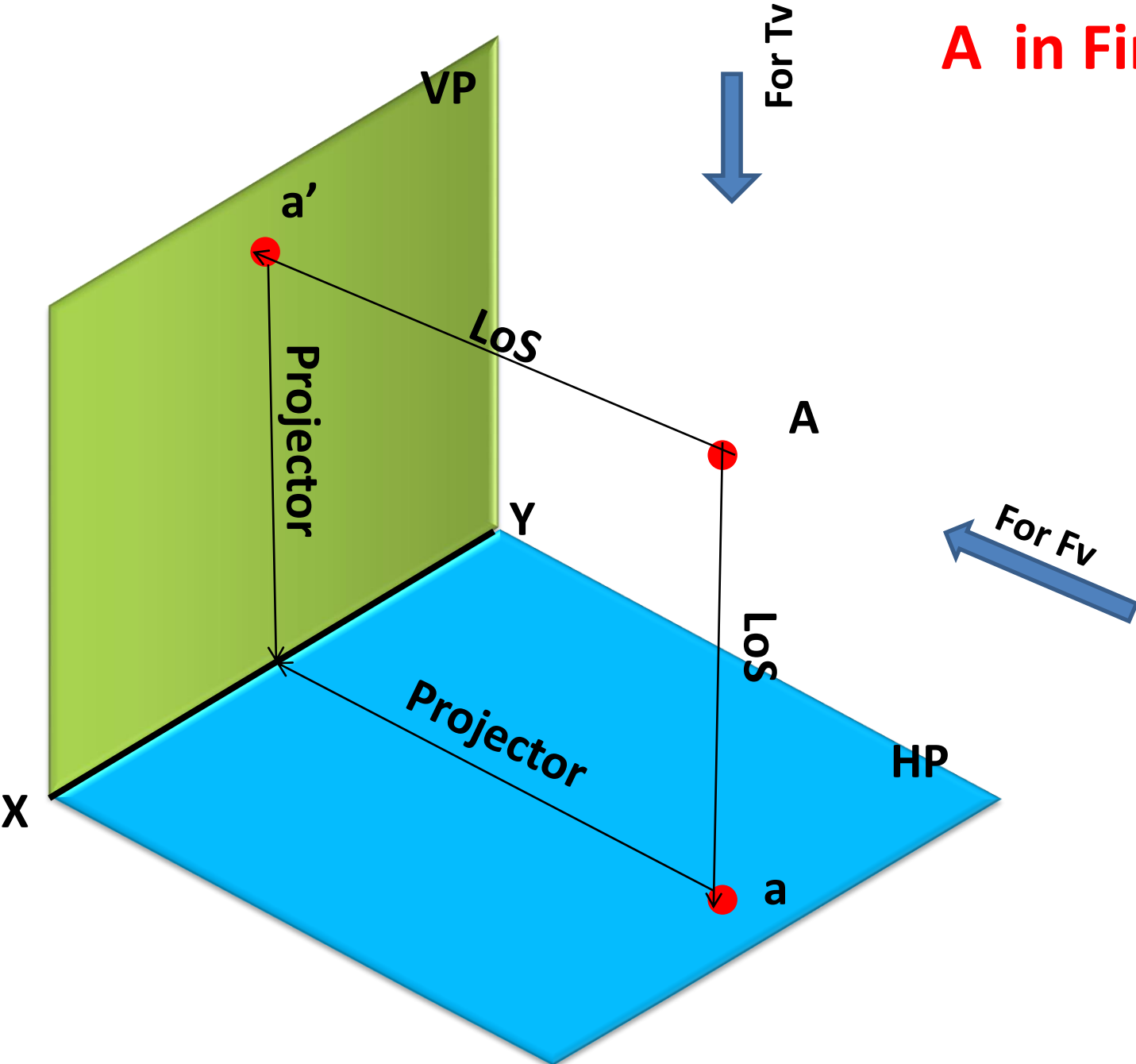
HP rotated clockwise by  $90^{\circ}$

A → Object (point)

a → TV (plan)

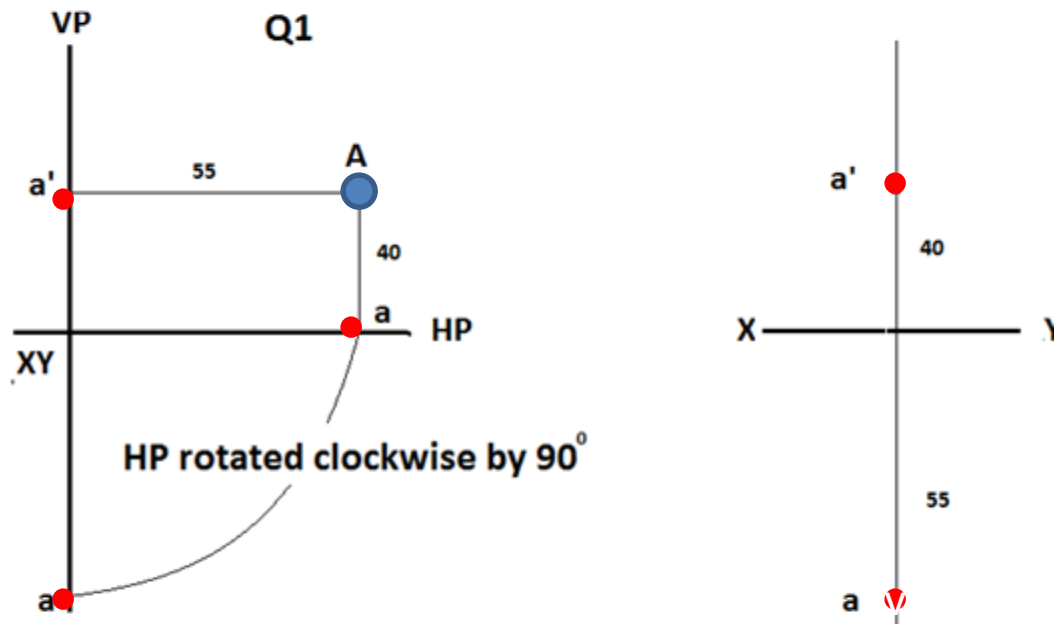
a' → FV (elevation)

**A in First quadrant**



# PROJECTION OF POINTS

## A - in first quadrant



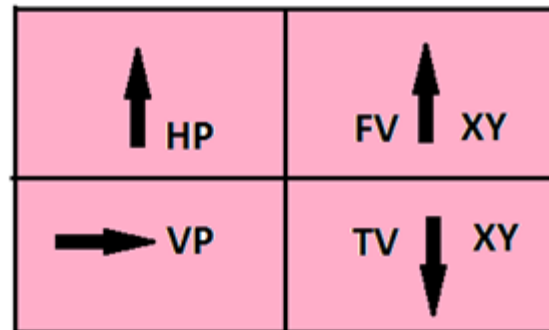
Point A in First quadrant	
A above HP	a' - FV (Elevation) above XY
A in front of VP	a - TV (Plan) below XY

## Projection of lines

**Q1.** Point A is 25mm above HP and 50mm in front of VP. Draw the projections of A.

### Solution steps

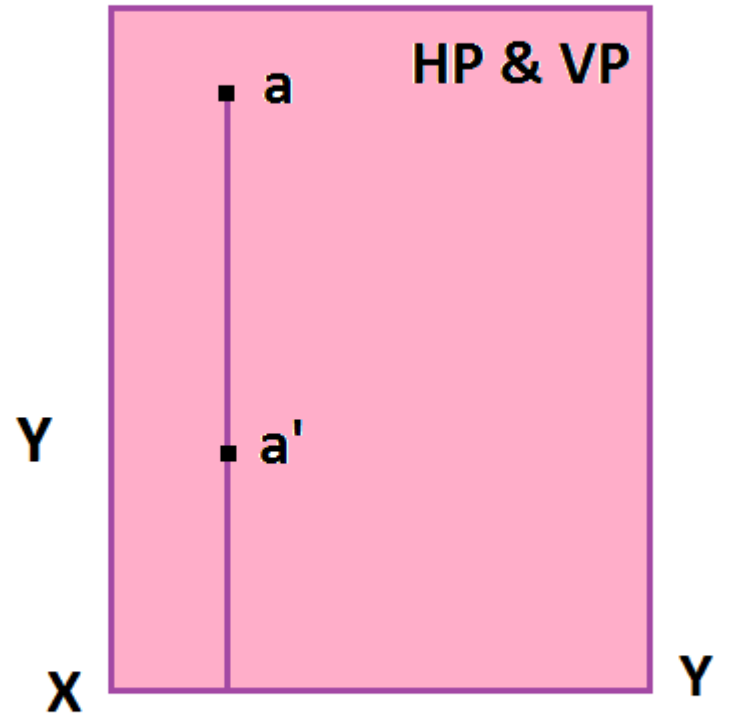
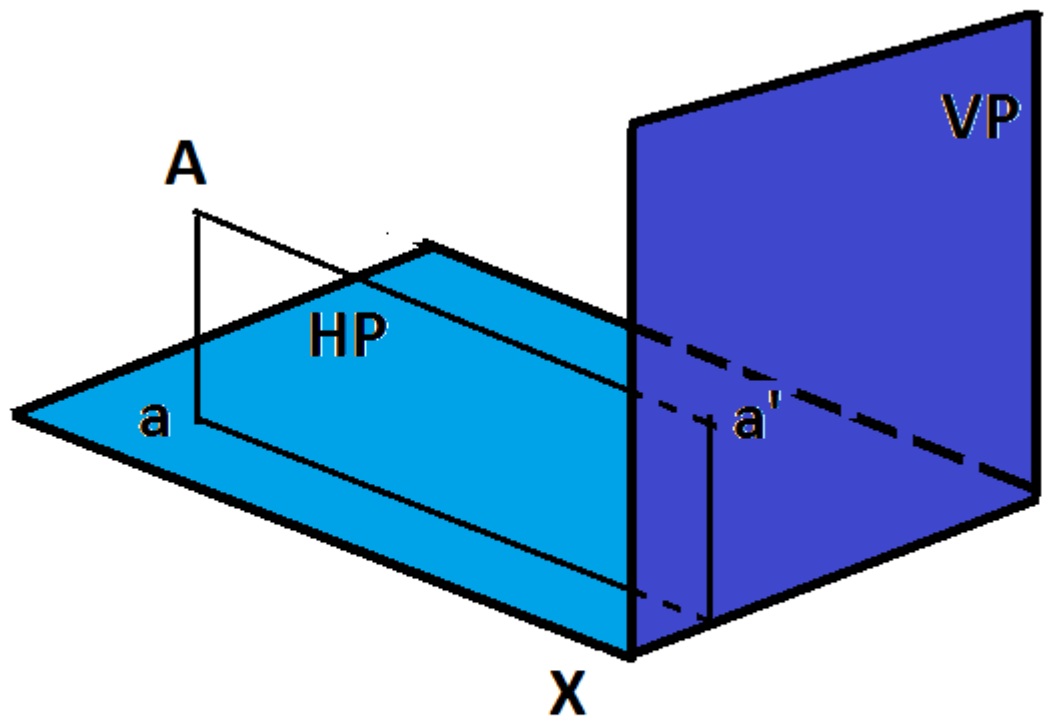
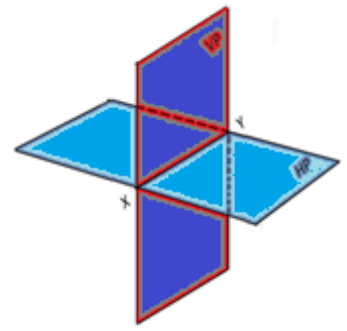
1. XY line (stronger line)
2. Projector (weaker line)
3. Read: **A** 25 mm above HP
4. Realize: **a'** 25 mm above XY  
and position **a'** on the projector
5. Read: **A** 50 mm in front of VP
6. Realize: **a** 50 mm below XY  
and position **a** on the projector





# PROJECTION OF POINTS

A - in Second quadrant



HP rotated clockwise by  $90^{\circ}$

- A → Object (point)
- a → TV (plan)
- a' → FV (elevation)

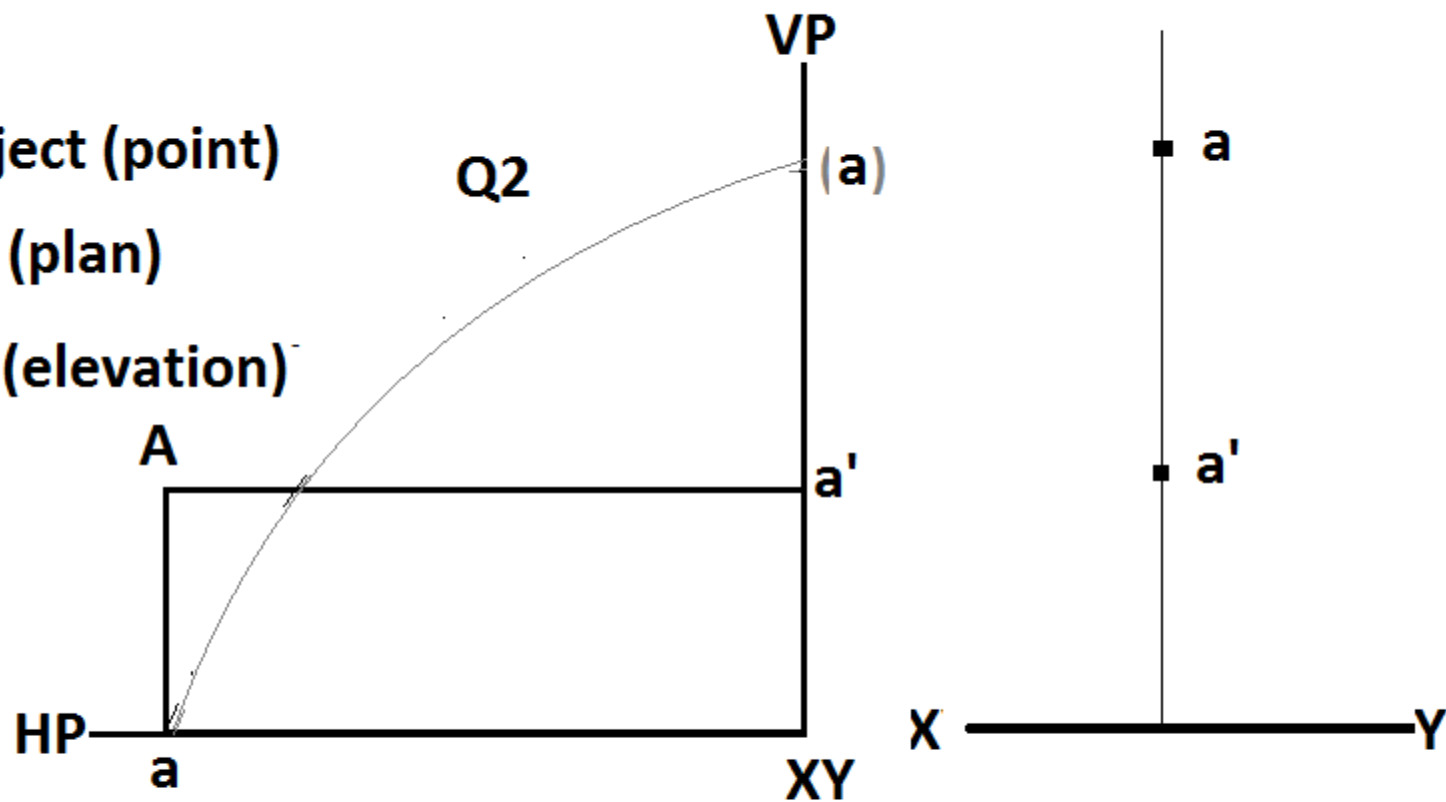
## PROJECTION OF POINTS

### A - in Second quadrant

A → Object (point)

a → TV (plan)

a' → FV (elevation)



#### Point A in Second quadrant

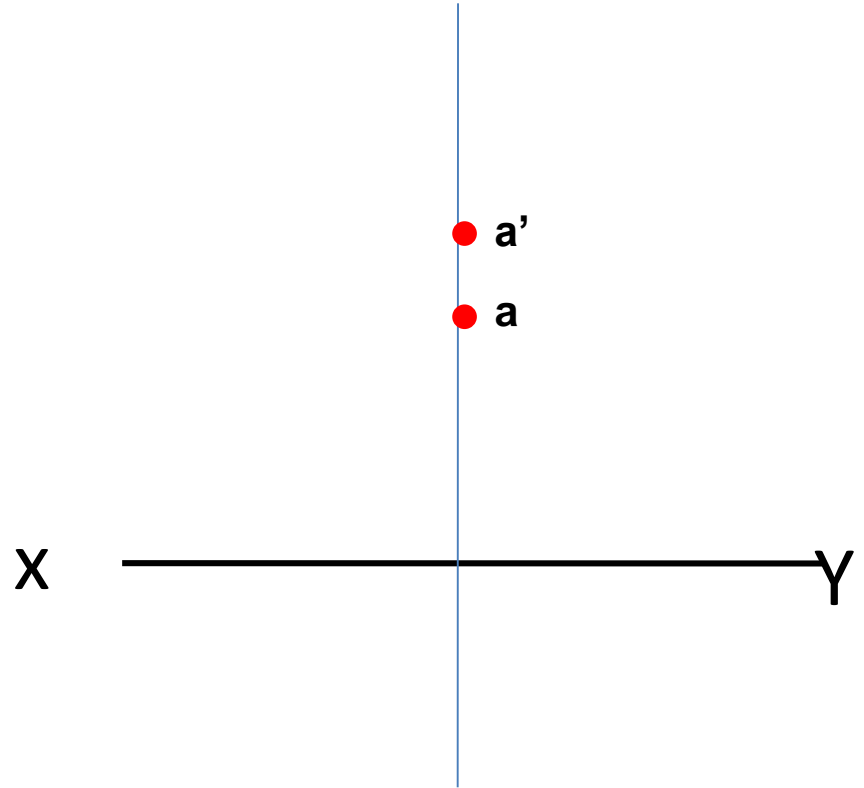
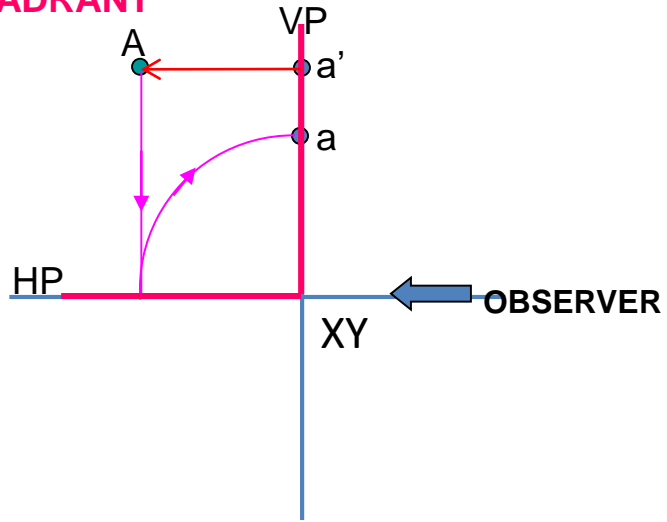
A above HP

a' - FV (Elevation) above XY

A behind VP

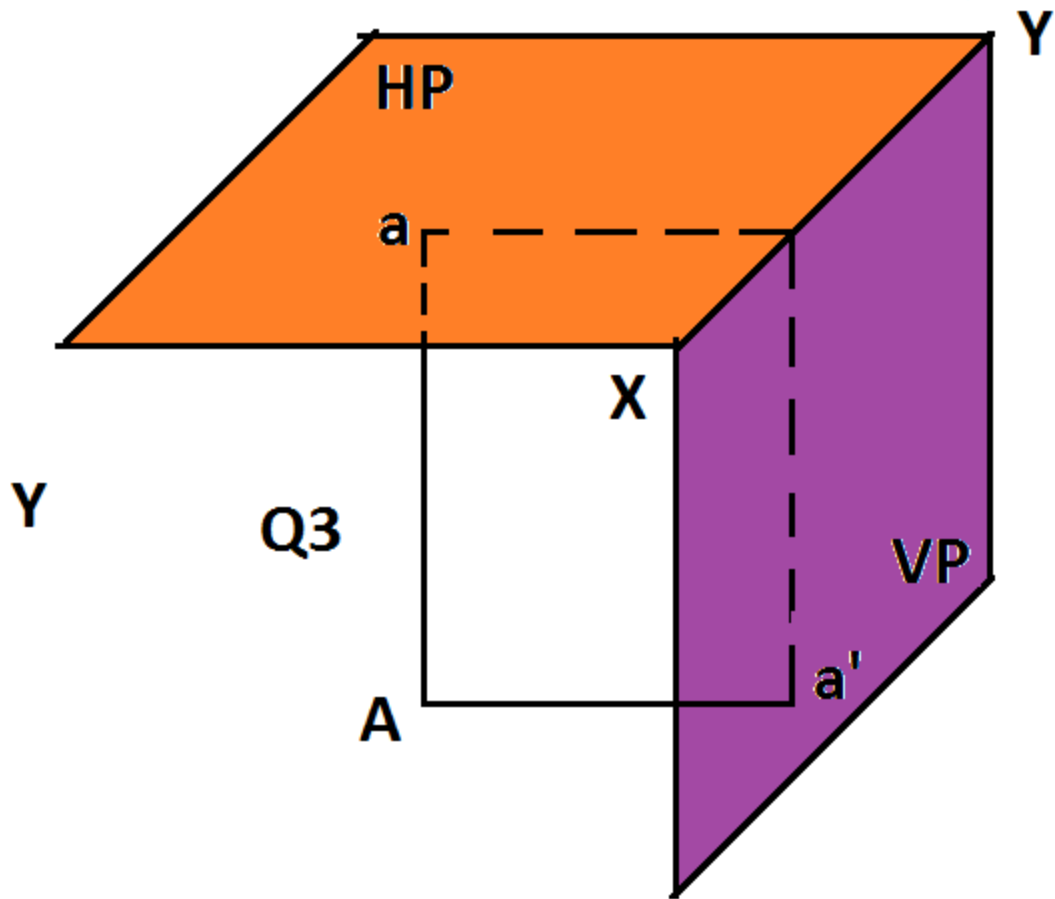
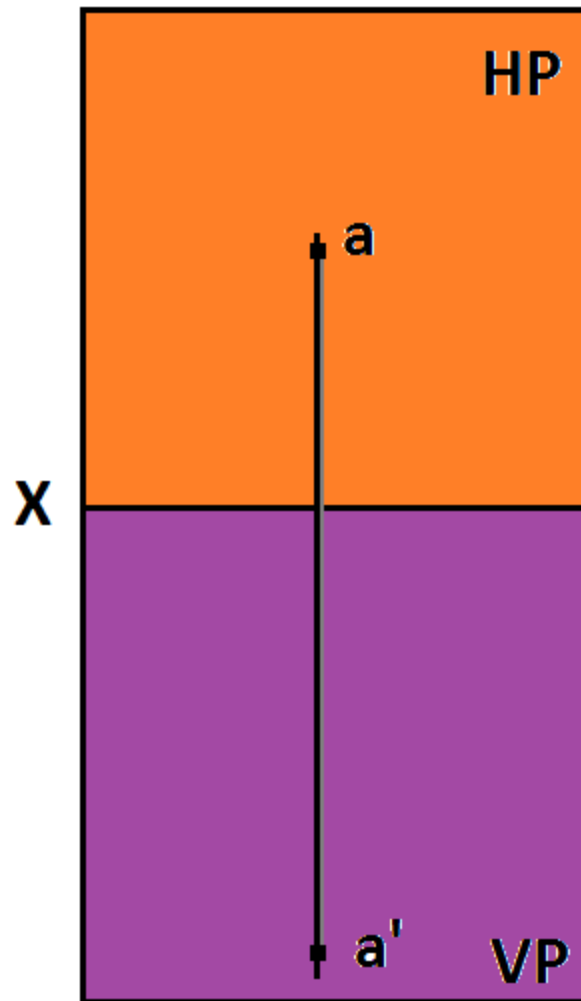
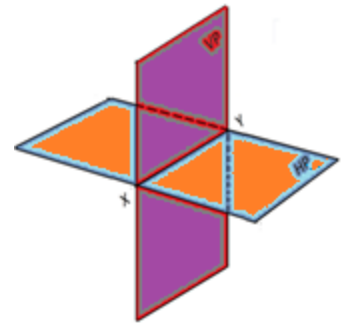
a - TV (Plan) above XY

**POINT A IN  
2<sup>ND</sup> QUADRANT**



# PROJECTION OF POINTS

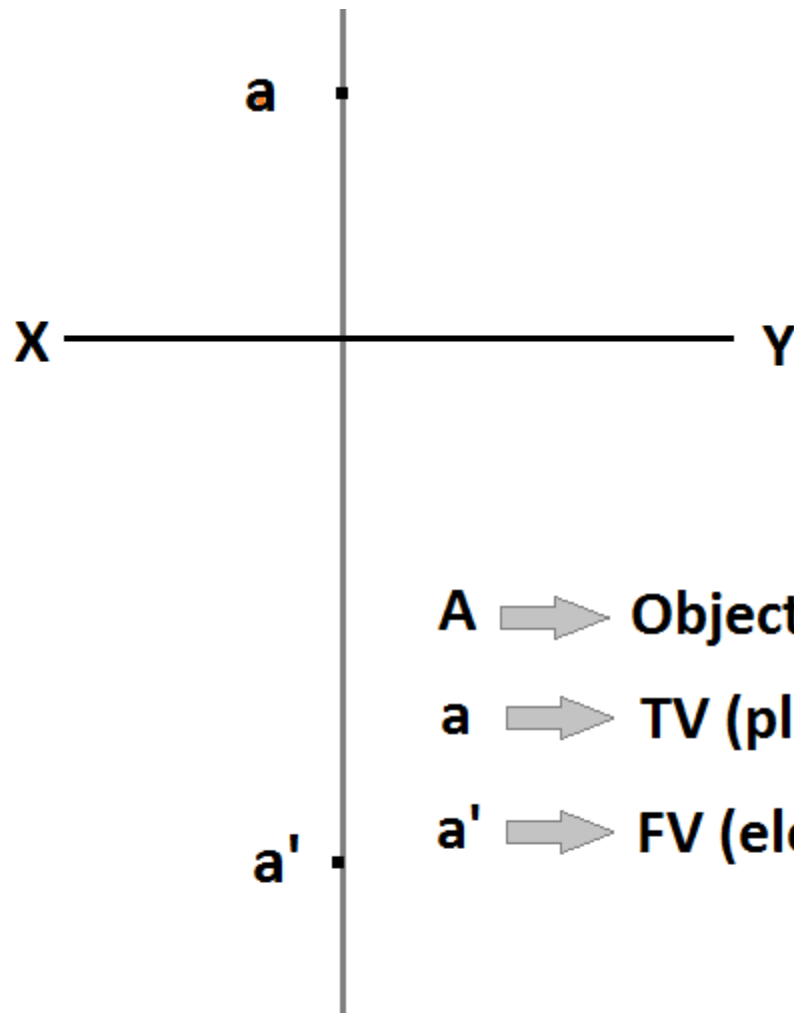
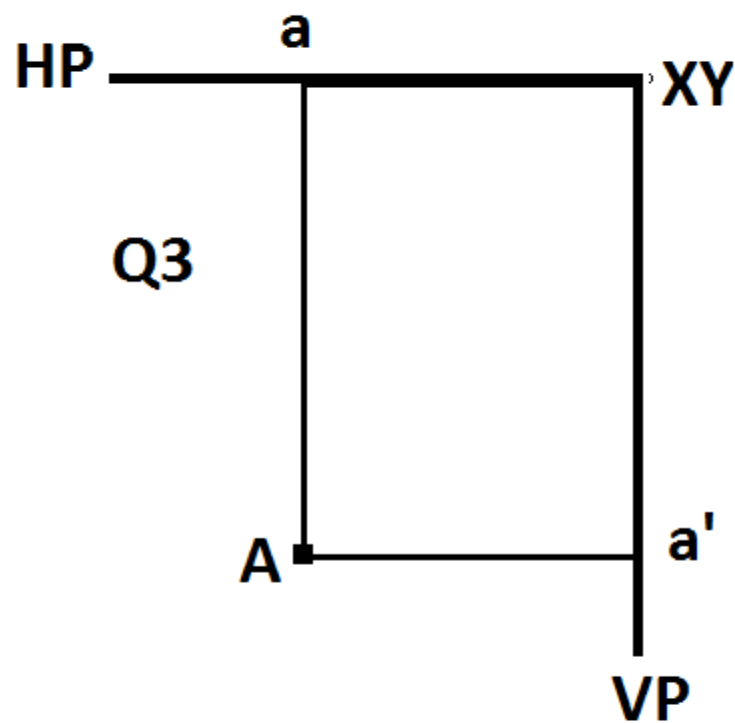
A - in Third quadrant



HP rotated clockwise by  $90^{\circ}$

## PROJECTION OF POINTS

A - in Third quadrant



A → Object (point)

a → TV (plan)

a' → FV (elevation)

### Point A in Third quadrant

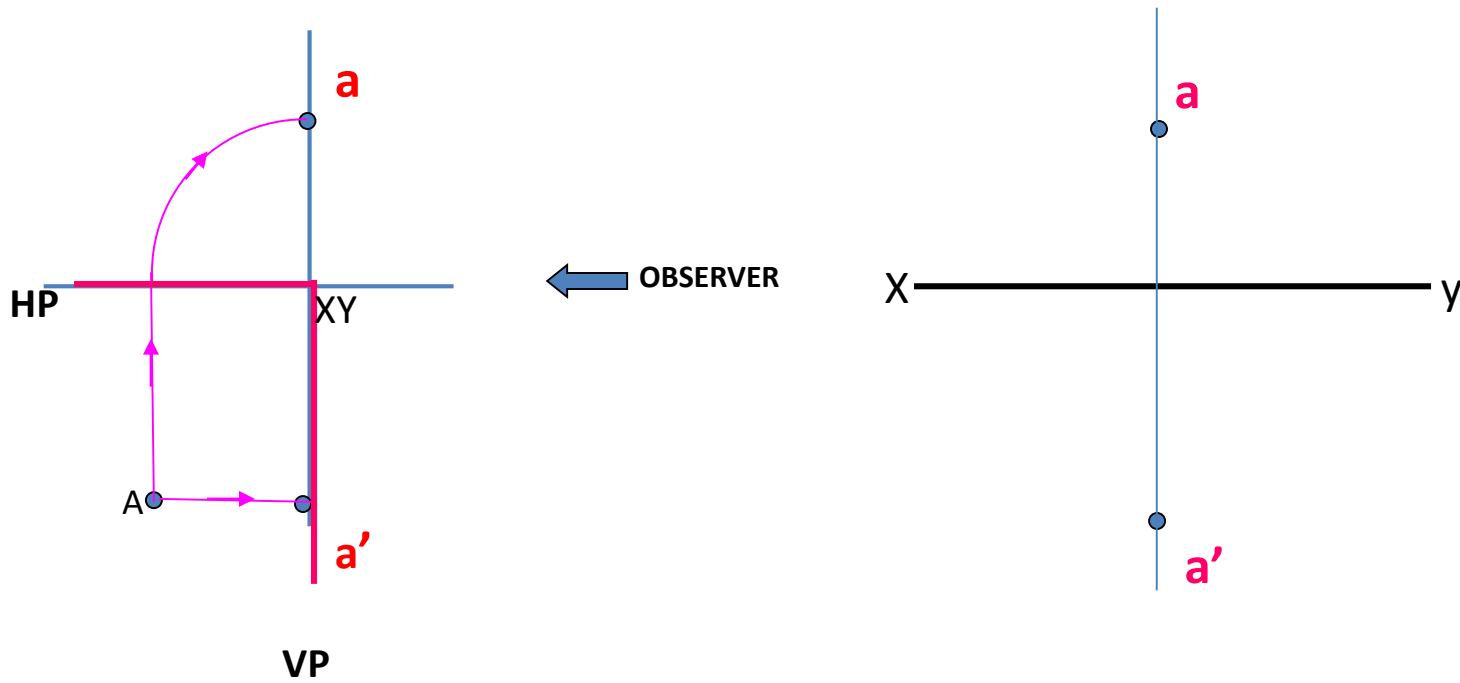
A below HP

a' - FV (Elevation) below XY

A behind VP

a - T V (Plan) above XY

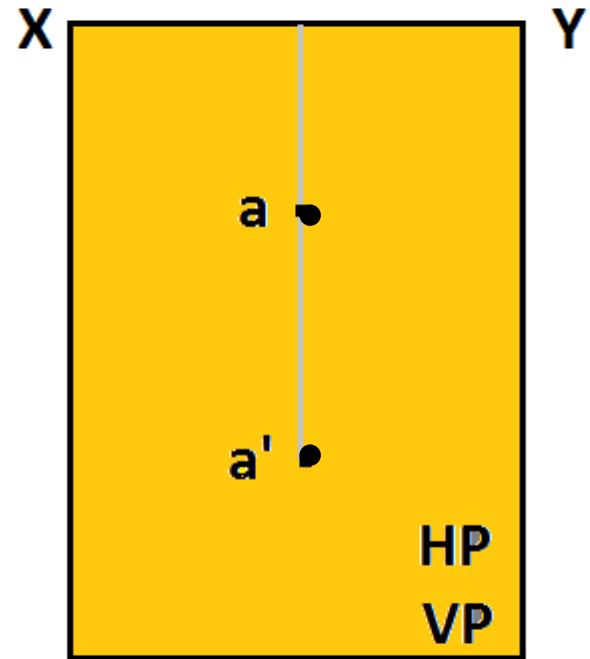
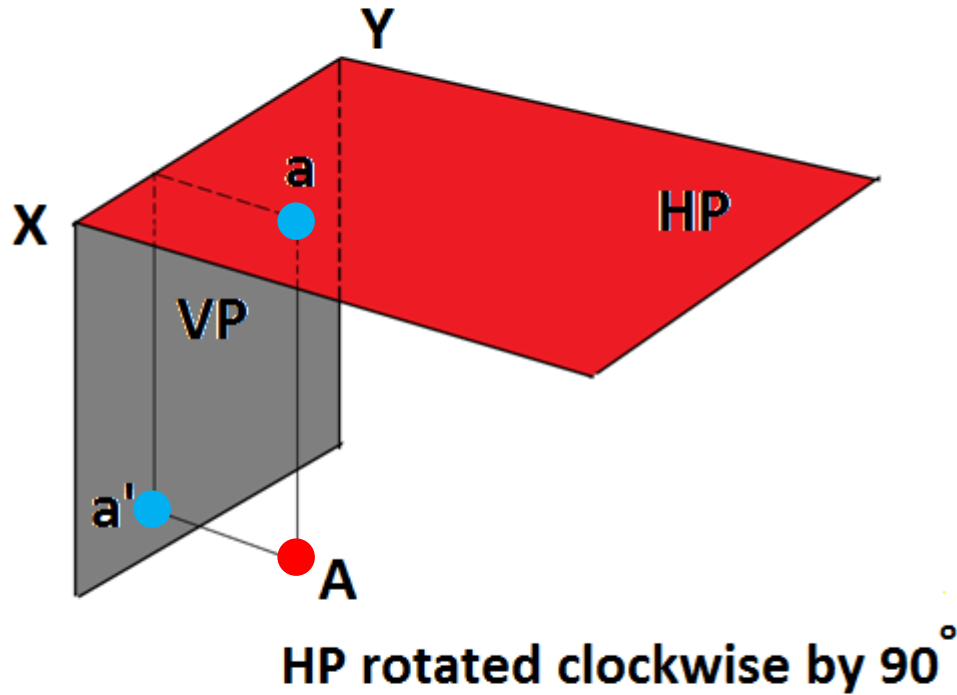
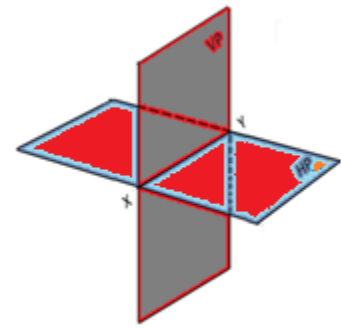
**POINT A IN  
3<sup>RD</sup> QUADRANT**



**Convention: Horizontal plane is always rotated clockwise**

# PROJECTION OF POINTS

A - in Fourth quadrant



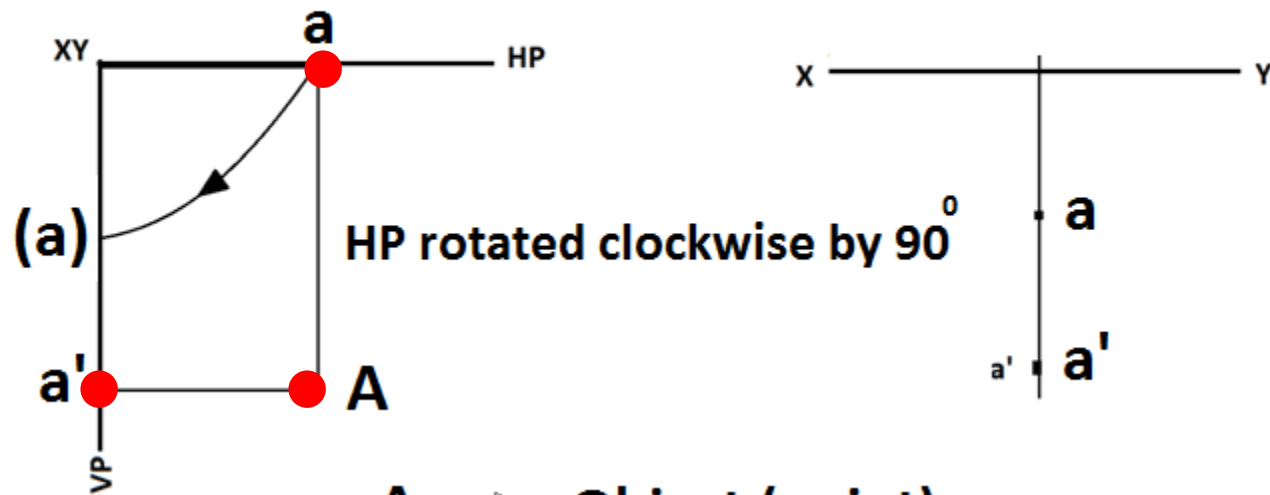
A → Object (point)

a → TV (plan)

a' → FV (elevation)

## PROJECTION OF POINTS

A - in Fourth quadrant



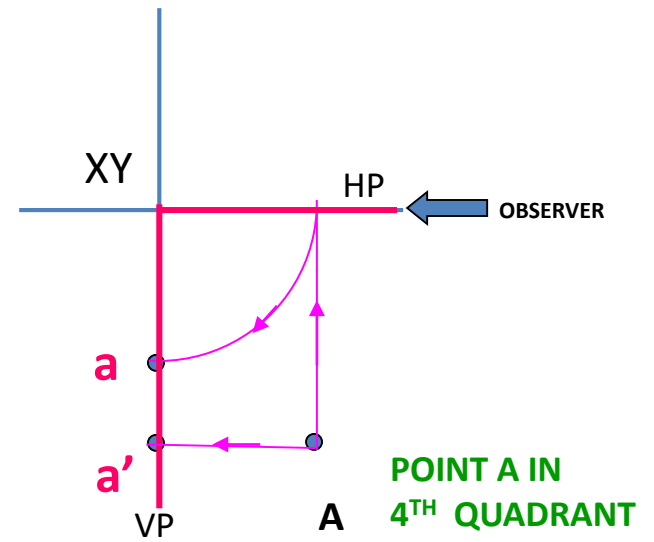
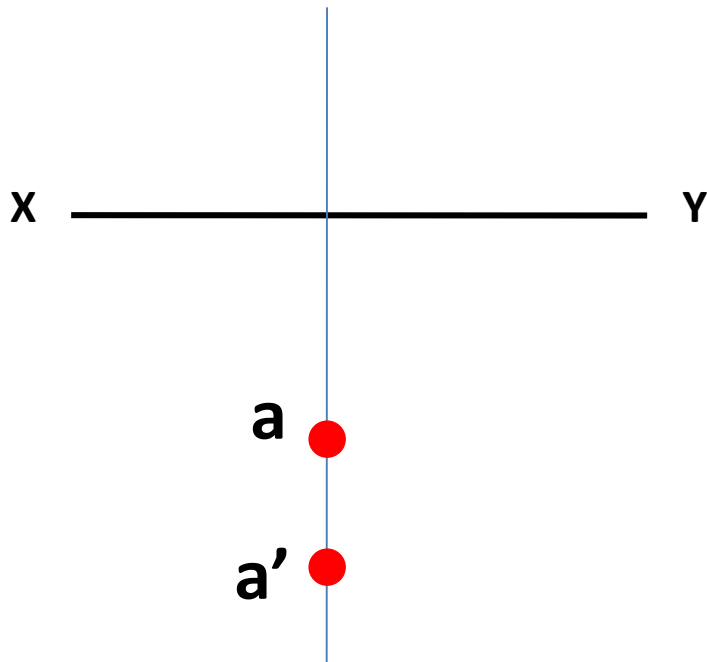
A → Object (point)

a → TV (plan)

a' → FV (elevation)

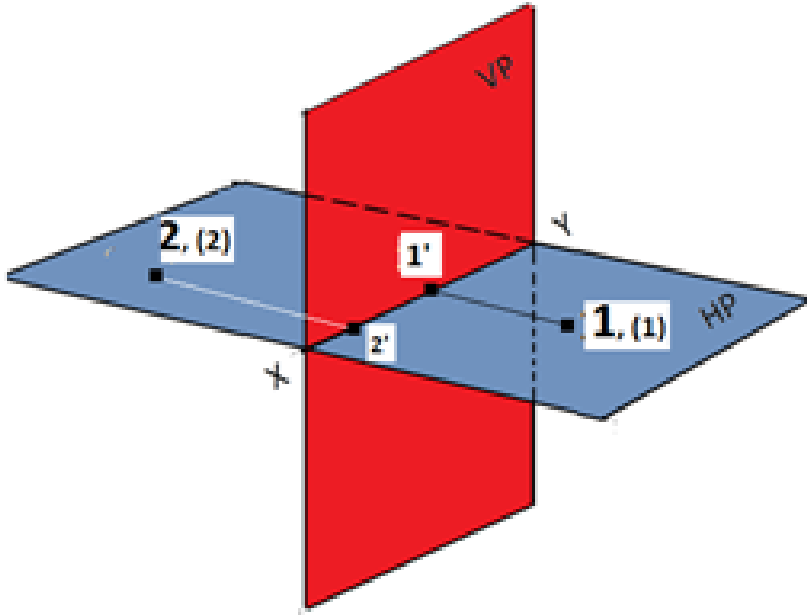
Point A in Fourth quadrant	
A below HP	a' – FV (Elevation) below XY
A in front of VP	a - TV (Plan) below XY





**Convention: Horizontal plane is always rotated clockwise**

## POINT ON HP



□ **1 - on HP & in front of VP**

➤ **1' – on XY**

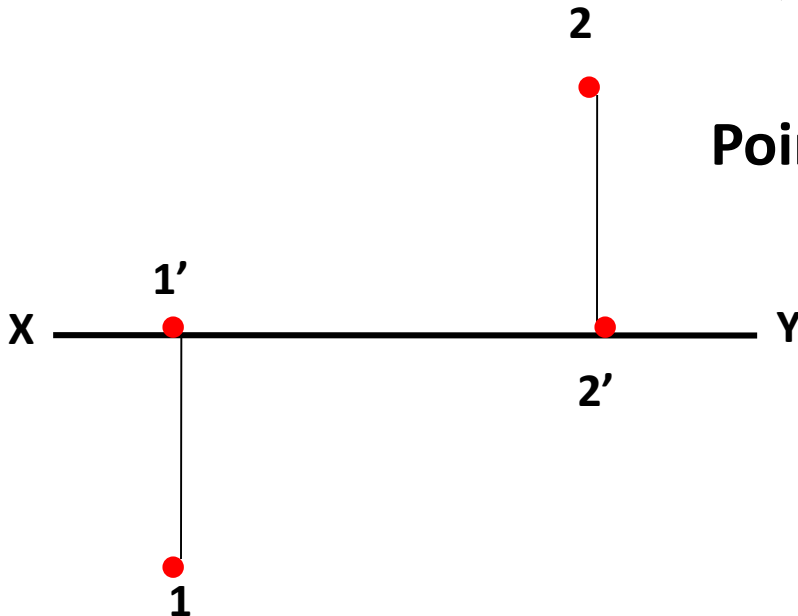
➤ **1 - below XY**

□ **2 – on HP & behind VP**

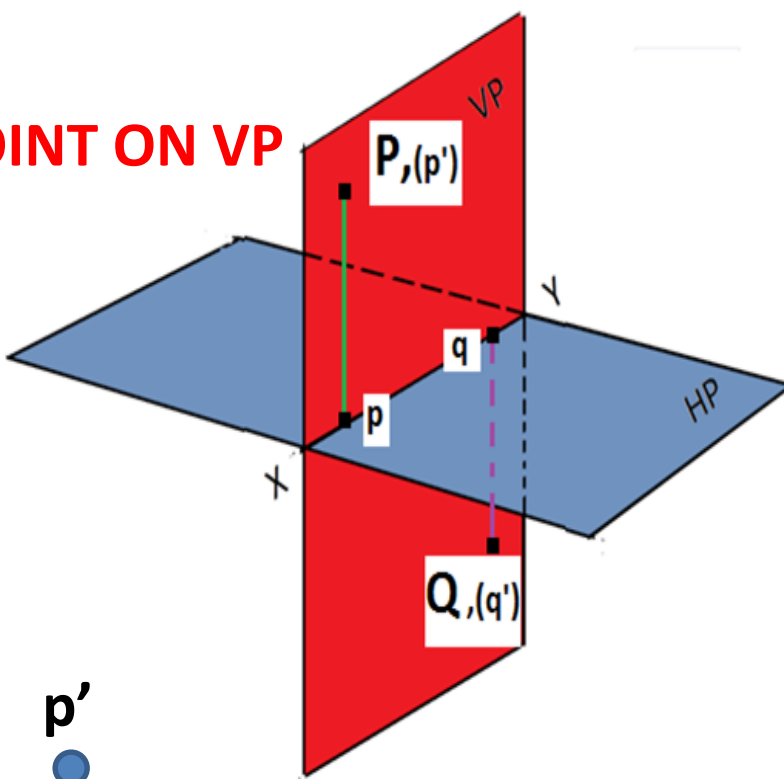
➤ **2' – on XY**

➤ **2 – above XY**

Point on HP, its FV (elevation) on XY



**POINT ON VP**



**□ P - on VP & above HP**

➤ **P - on XY**

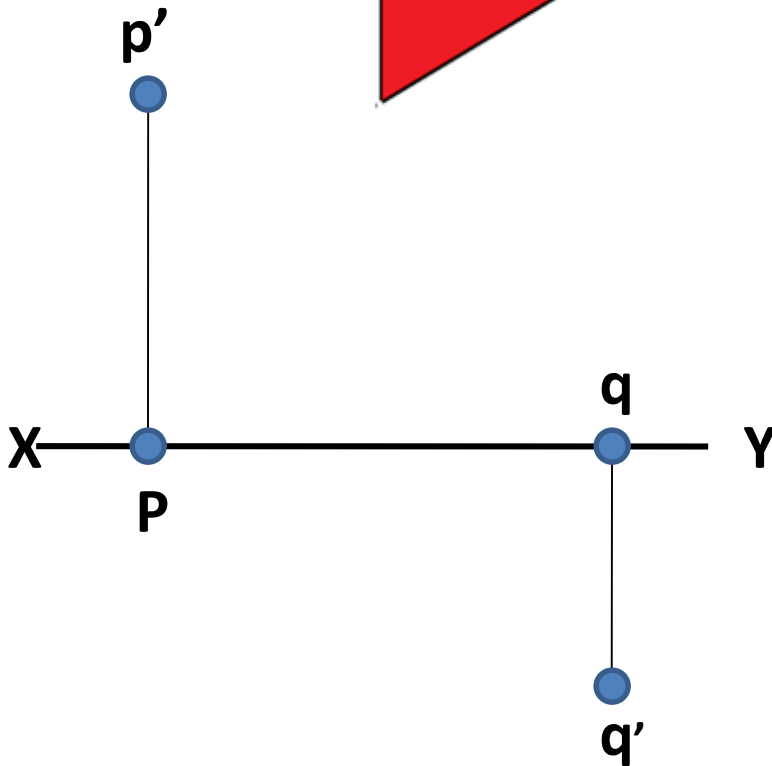
➤ **p' - above XY**

➤ **Q - on VP & below HP**

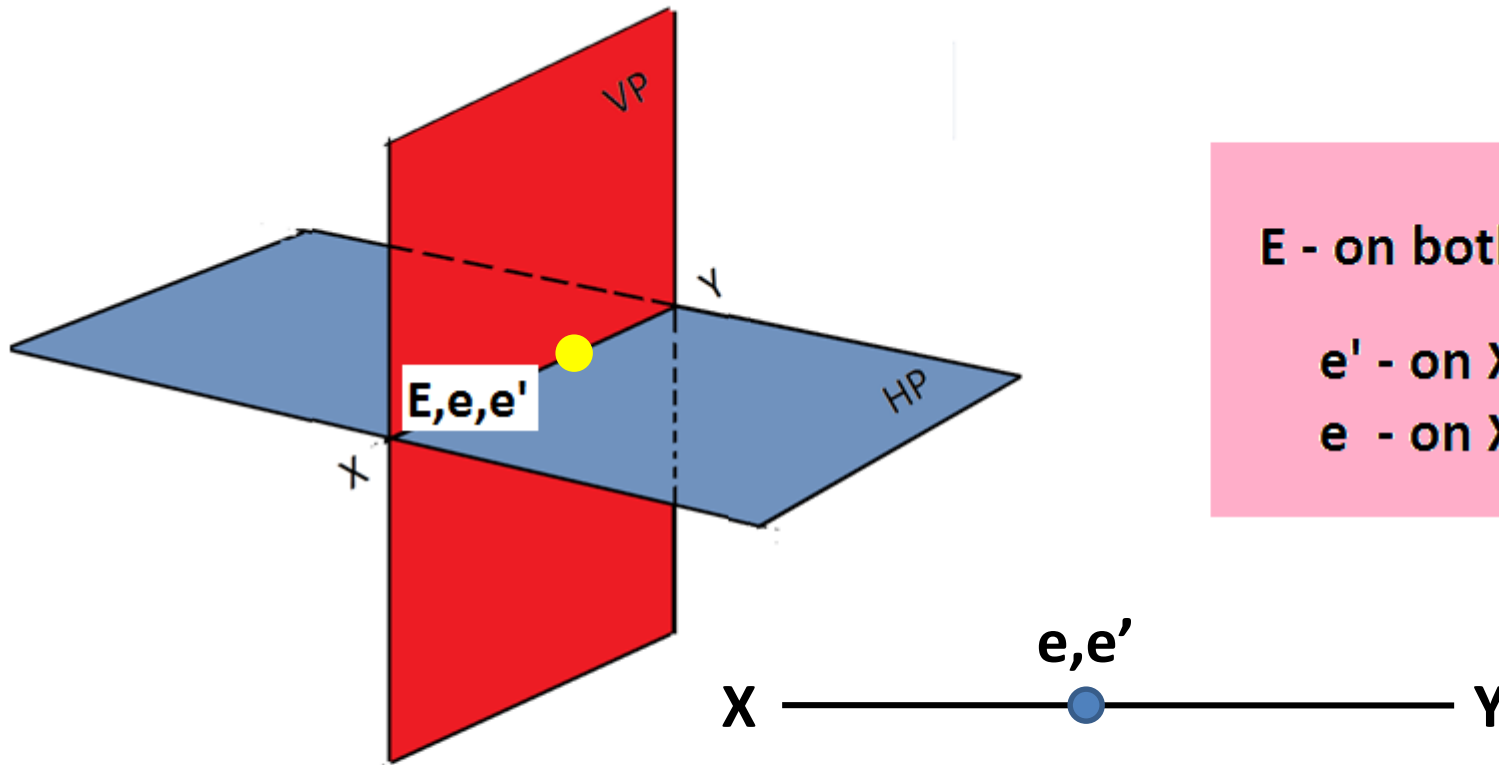
➤ **q - on XY**

➤ **q' - below XY**

**Point on VP, its TV (plan) on XY**



## POINT ON BOTH HP & VP



**E - on both HP & VP**

**e' - on XY**

**e - on XY**

**Point on both HP & VP, its Front and Top views on XY**

## PROJECTION OF POINTS

### A in First quadrant

A above HP ..... a' above XY

A in front of VP ..... a below XY

### A in Second quadrant

A above HP ..... a' above XY

A behind VP ..... a above XY

### A in Third quadrant

A below HP ..... a' below XY

A behind VP ..... a above XY

### A in Fourth quadrant

A below HP ..... a' below XY

A in front of VP ..... a below XY

# PROJECTIONS OF POINTS

<b>A above HP</b>	<b>a' above XY</b>
<b>A on HP</b>	<b>a' on XY</b>
<b>A below HP</b>	<b>a' below XY</b>
<b>A in front of VP</b>	<b>a below XY</b>
<b>A on VP</b>	<b>a on XY</b>
<b>A behind VP</b>	<b>a above XY</b>

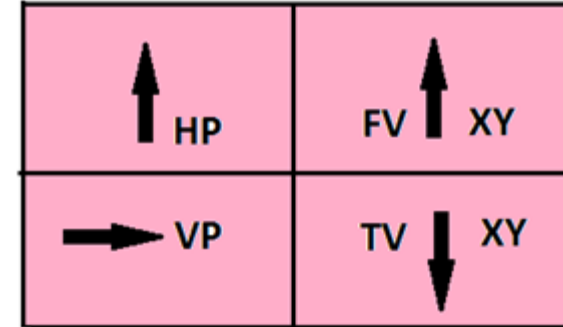
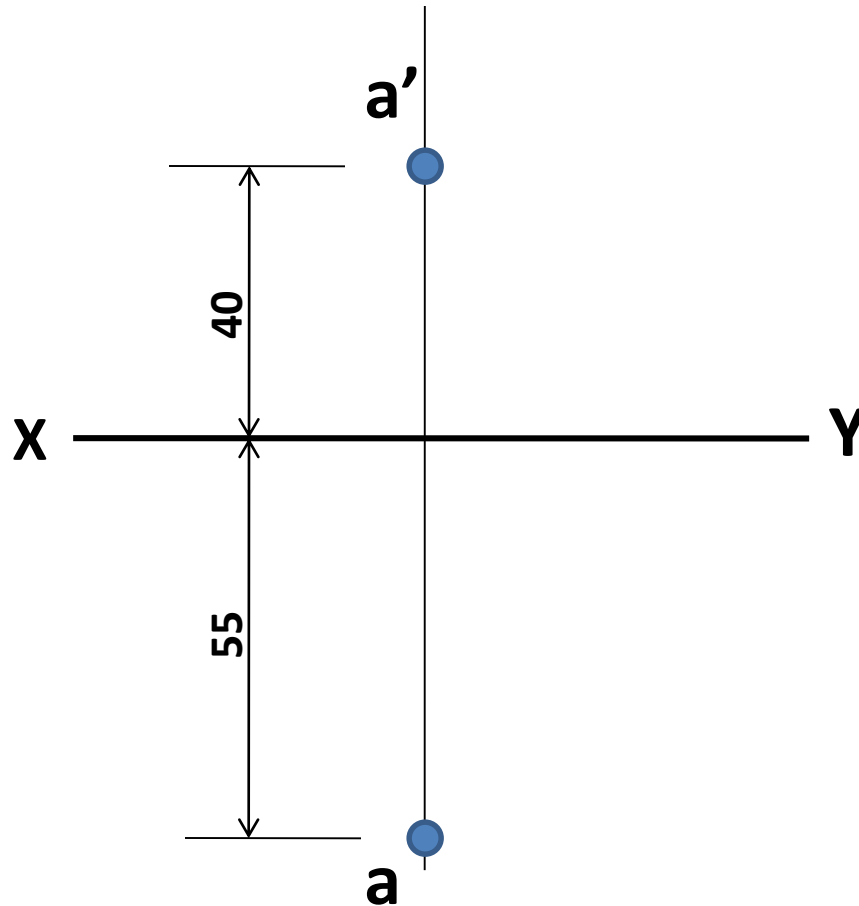
## PROJECTIONS OF POINTS

Draw the projections of the following points.

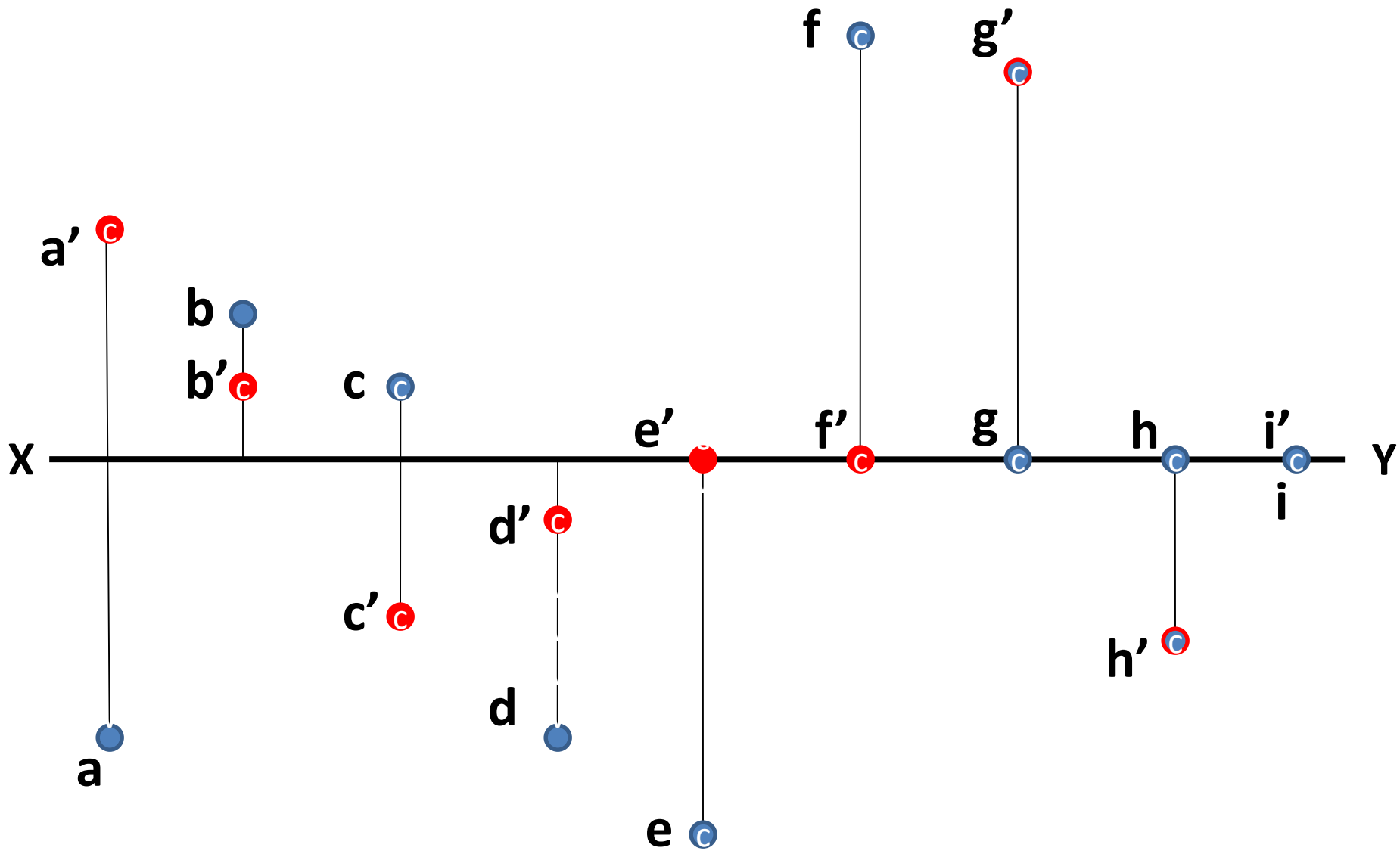
1. *A 40 mm above HP and 55 mm in front of VP.*
2. *B 10 mm above HP and 25 mm behind VP.*
3. *C 35 mm below HP and 20 mm behind VP.*
4. *D 10 mm below HP and 40 mm in front of VP.*
5. *E on HP and 50 mm in front of VP.*
6. *F on HP and 80 mm behind VP.*
7. *G on VP and 75 mm above HP.*
8. *H on VP and 30 mm below HP.*
9. *I on both HP and VP.*

Draw the projections of the following points.

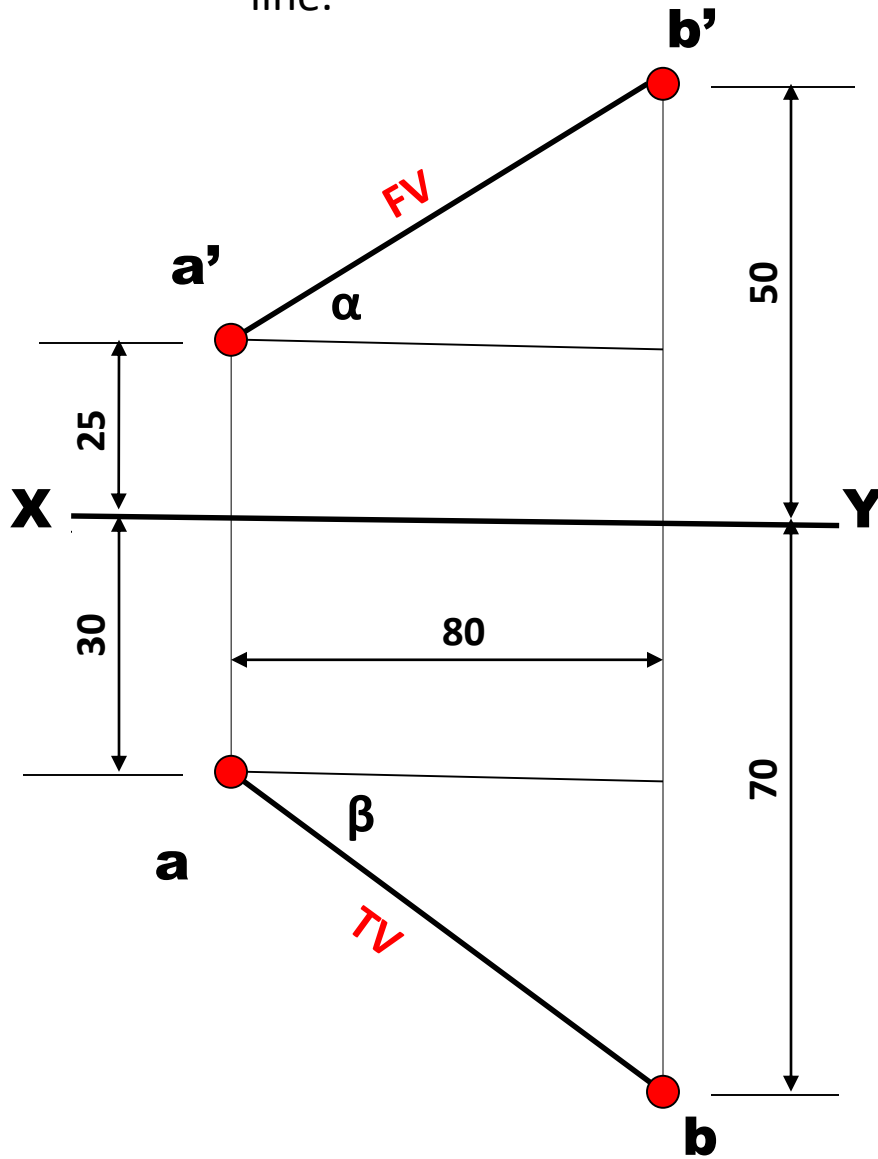
1. *A 40 mm above HP and 55 mm in front of VP.*







- (1). Line AB has its end A 25 mm above HP and 30 mm in front of VP. End B is 50 mm above HP and 70 mm in front of VP. Distance between the end projectors is 80 mm. Draw the projections of the line.



Positions of **A**

Positions of **B**

Length of **FV**

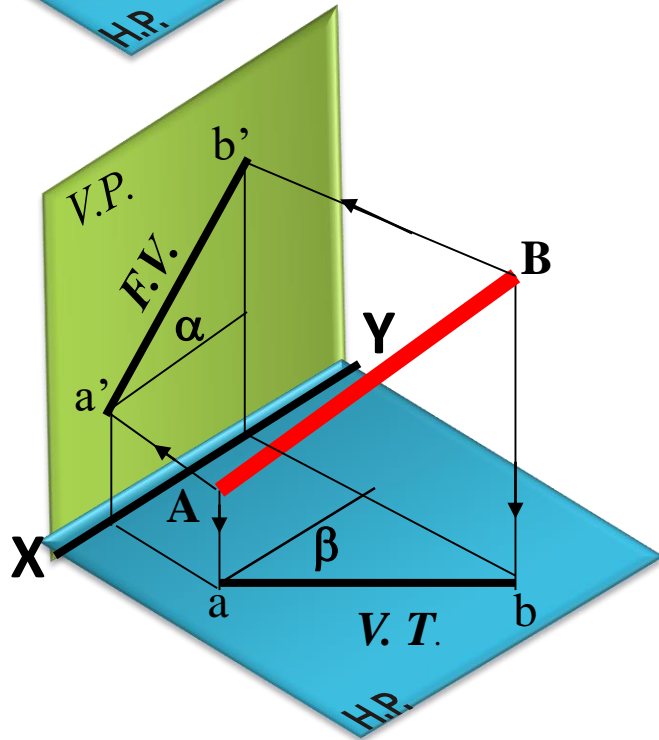
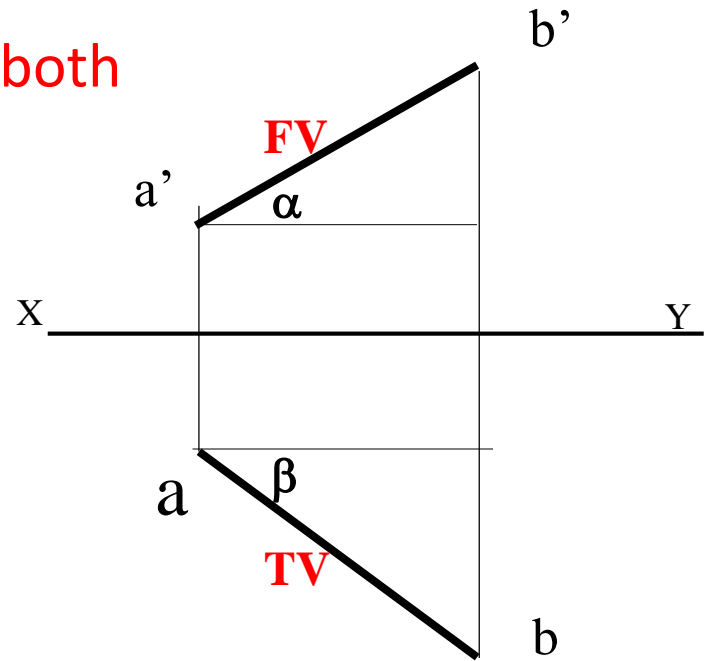
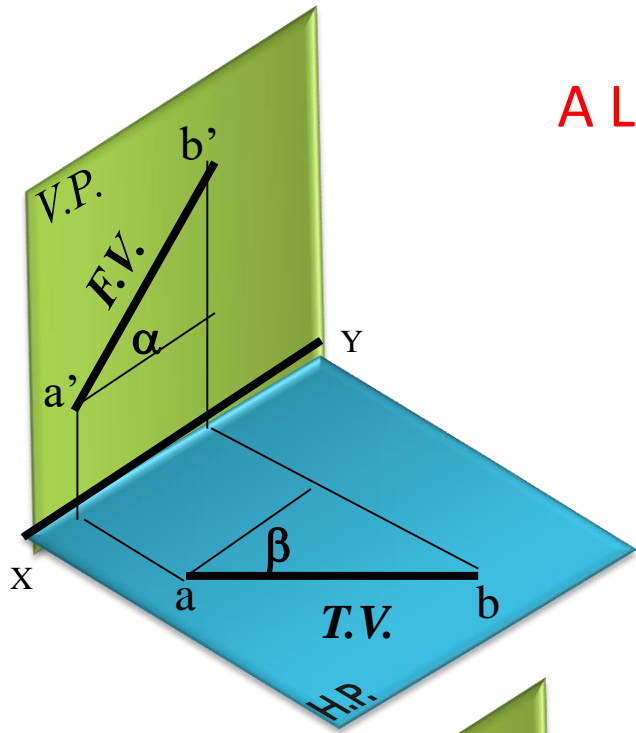
Length of **TV**

Inclination of **FV** to **XY** .....( $\alpha$ )

Inclination of **TV** to **XY** .....( $\beta$ )

Distance b/w projectors... ( $\Delta$  proj)

# A Line inclined to both HP and VP



Positions of **A**

Positions of **B**

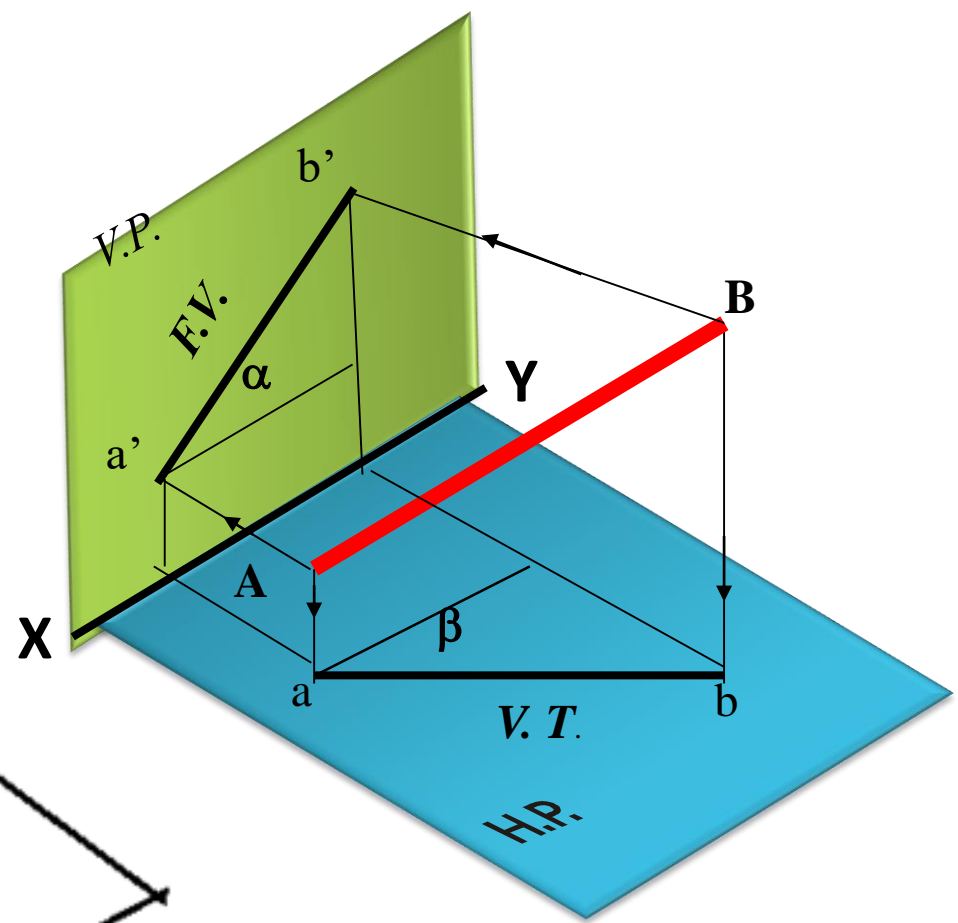
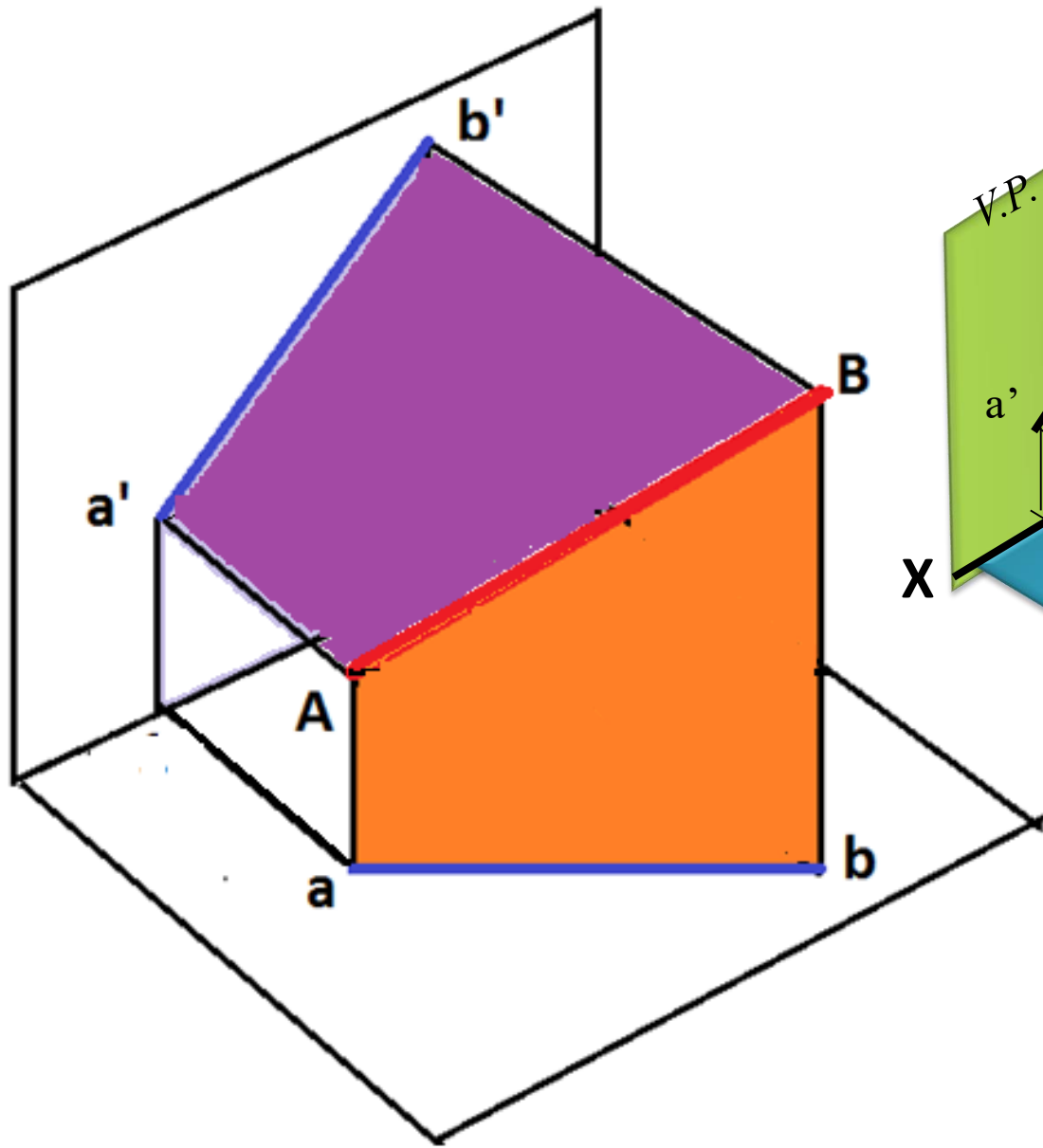
Length of **FV**

Length of **TV**

Inclination of **FV** to **XY**.....( $\alpha$ )

Inclination of **TV** to **XY** ...( $\beta$ )

Distance b/w projectors... ( $\Delta$  proj)



# Two trapeziums through the line AB

## (1). **ABba**

Surface perpendicular to HP.

Surface inclined to VP.

Base on HP.

Base **ab** represents **TV of AB**

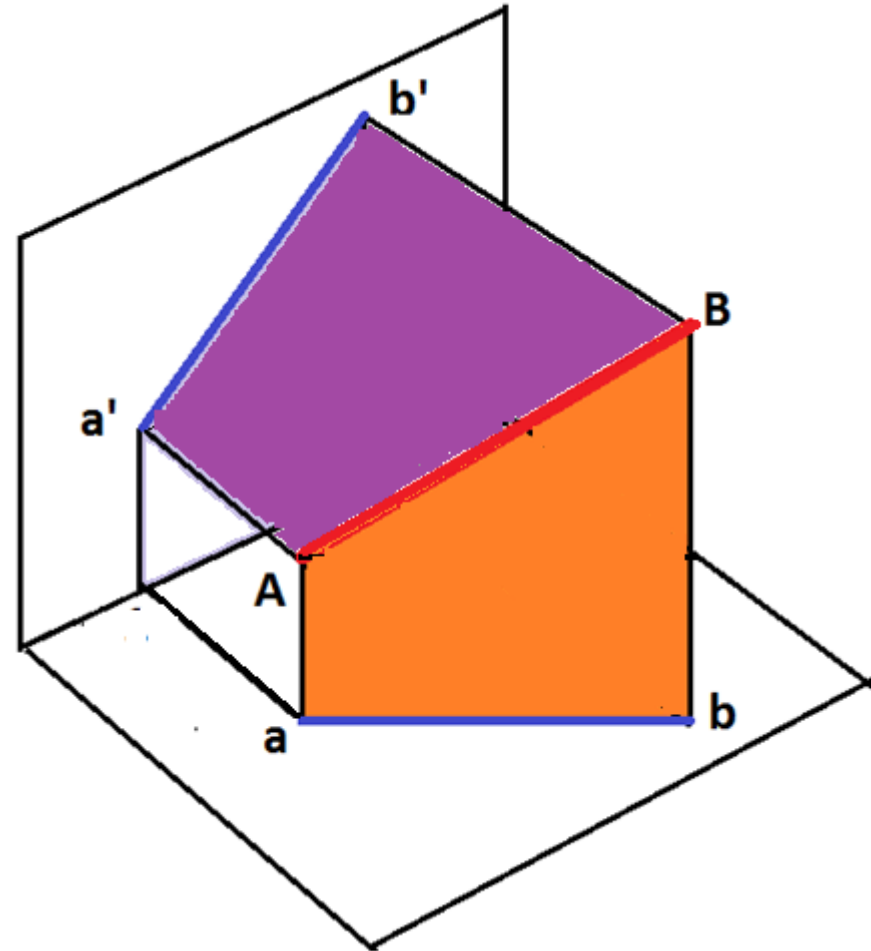
## (2). **ABb'a'**

Surface perpendicular to VP.

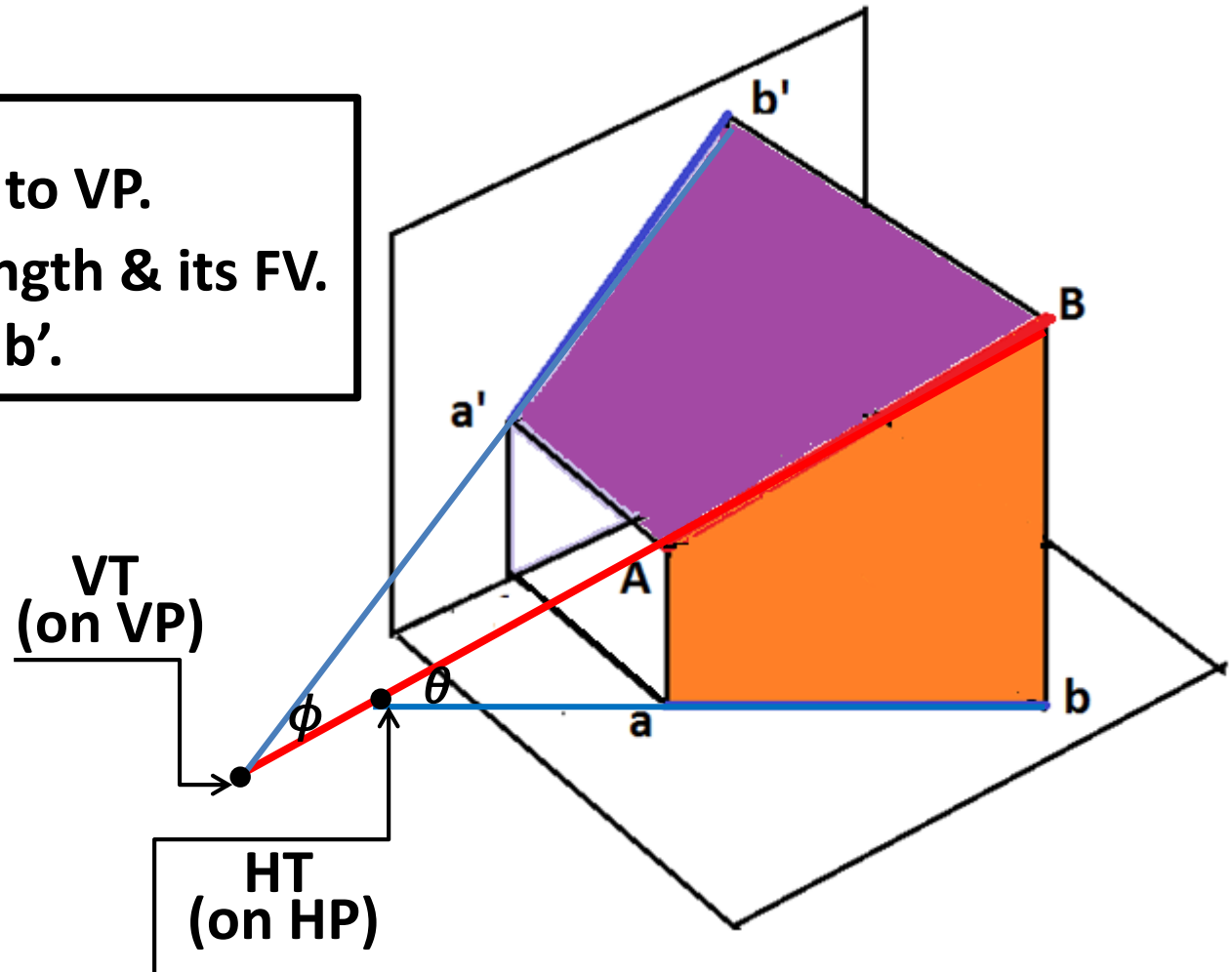
Surface inclined to HP.

Base on VP.

Base **a'b'** represents **FV of AB**



$\phi$  --inclination of AB to VP.  
--angle b/w True length & its FV.  
--angle b/w AB & a'b'.

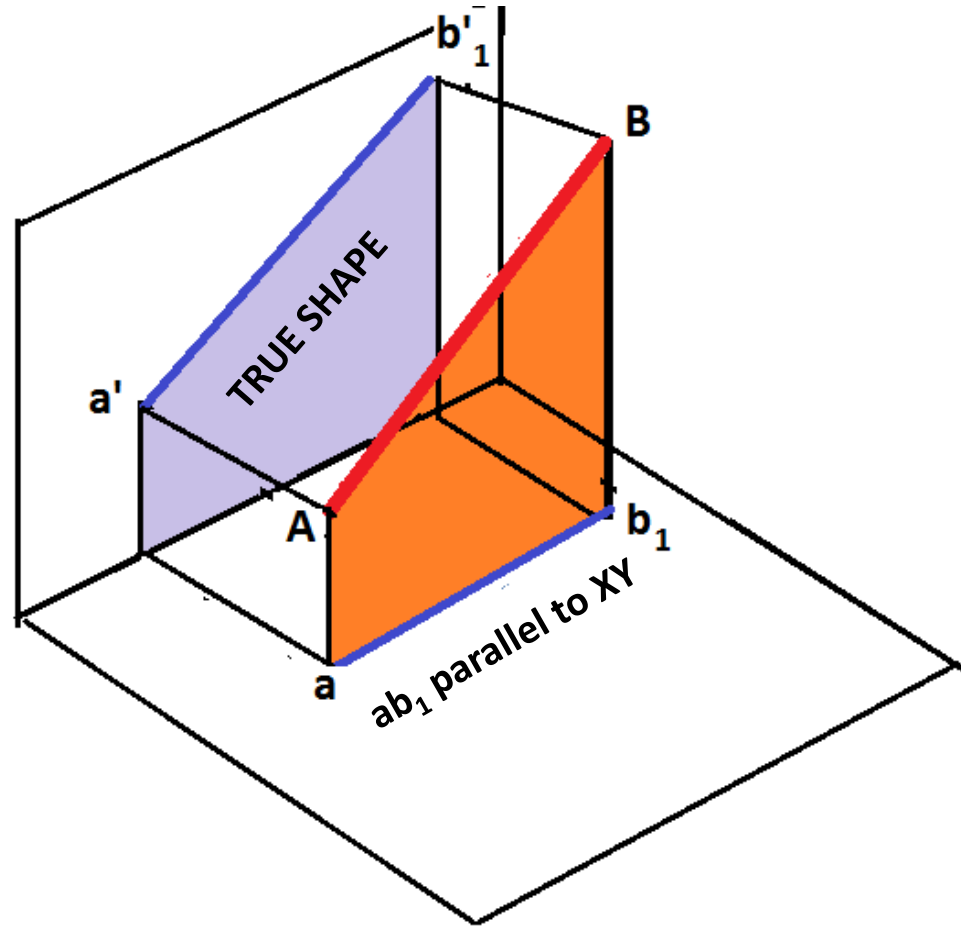
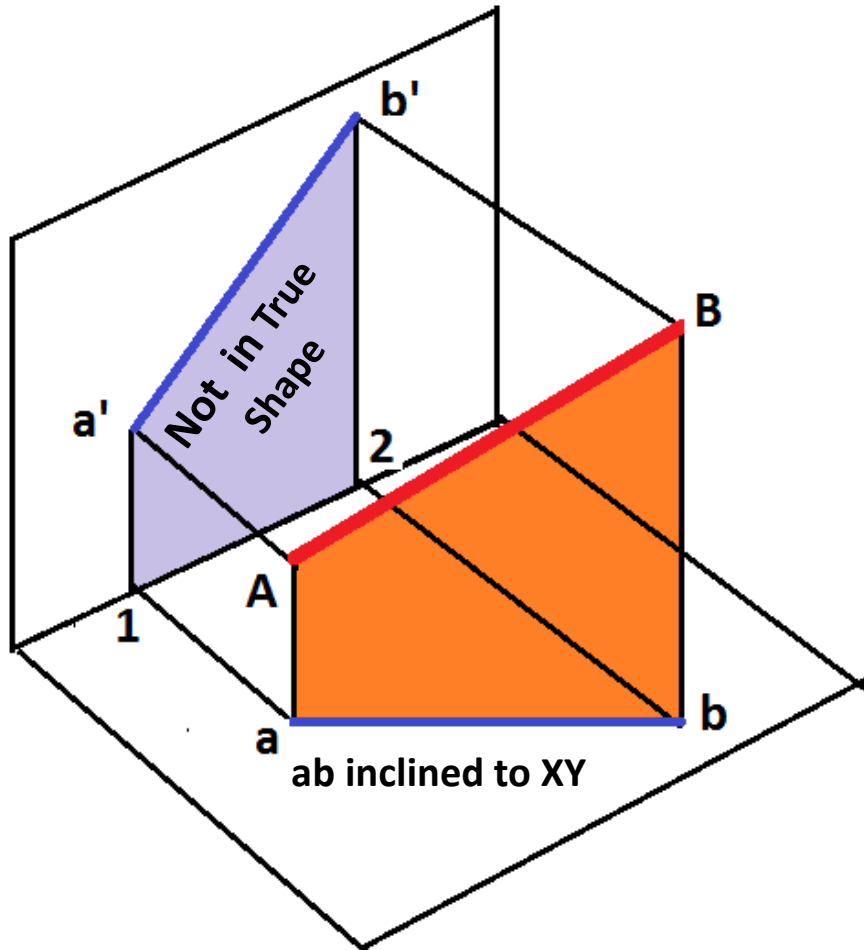


Line AB in space.  
TV (ab) on HP.  
FV (a'b') on VP.

$\theta$  --inclination of AB to HP.  
--angle b/w True length & its TV.  
--angle b/w AB & ab.

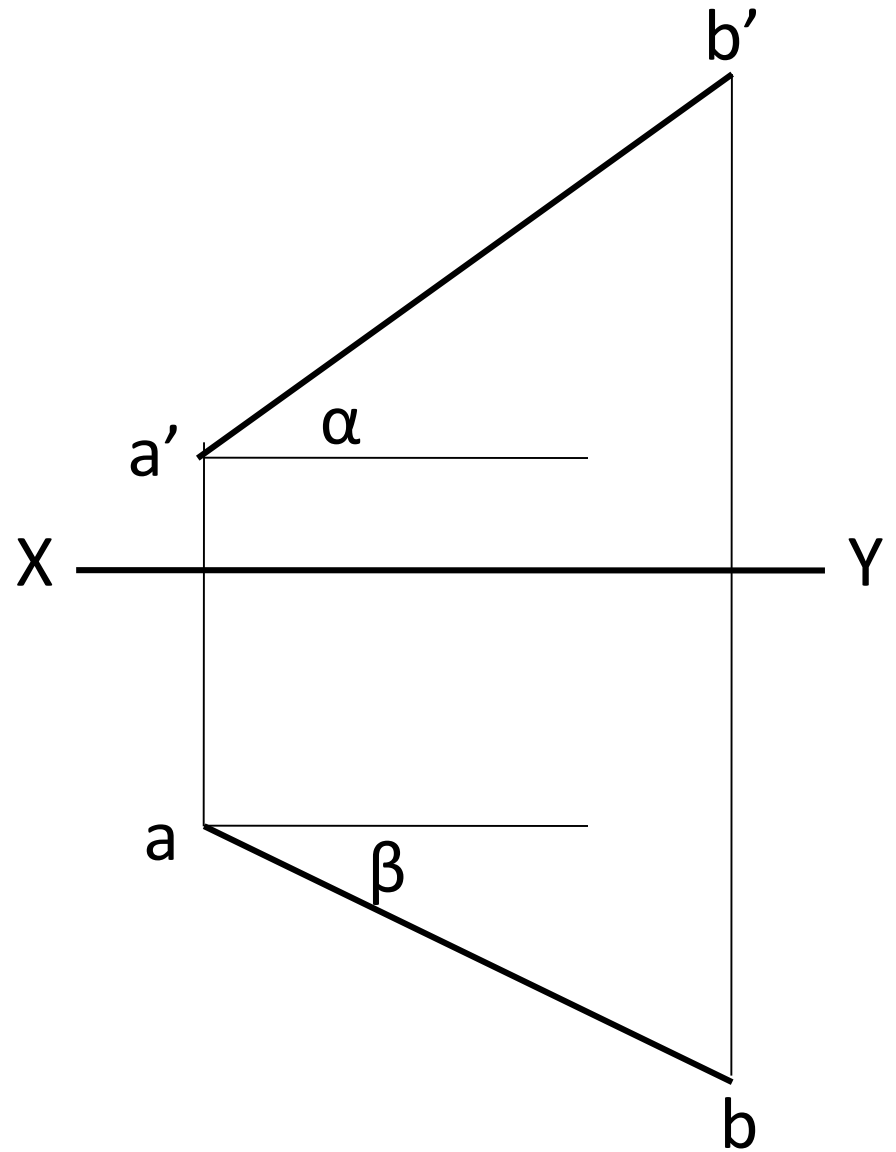
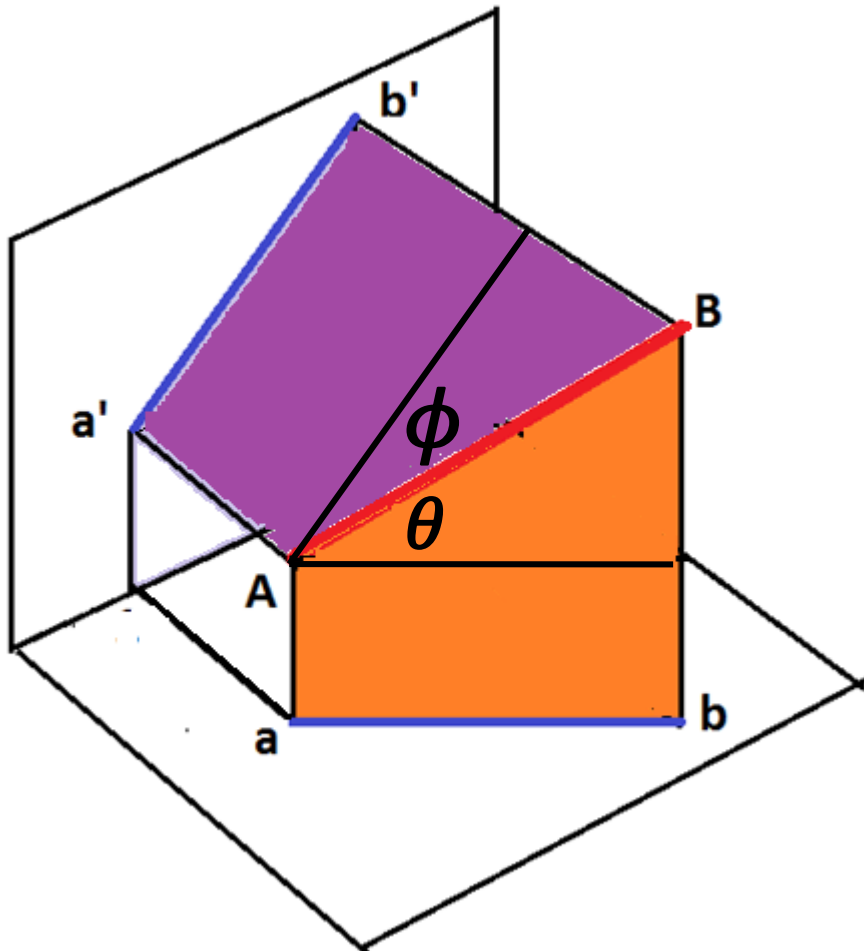
Length of  $ab_1 = \text{length of } ab$

Height of  $b'_1 = \text{Height of } b'$



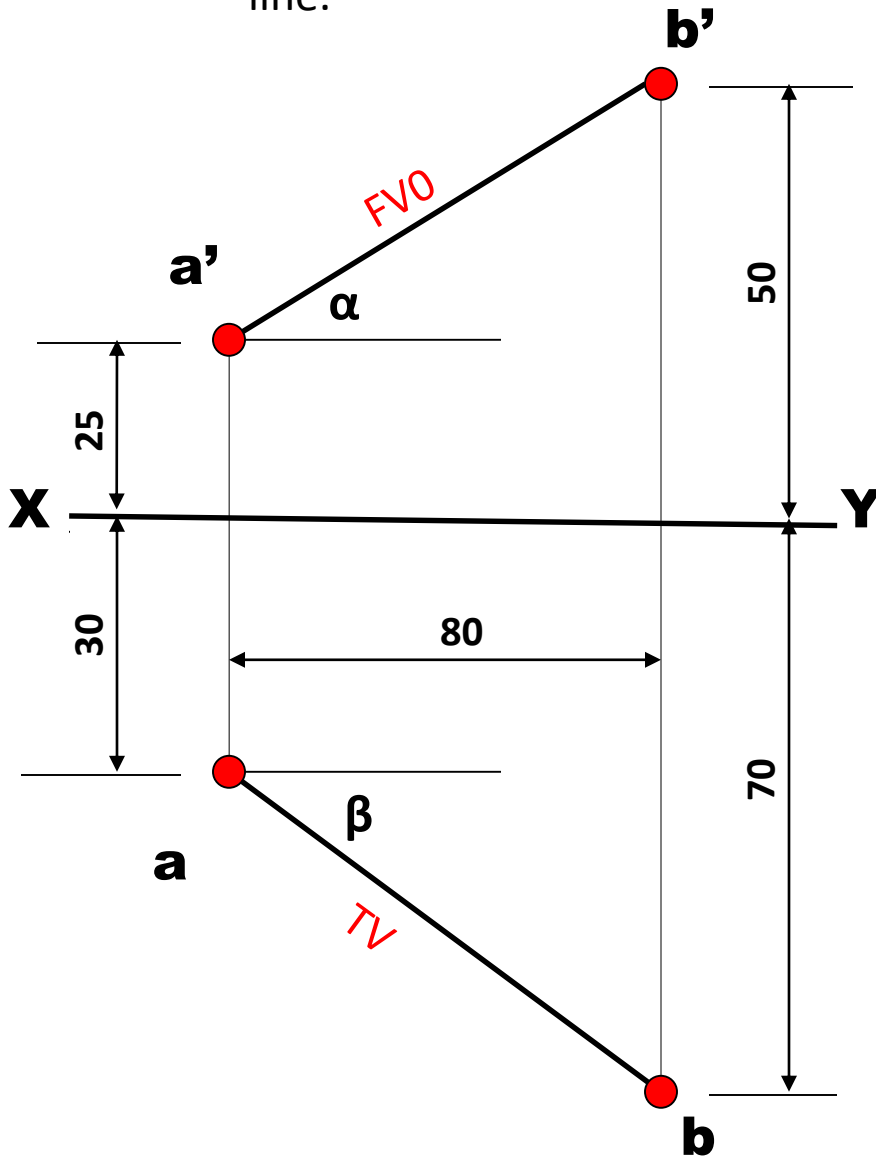
TV parallel to XY; FV represents the True length

# LINE AB INCLINED TO HP & VP





- (1). Line AB has its end A 25 mm above HP and 30 mm in front of VP. End B is 50 mm above HP and 70 mm in front of VP. Distance between the end projectors is 80 mm. Draw the projections of the line.



Positions of **A**

Positions of **B**

Length of **FV**

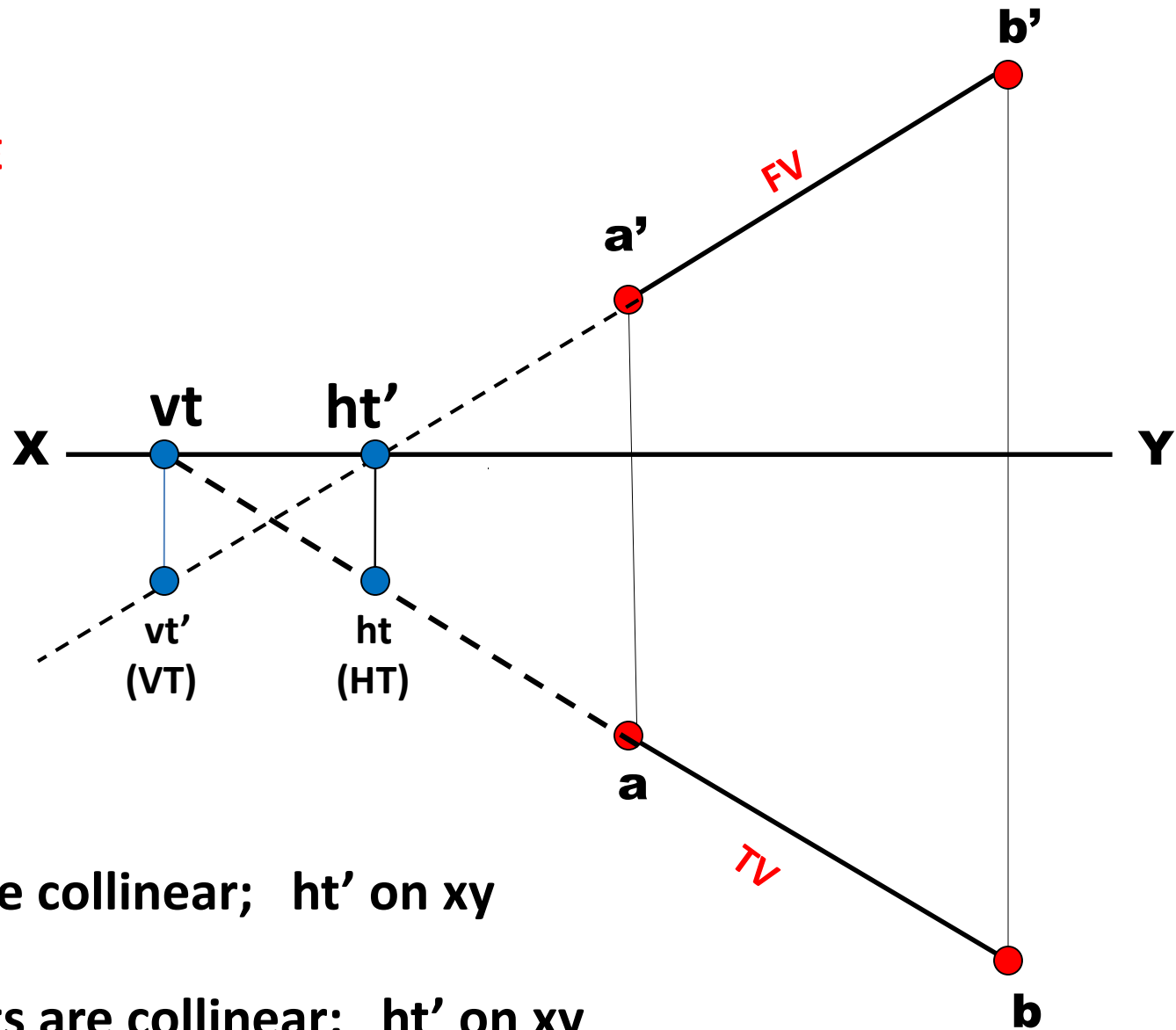
Length of **TV**

Inclination of **FV** to **XY** .....( $\alpha$ )

Inclination of **TV** to **XY** .....( $\beta$ )

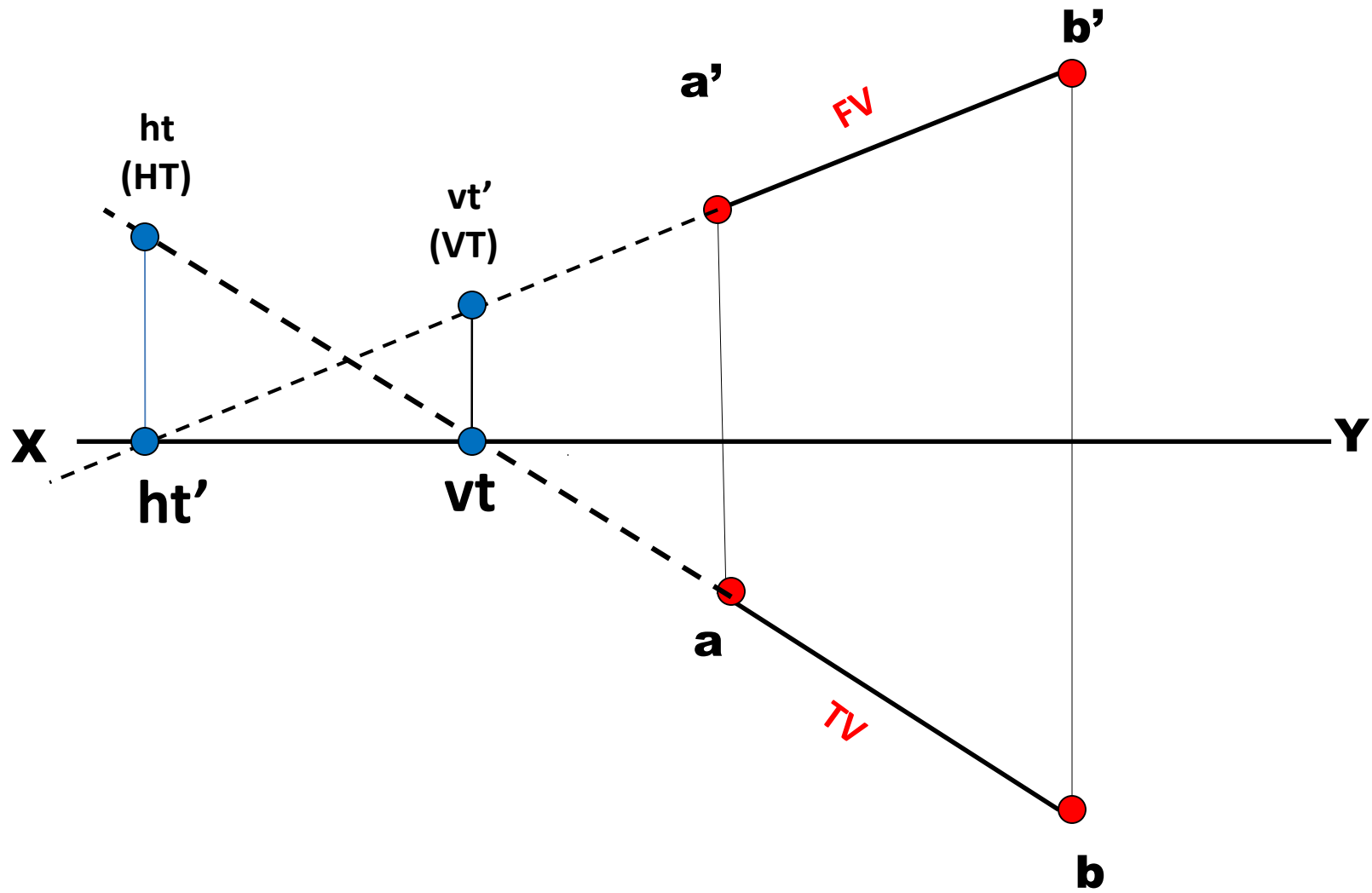
Distance b/w projectors..( $\Delta$  proj)

## TRACES OF A LINE



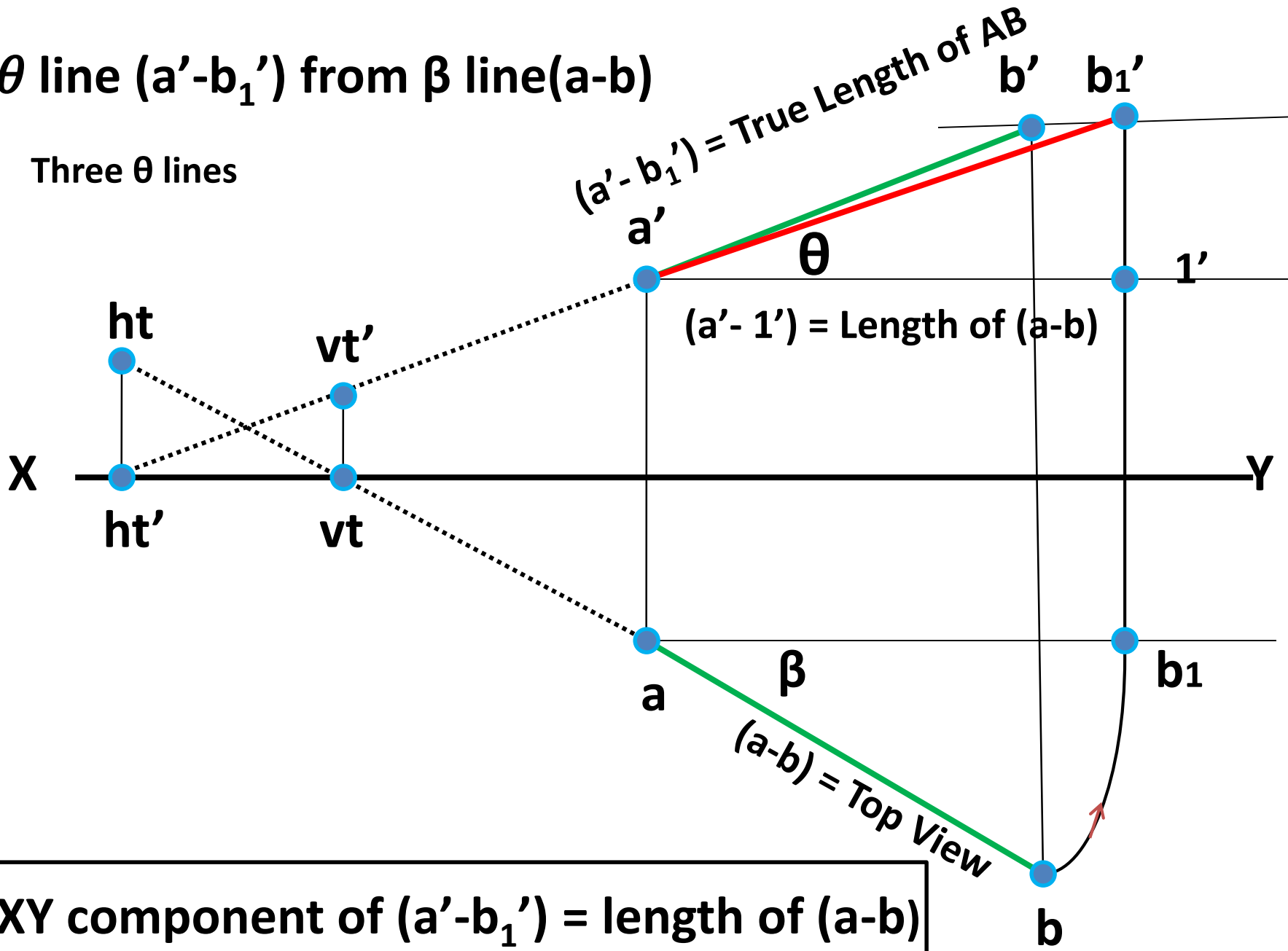
All Plan points are collinear;  $ht'$  on  $xy$

All Elevation points are collinear;  $ht'$  on  $xy$



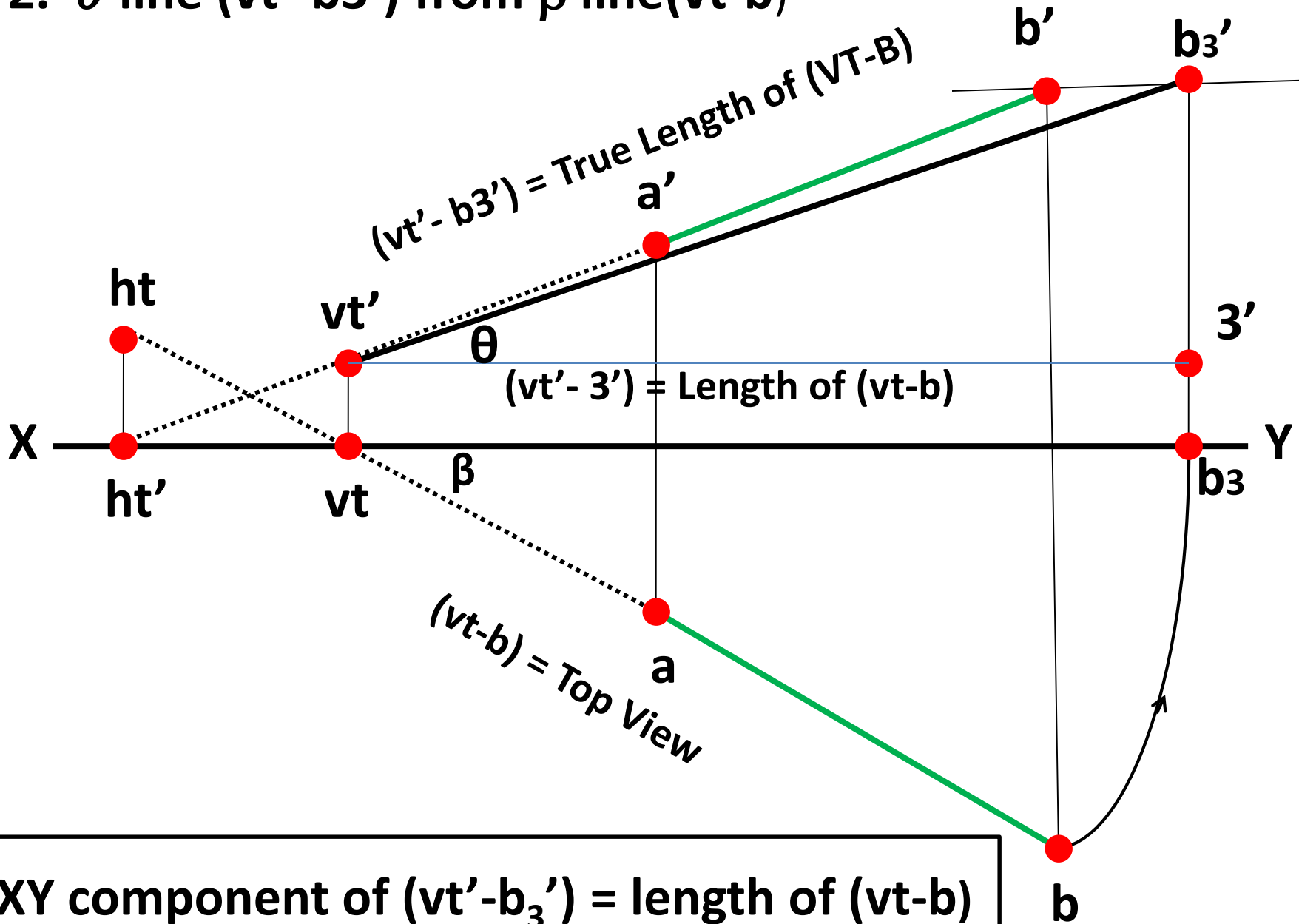
# $\theta$ line ( $a'-b_1'$ ) from $\beta$ line ( $a-b$ )

Three  $\theta$  lines

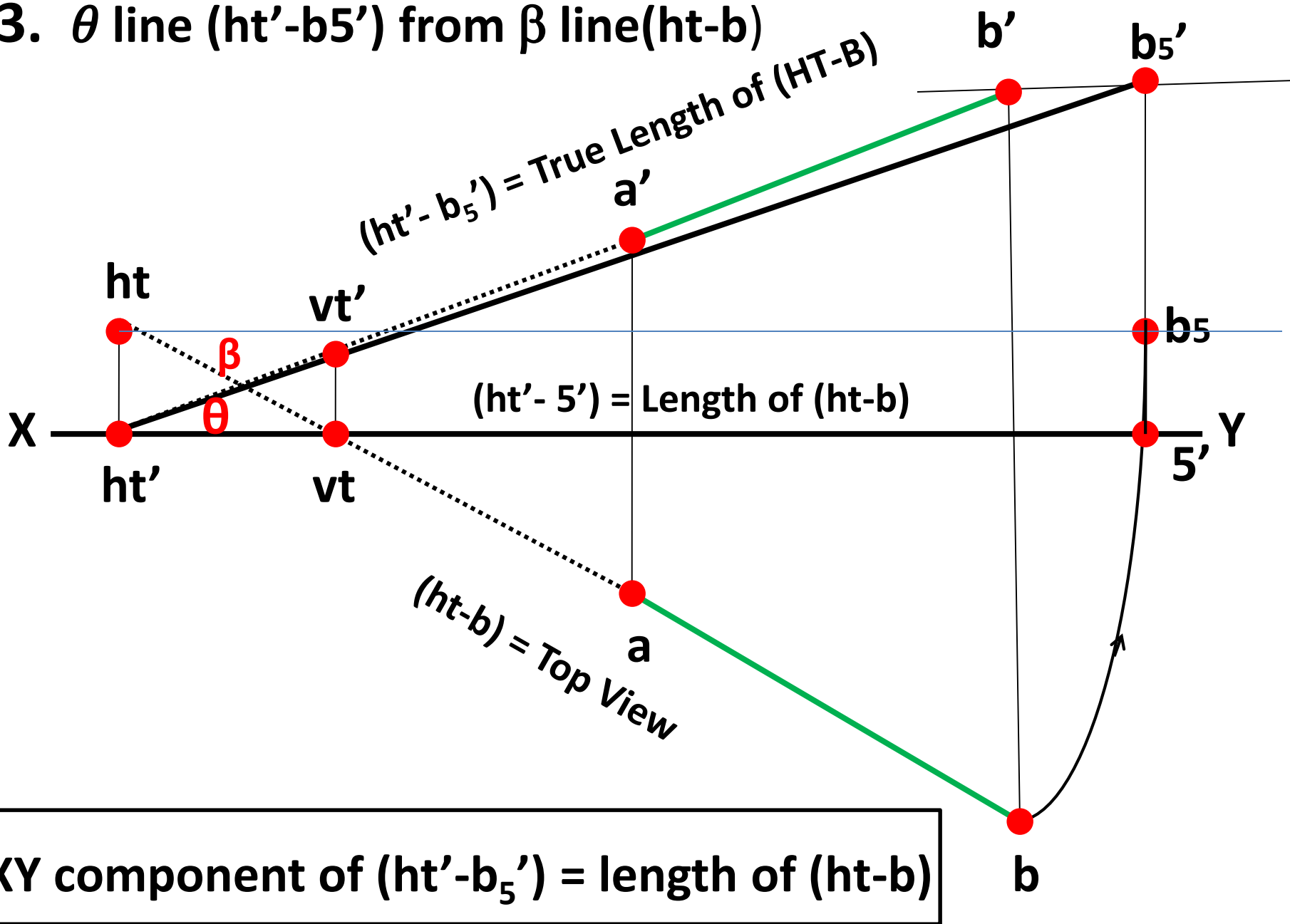


$XY$  component of ( $a'-b_1'$ ) = length of ( $a-b$ )

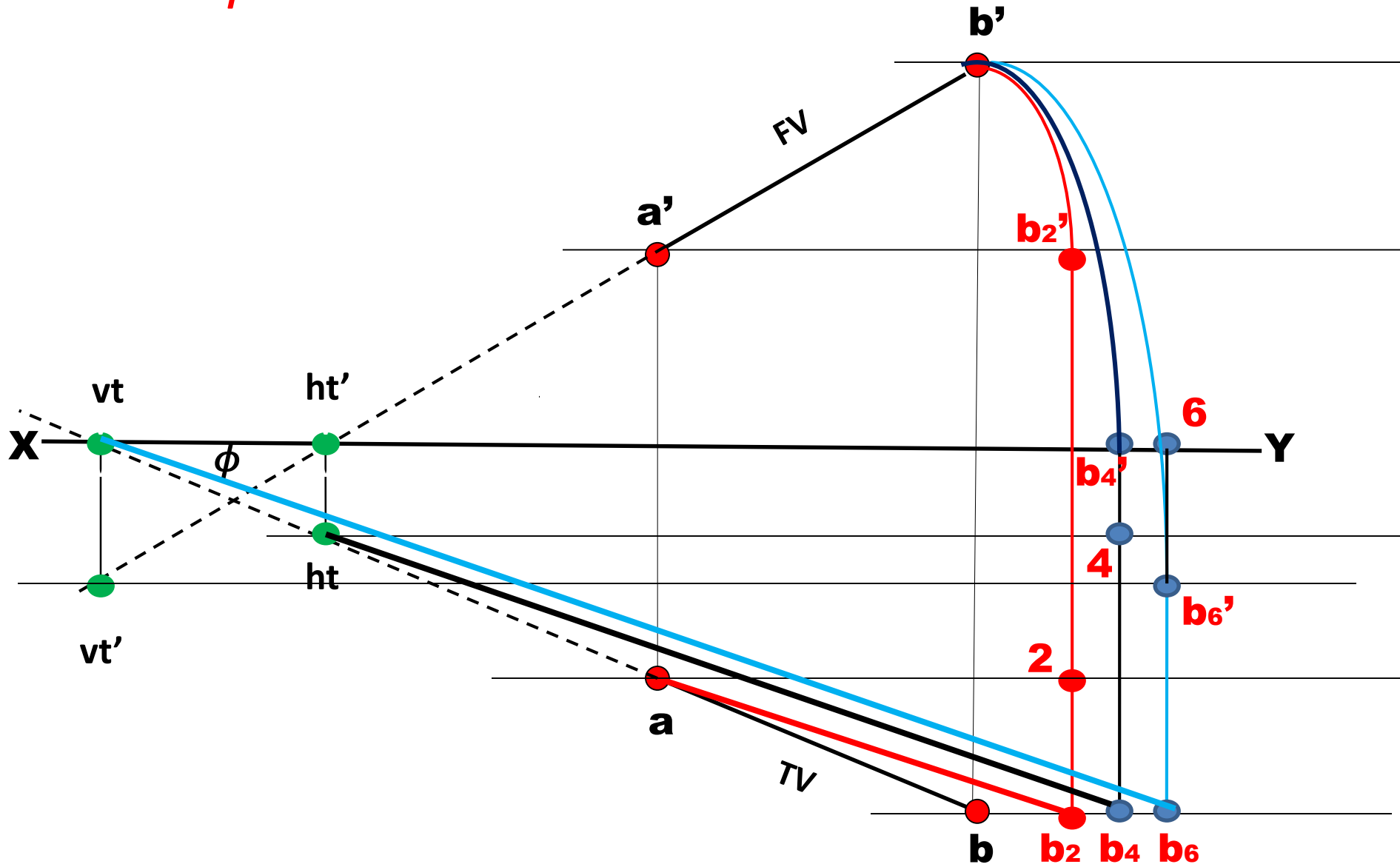
## 2. $\theta$ line ( $vt'-b_3'$ ) from $\beta$ line ( $vt-b$ )



### 3. $\theta$ line ( $ht'-b_5'$ ) from $\beta$ line( $ht-b$ )

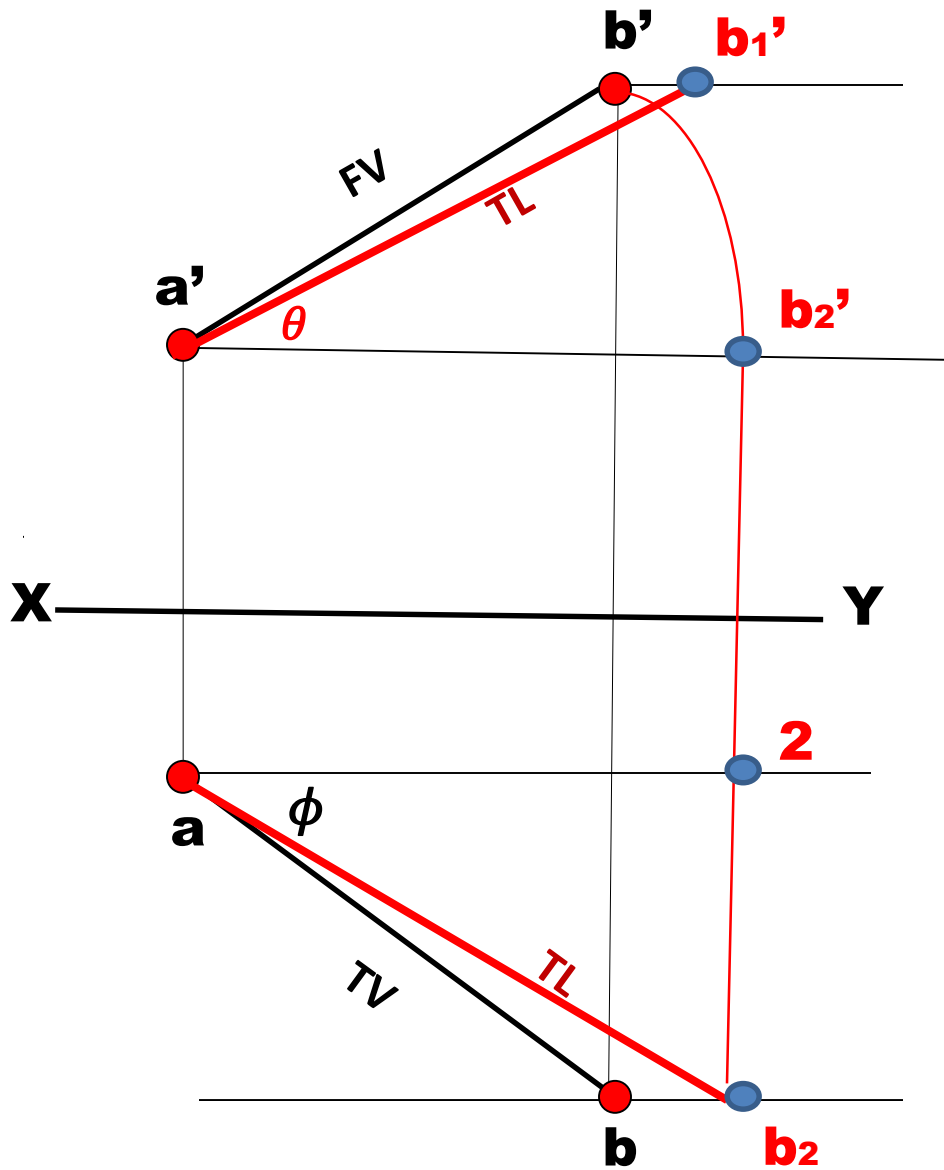


# Three $\phi$ lines from Three $\alpha$ lines



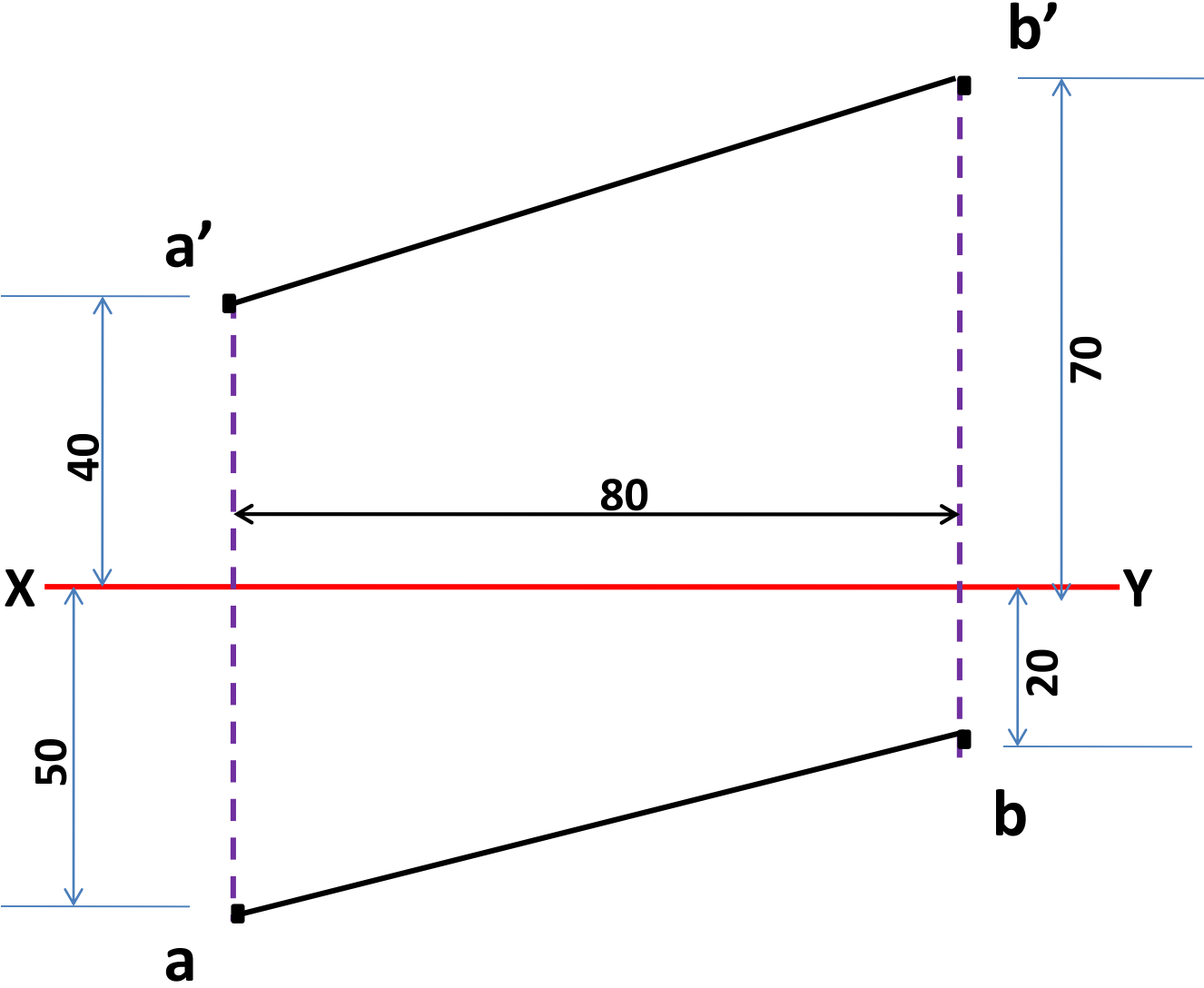


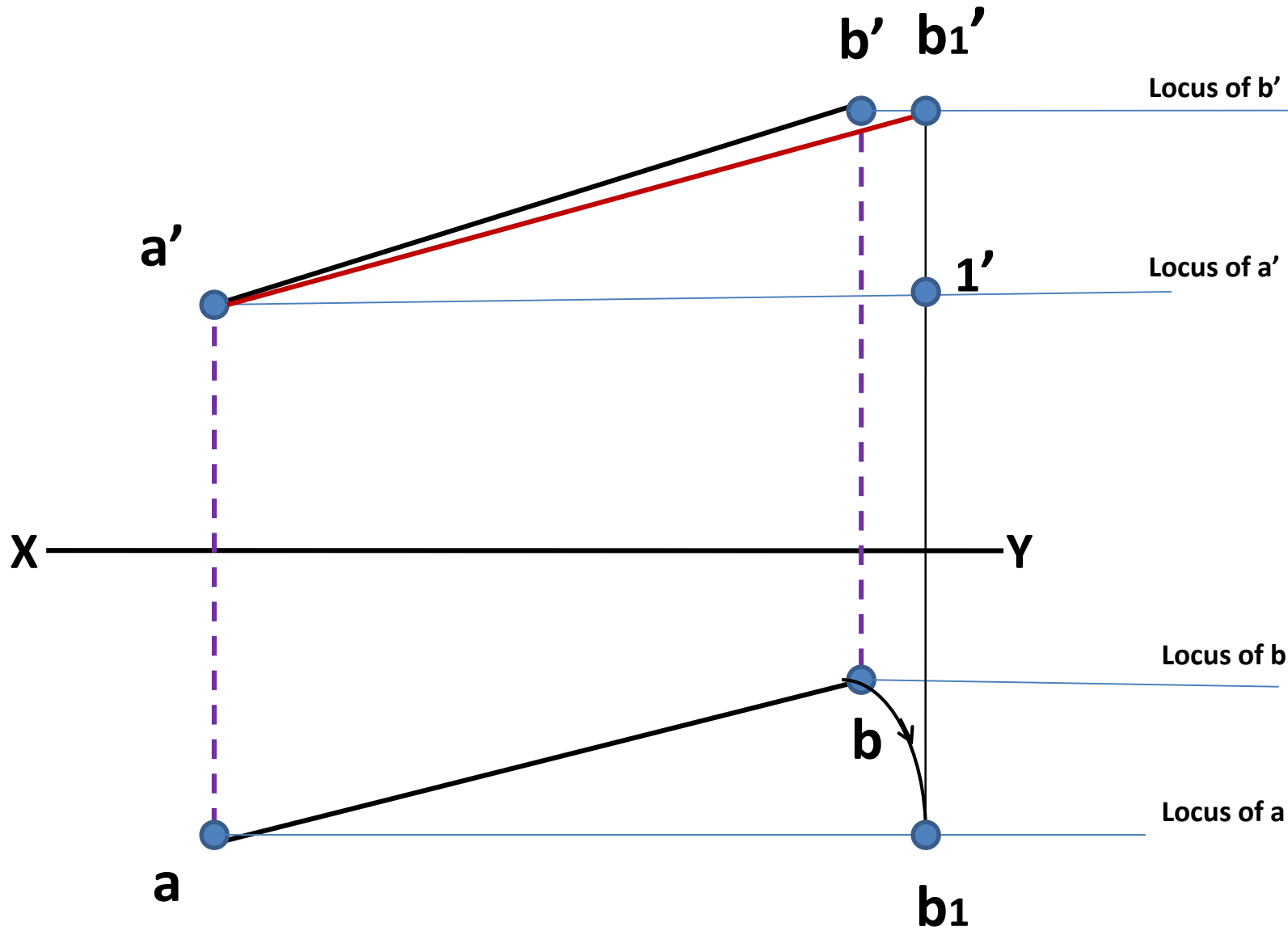




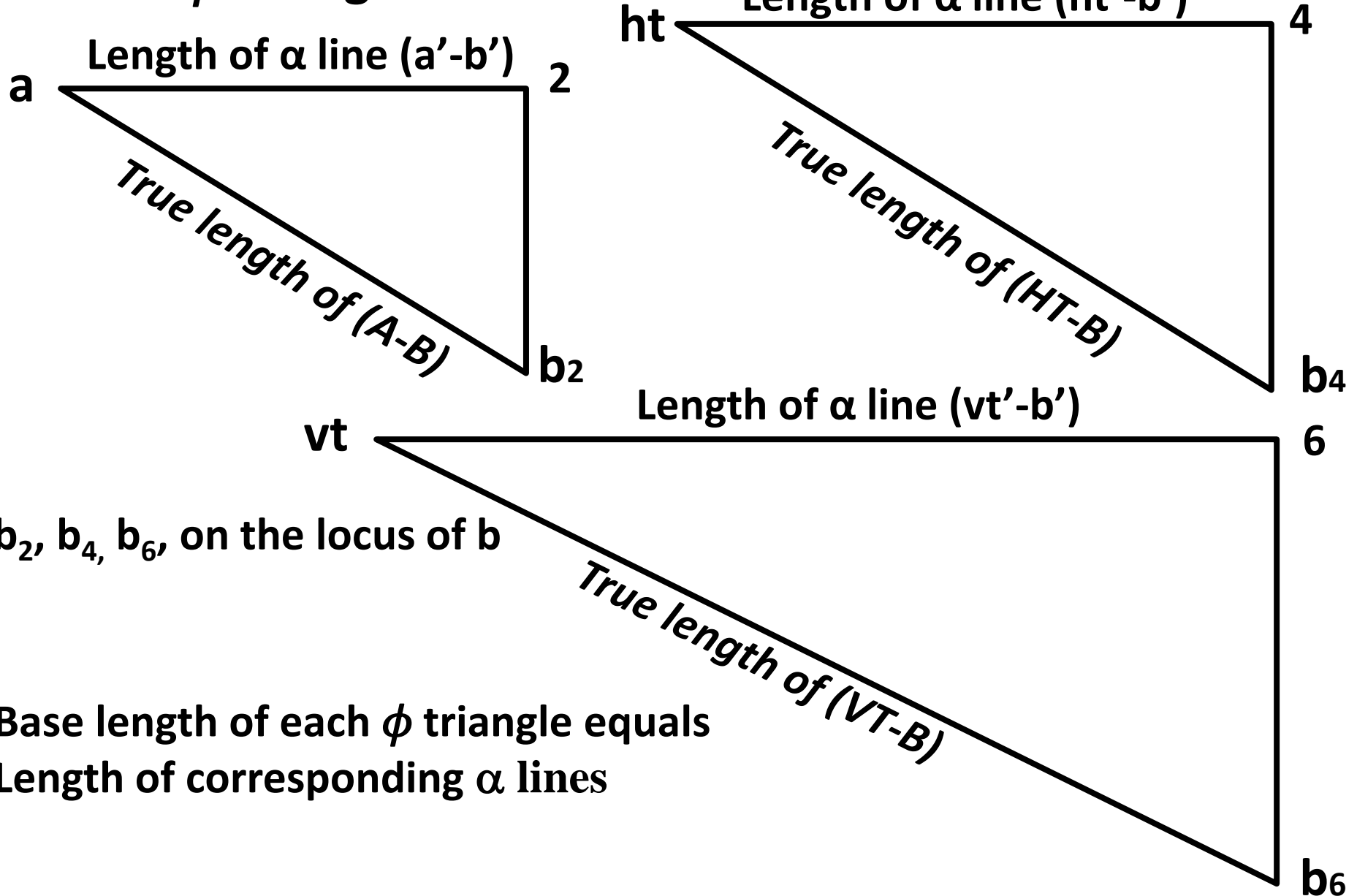
True length from  $\alpha$  line

Triangle formed



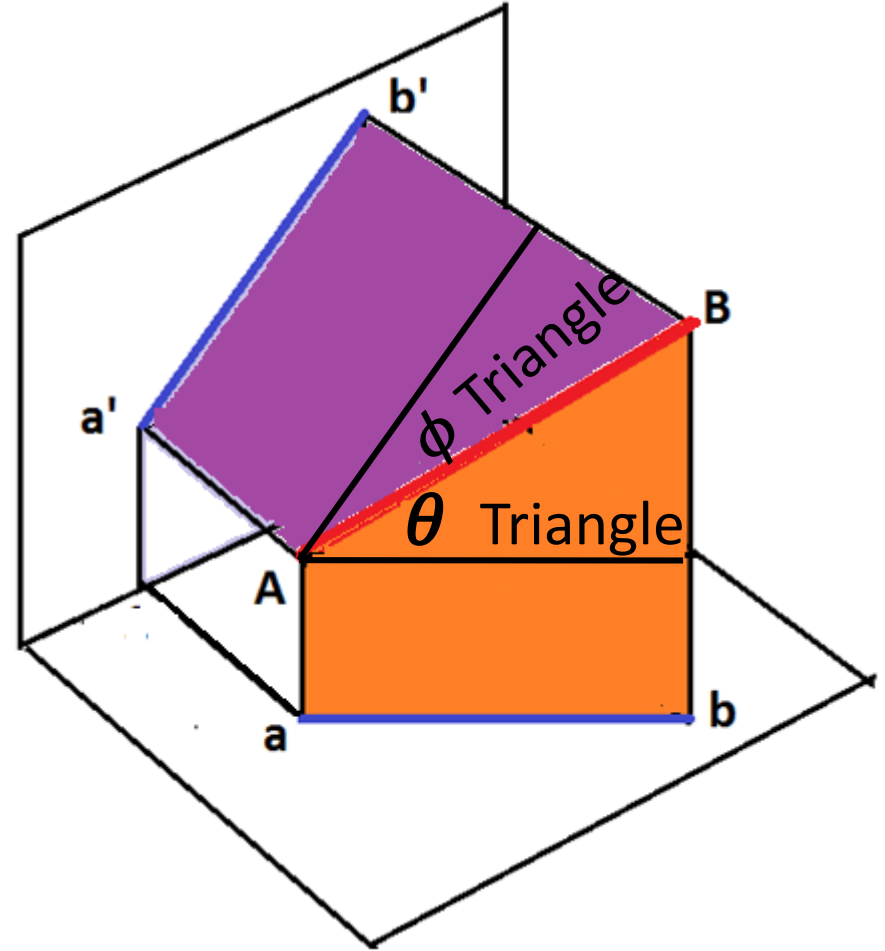
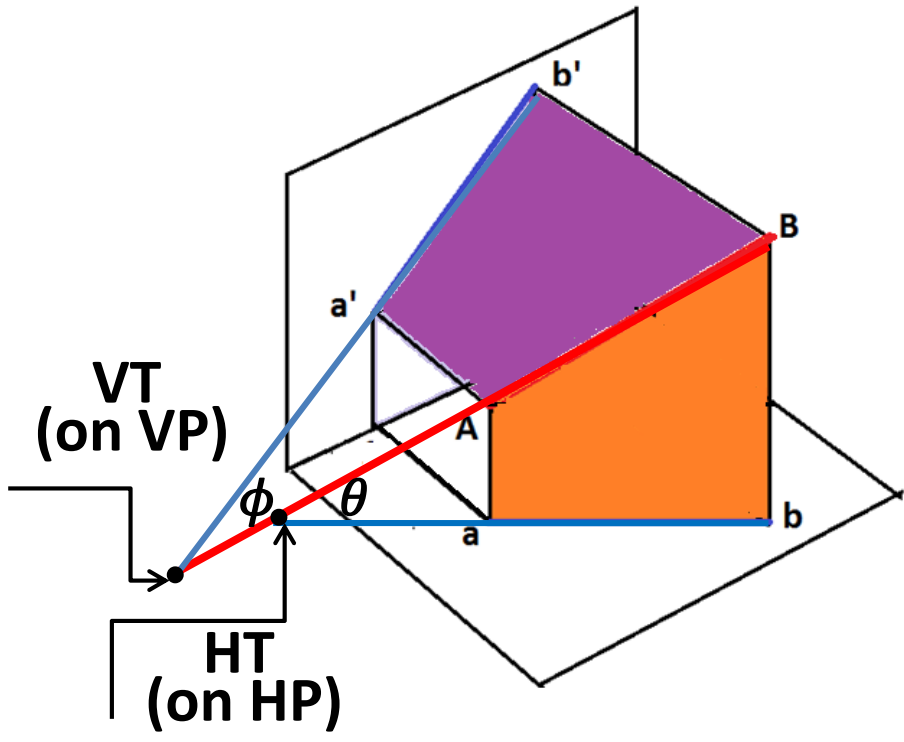


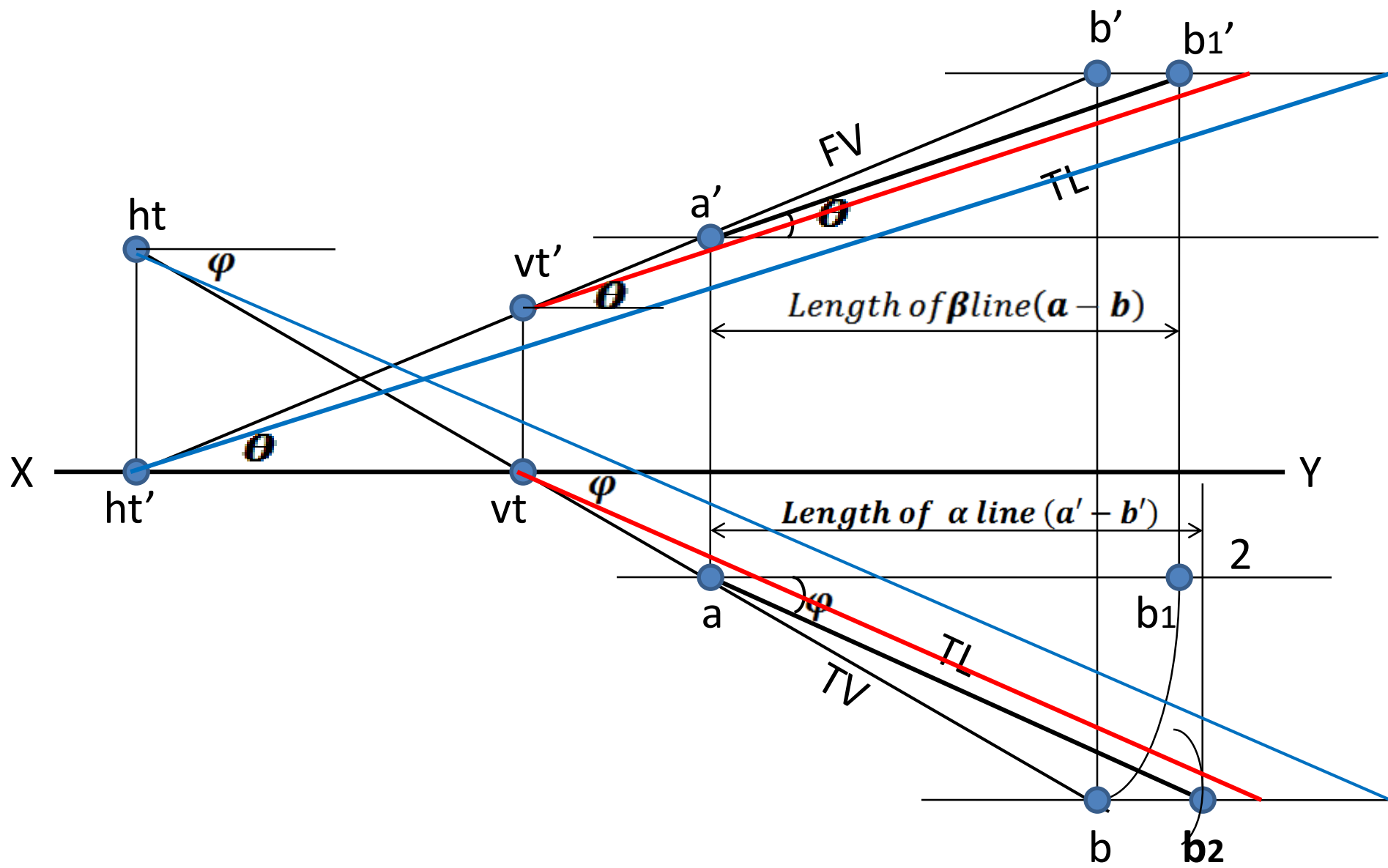
# Three $\phi$ Triangles



Base length of each  $\phi$  triangle equals  
Length of corresponding  $\alpha$  lines





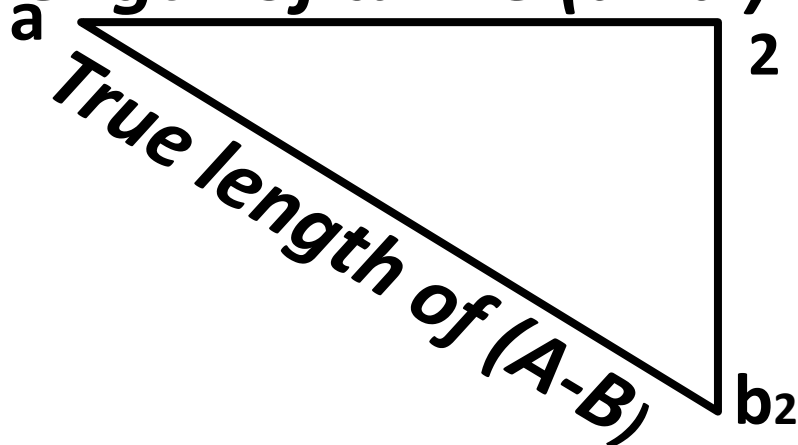




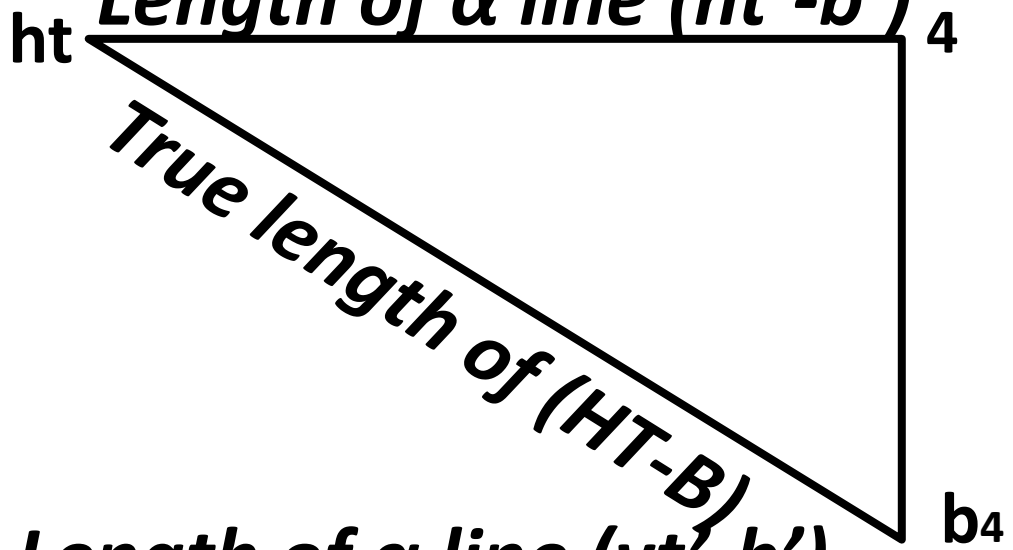


# Three $\phi$ Triangles

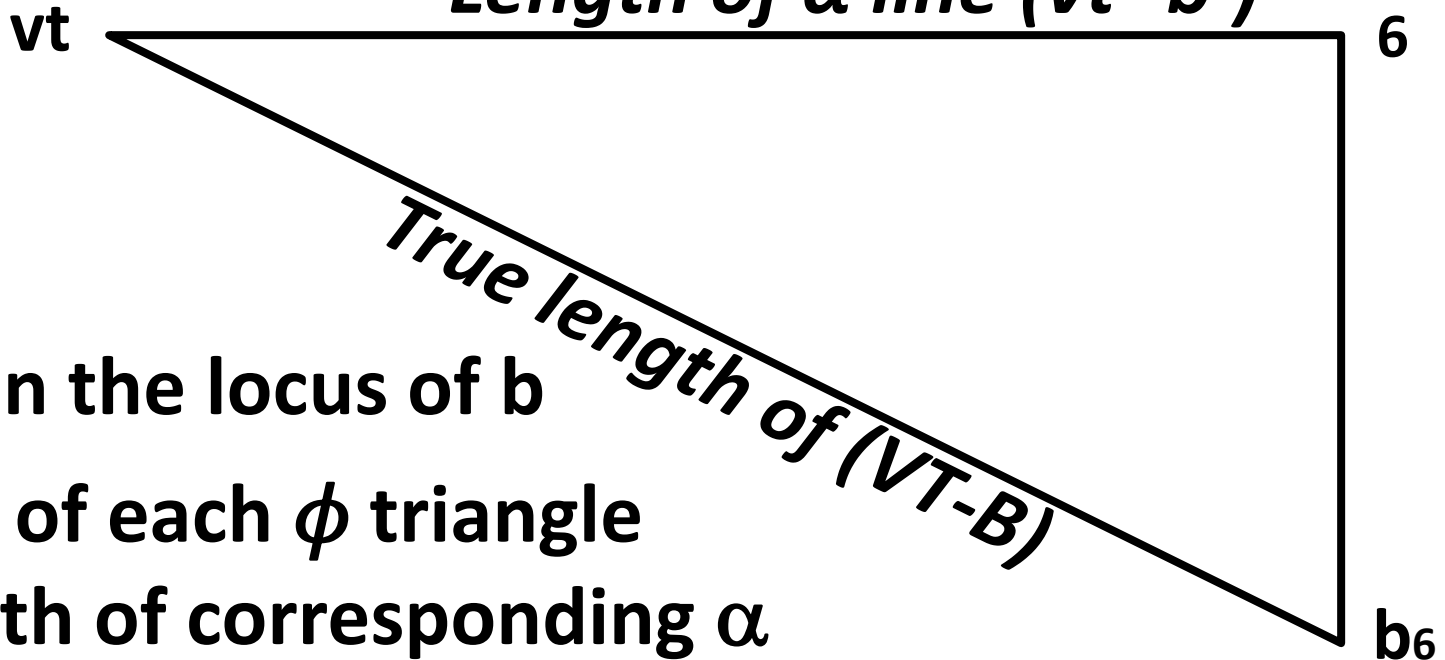
Length of  $\alpha$  line ( $a'-b'$ )



Length of  $\alpha$  line ( $ht'-b'$ )



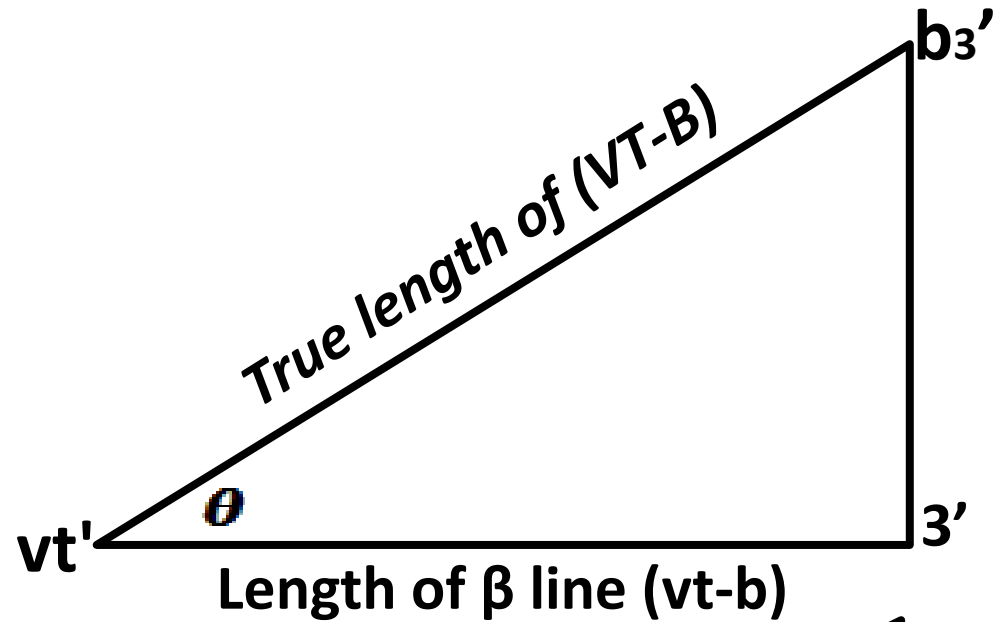
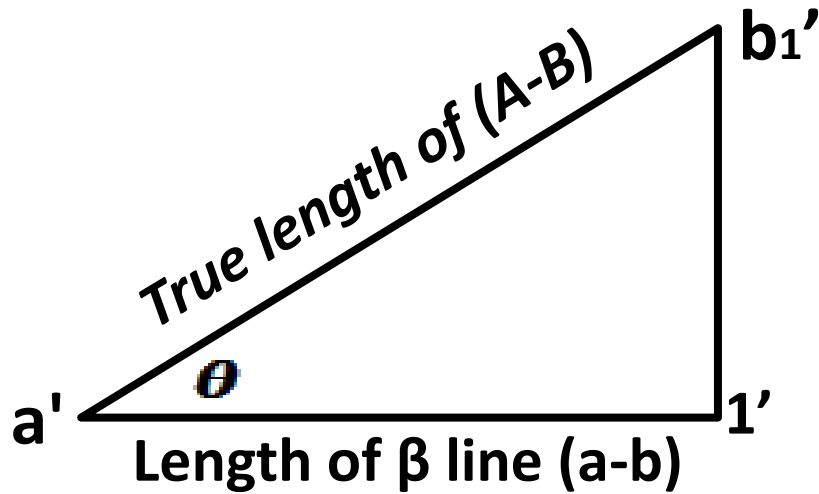
Length of  $\alpha$  line ( $vt'-b'$ )



$b_2, b_4, b_6$ , on the locus of  $b$

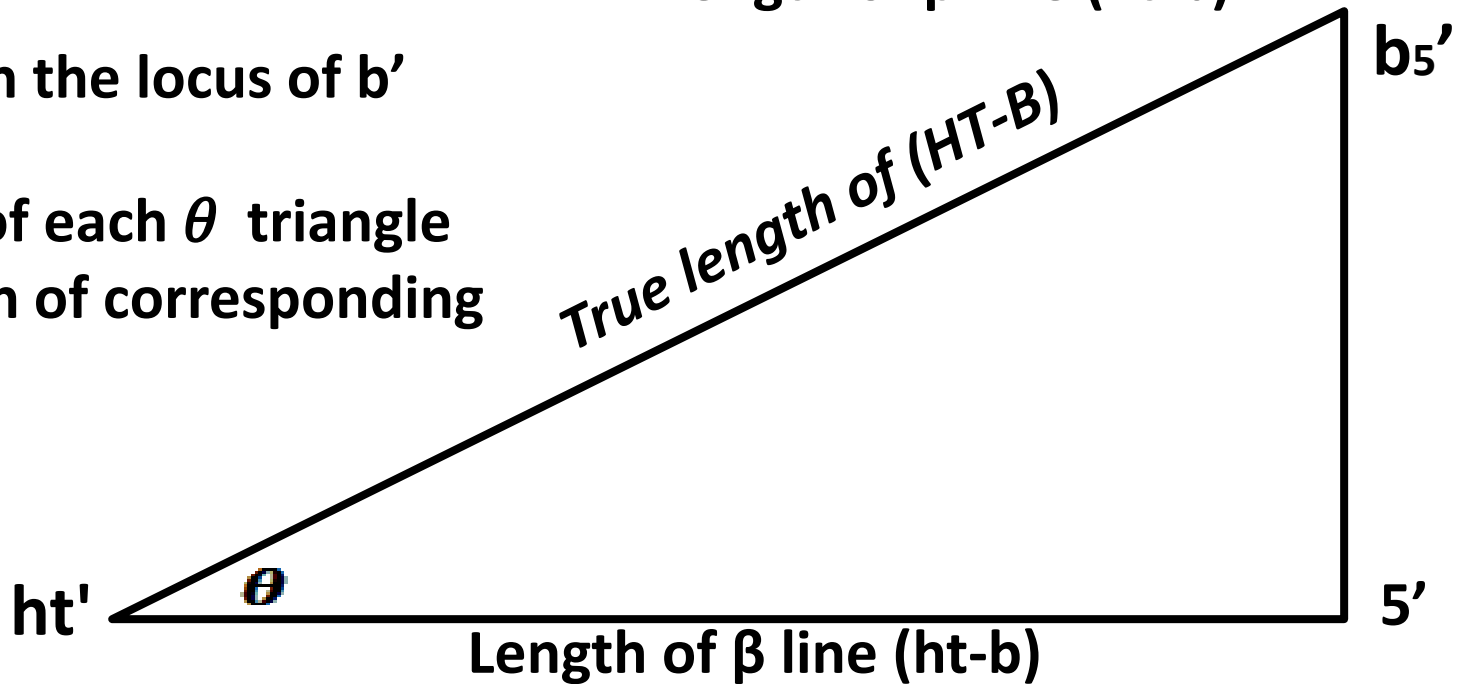
Base length of each  $\phi$  triangle  
equals Length of corresponding  $\alpha$   
lines

# Three $\theta$ Triangles

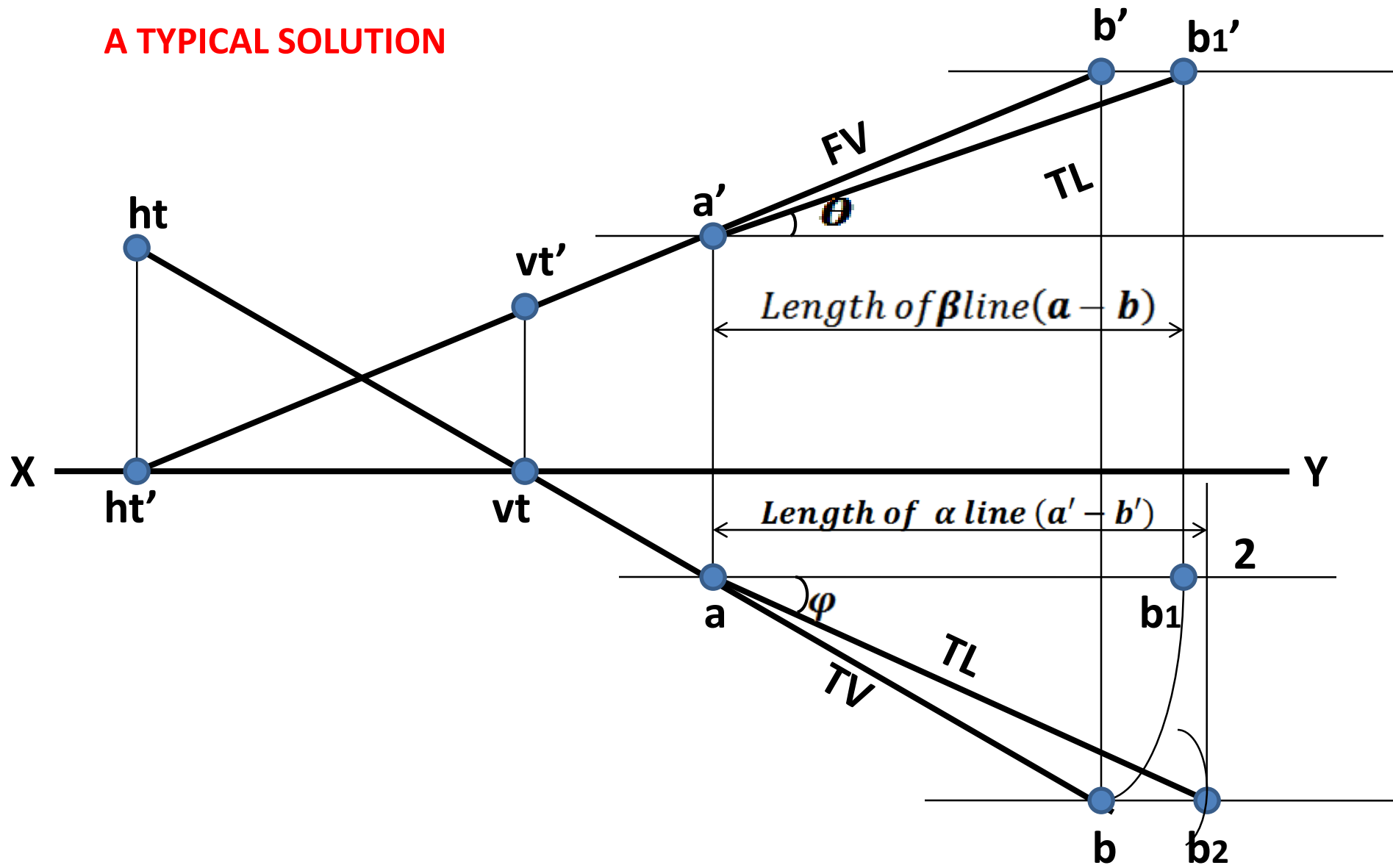


$b_1'$ ,  $b_3'$ ,  $b_5'$ , on the locus of  $b'$

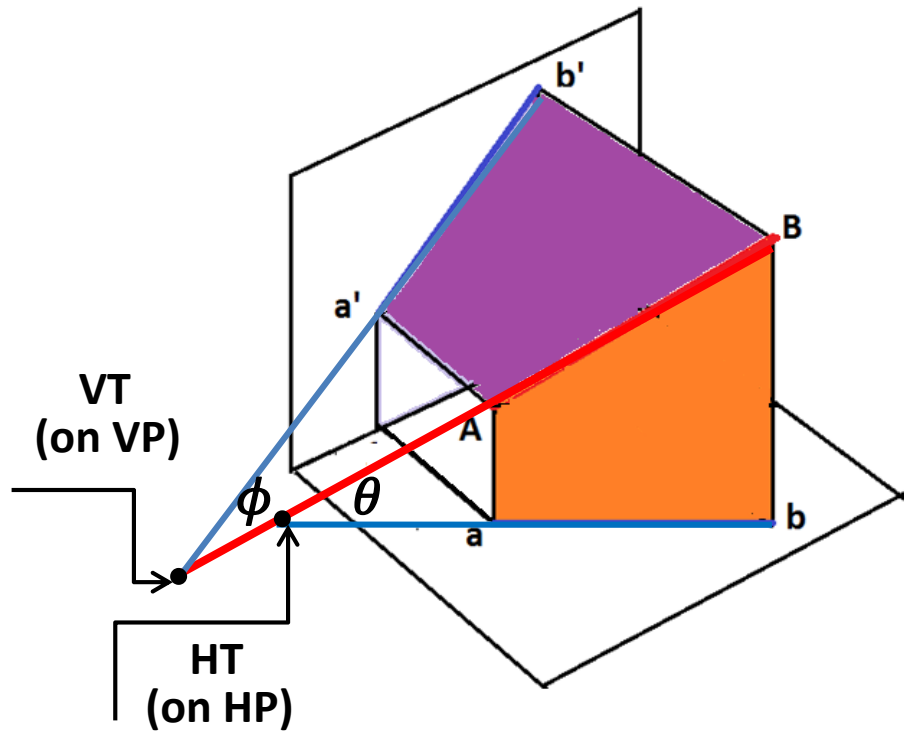
Base length of each  $\theta$  triangle equals Length of corresponding  $\beta$  lines

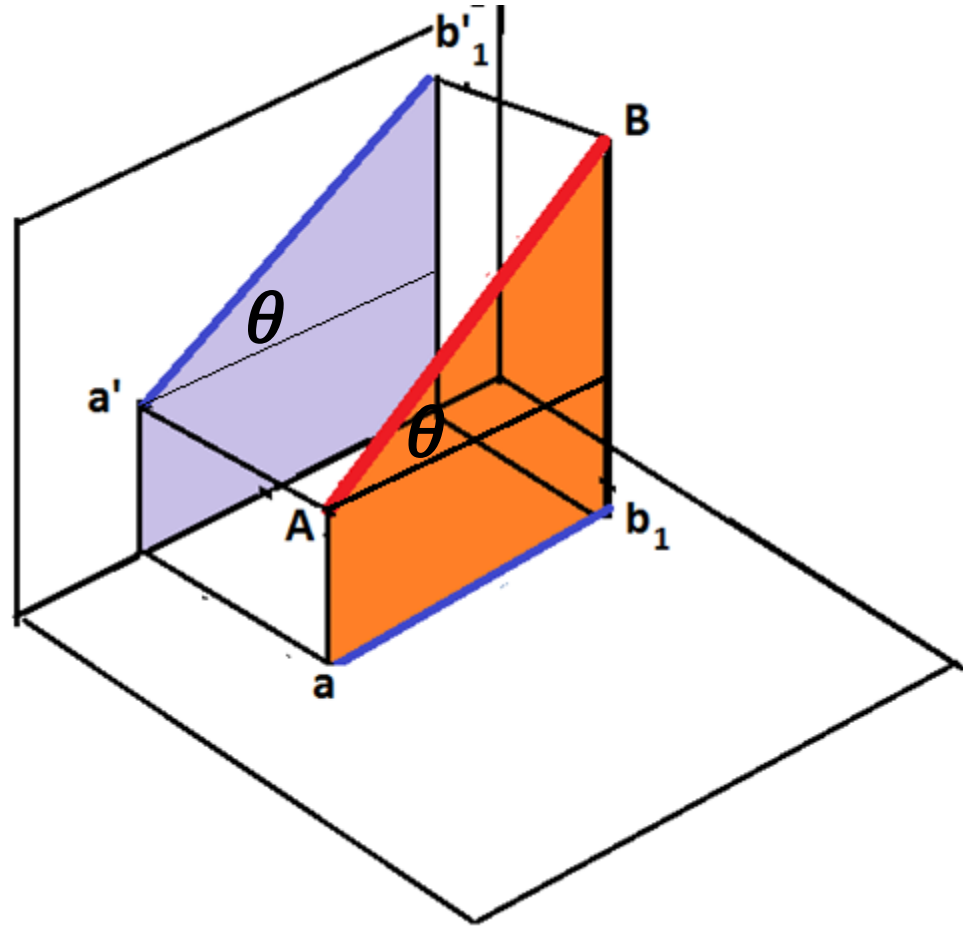
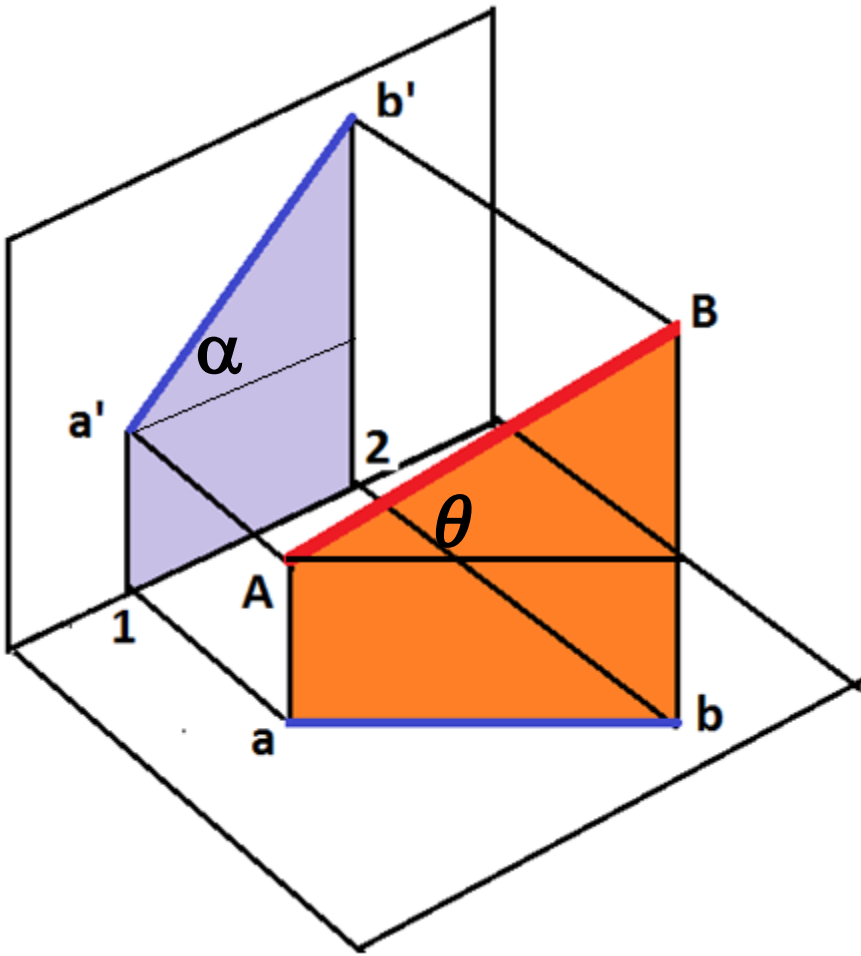


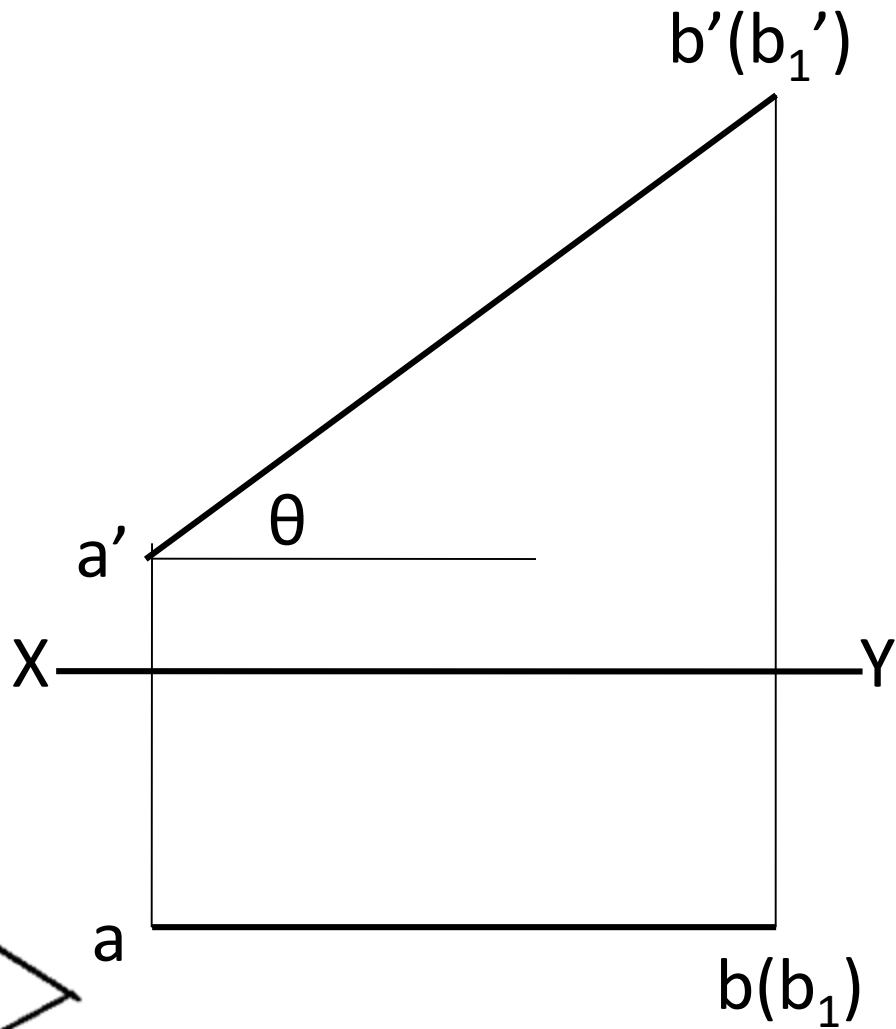
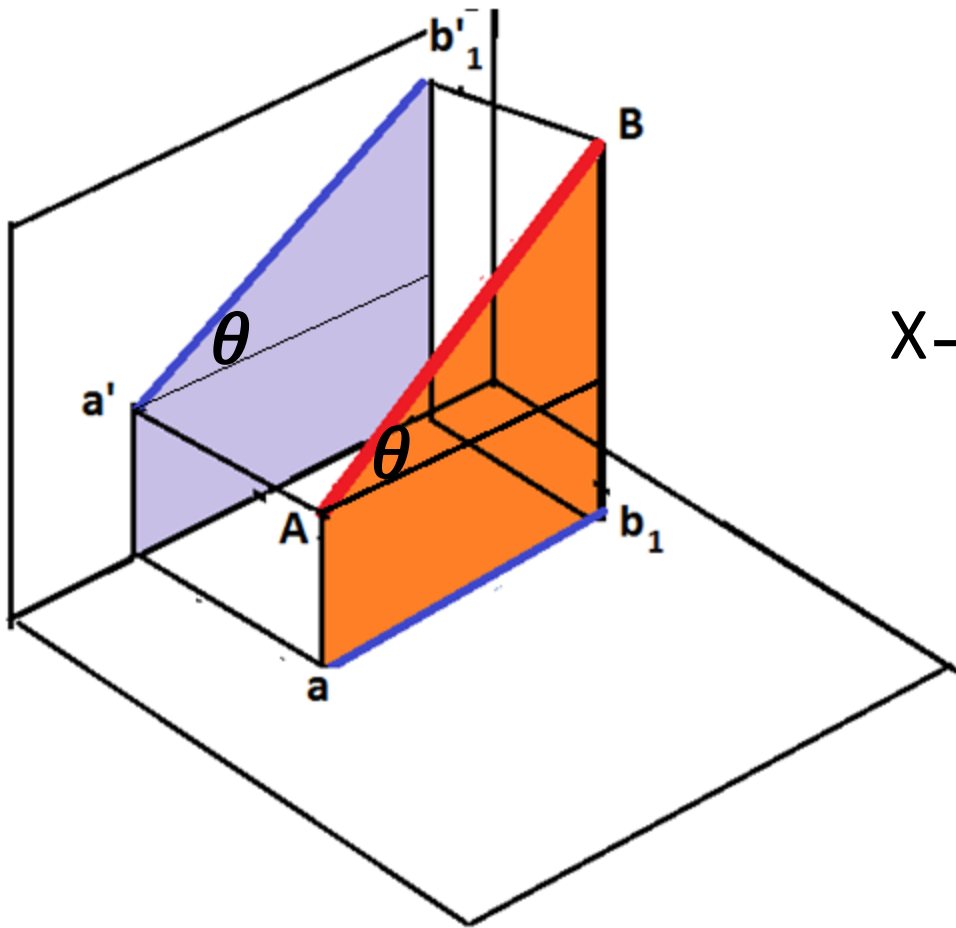
**A TYPICAL SOLUTION**



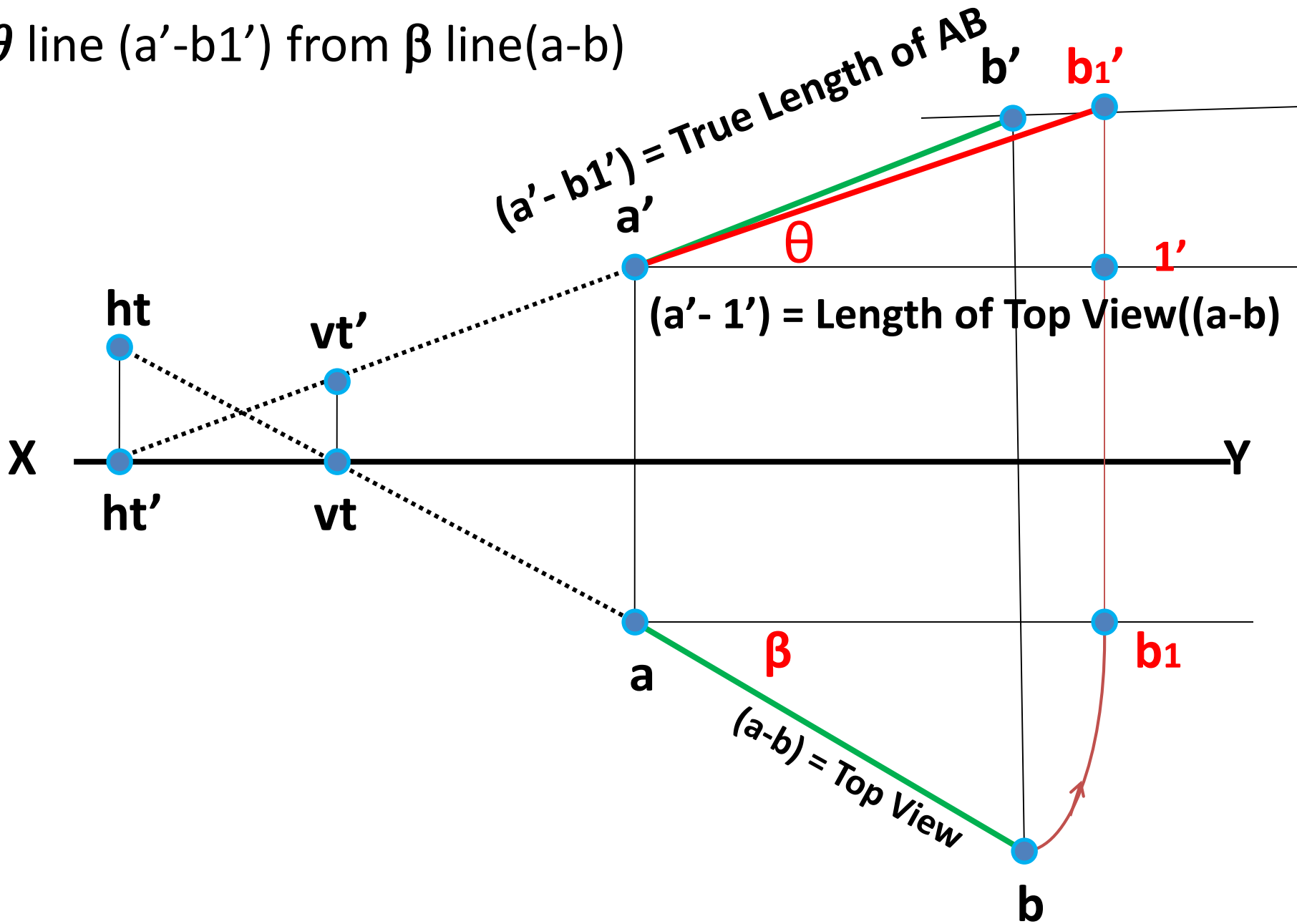




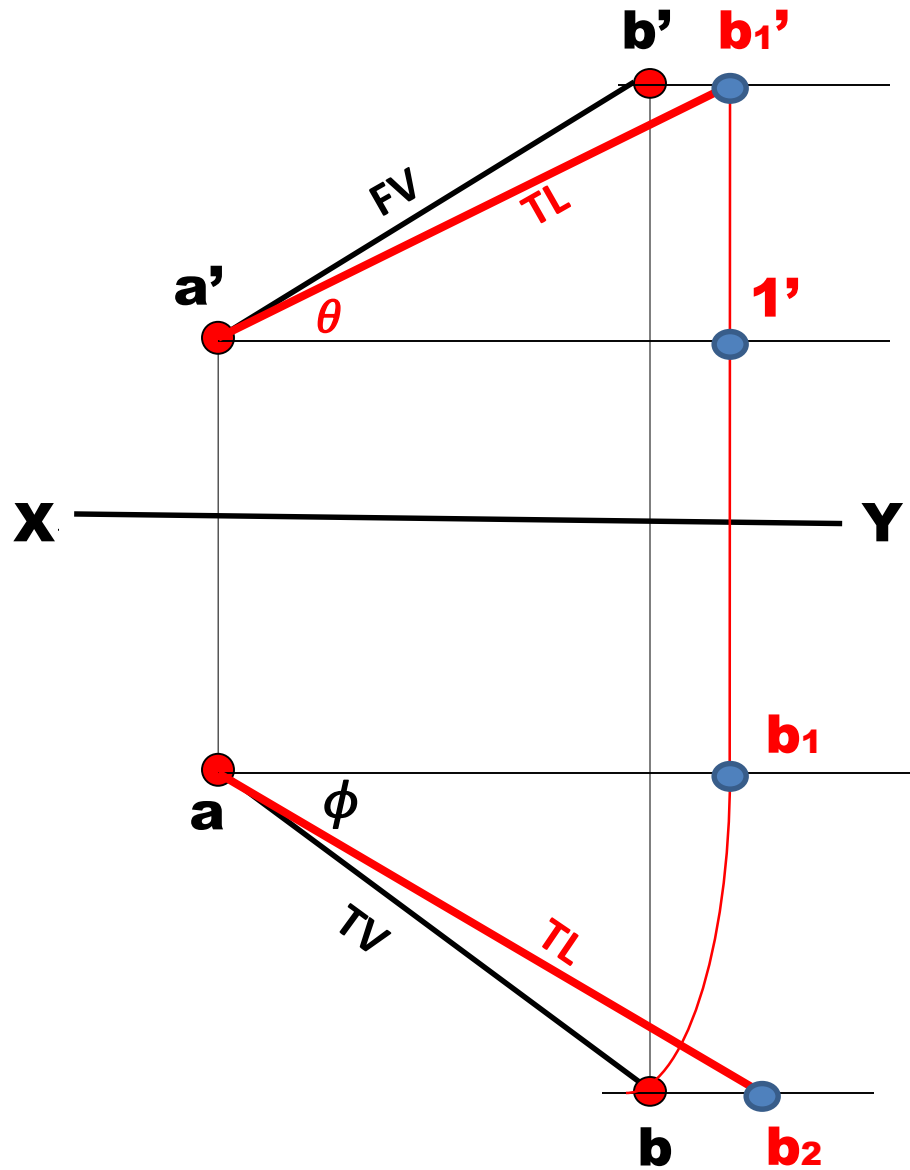




$\theta$  line ( $a'-b1'$ ) from  $\beta$  line( $a-b$ )



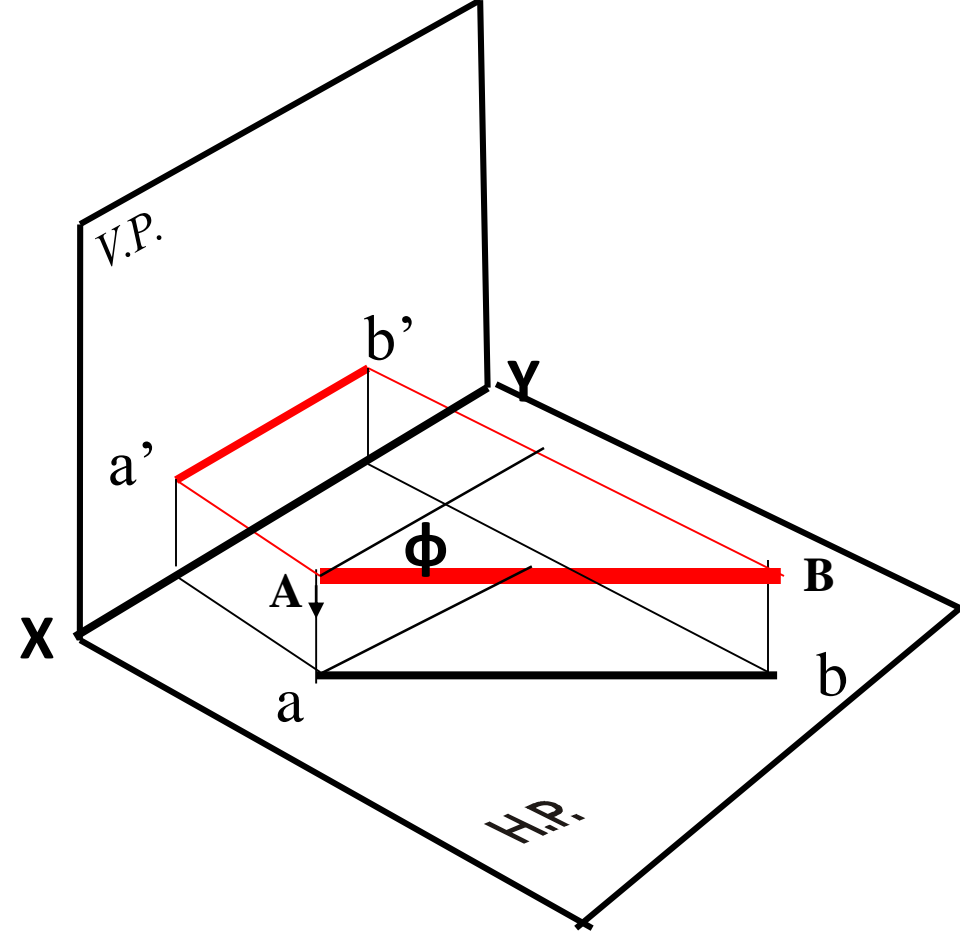
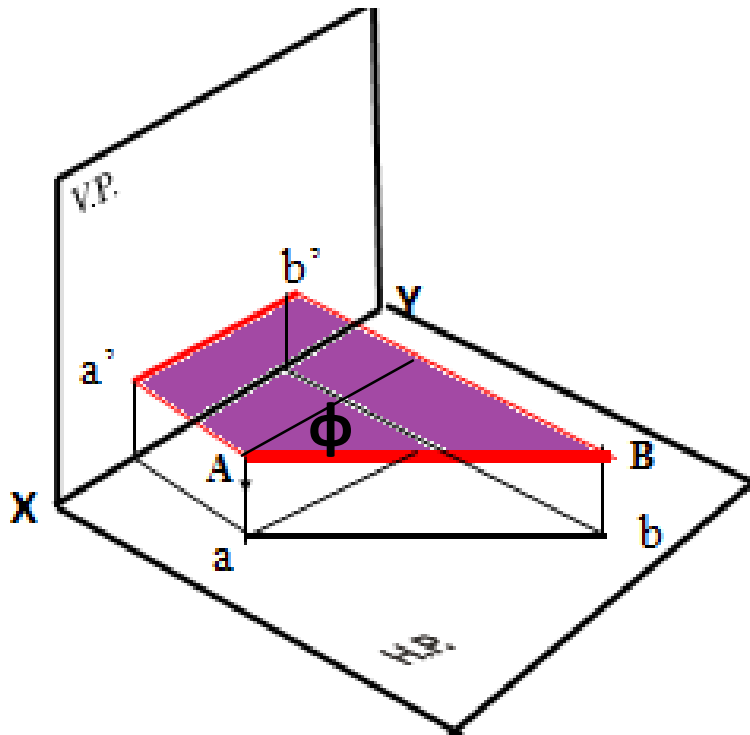


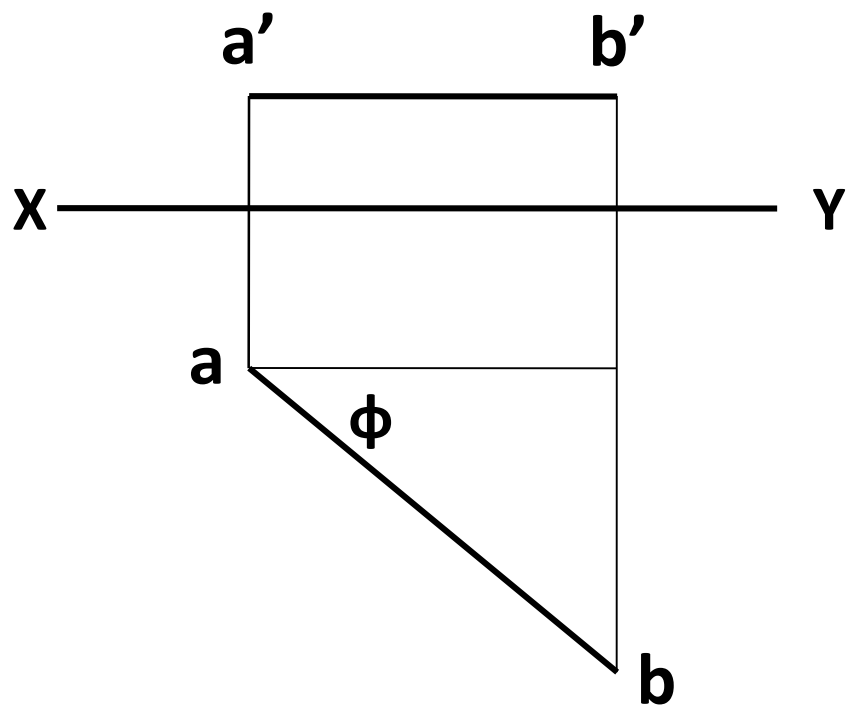
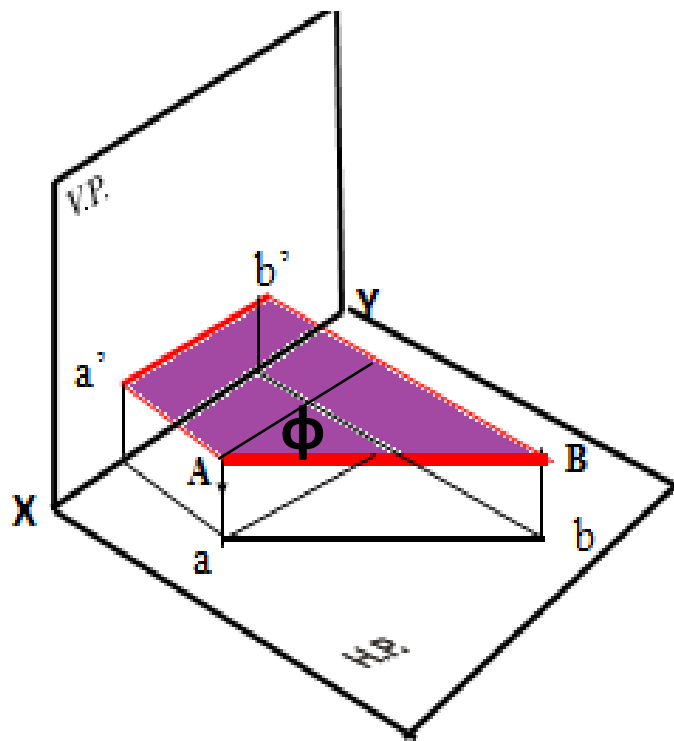


True length from  $\beta$  line

$\theta$  Triangle formed

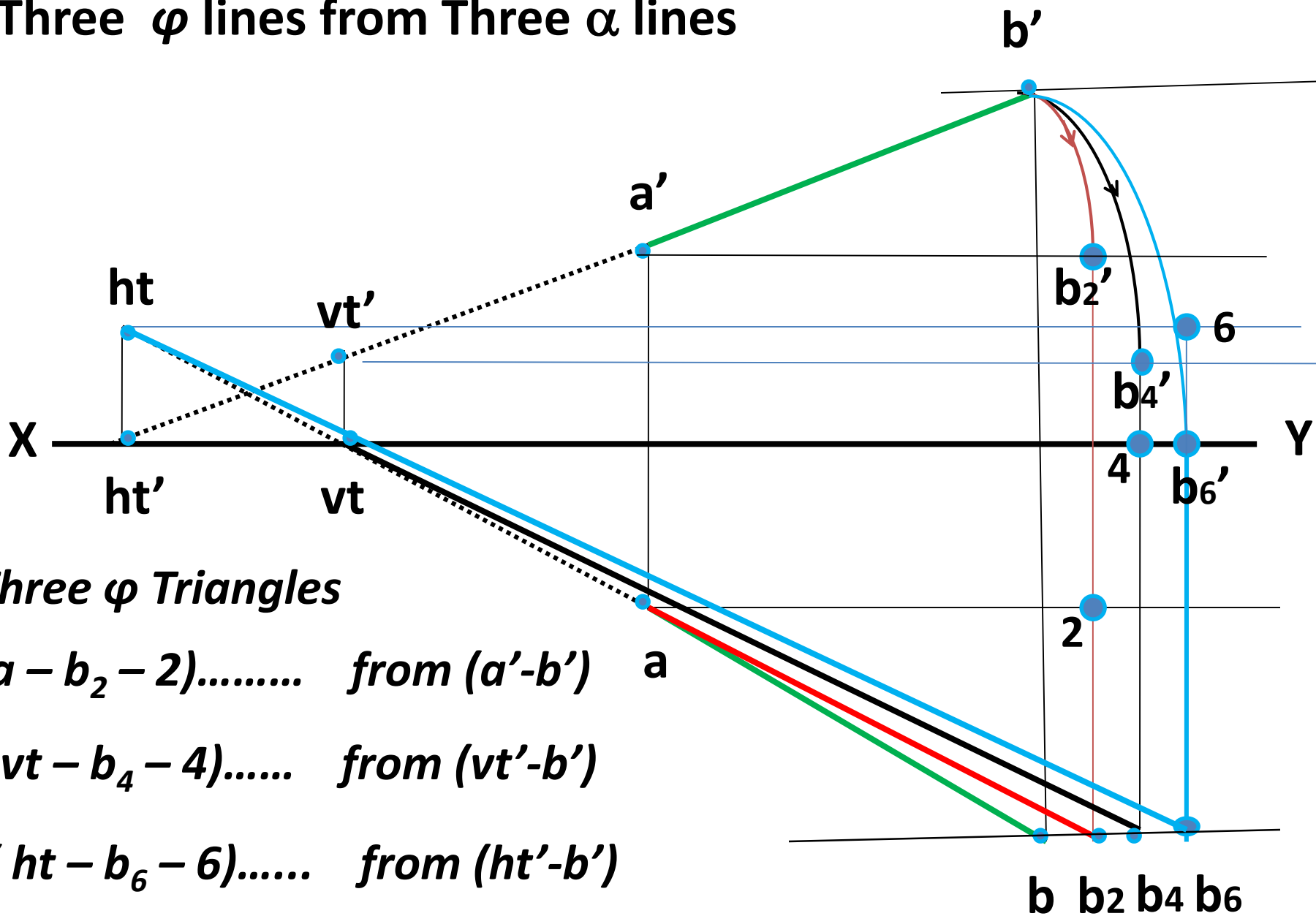








# Three $\varphi$ lines from Three $\alpha$ lines



LINES.

Projection of lines.

Locate Traces of the line.

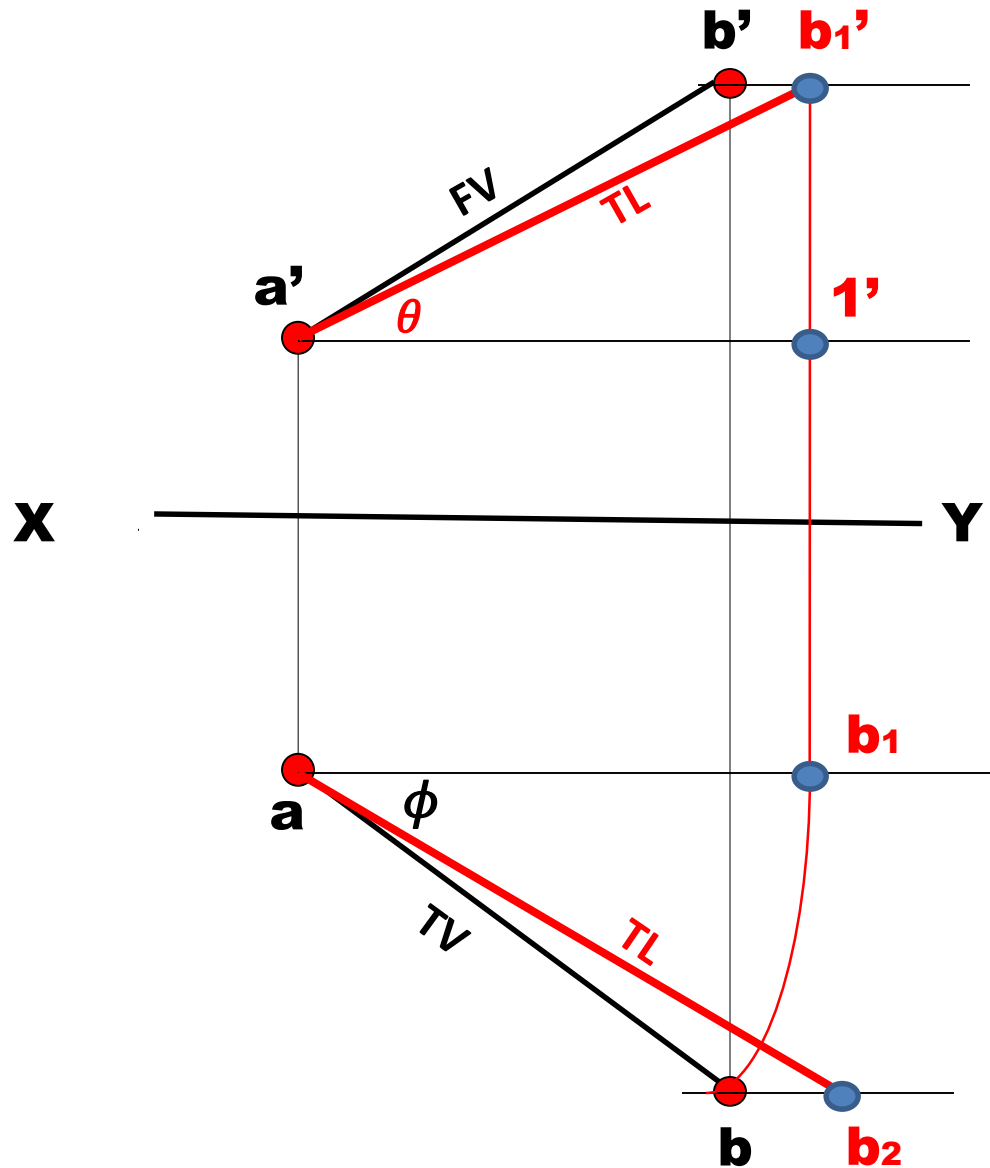
Find True length of the line.

True length from Plan.

True length from Elevation.

Obtain inclinations of the line.

Master solution.



True length from  $\beta$  line

$\theta$  Triangle formed



# Inclinations of AB to HP and VP

(1).To HP = angle between AB and ab  
(Trapezium on HP provides  $\theta$  )

(2).To VP = angle between AB and a'b'  
(Trapezium on VP provides  $\phi$  )

**A in First quadrant**

